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ML-based porosity modeling tested on synthetic and

subsurface data

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Abstract

This thesis investigates if synthetic porosity models are useful as a basis for comparison between machine learning (ML) approaches to porosity prediction. In addition to the ML methods, the sequential gaussian simulation (SGS) geostatistical method is used as a benchmark. The synthetic models are porosity and impedance cubes constructed from the F3 dataset (offshore Netherlands) well-logs, to mimic specific geological geometries including a sedimentary wedge and a normal fault. Based on the performance of the different methods on the synthetic models, a porosity prediction is performed on the actual F3 dataset as well. The prediction methods discussed are SGS, and ML methods such as KNN-regression, lasso-regression, random forest-regression, and shallow neural network. The geostatistical and geophysical methods are run using Petrel, and the ML methods using Python. ML methods are better at minimizing the error while missing much of the detail of the SGS method. However, for the F3 dataset, random forest appears to capture more details than the other methods. The synthetic models provided a better basis for comparison of the different methods, however the workflow requires improvement.

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1 Introduction

Over the past decade, Machine learning (ML) methods have been applied to many fields of sciences in order to improve data-based workflows. In geosciences, one works with large amounts of data. Thus, it is natural to investigate if ML methods can be an improvement to current subsurface interpretation methods.

This thesis focuses on methods for predicting porosity, which is the ratio between the pore space and the total volume in a rock. The pore space is the volume that can be filled with fluids, and in reservoirs it correlates to some degree with permeability, which is a measure of how easily fluids flow through the reservoir. This makes porosity estimation important for determining migration routes and reservoir volumes for valuable fluids such as oil, as well as the storage of other types of energy (e.g., hydrogen), or the sequestration of CO_2 in the subsurface. The reservoir volume is of great importance for making risk evaluations on whether a prospect is worth exploring.

In the petroleum industry, the available subsurface data are usually well-logs and seismic data. The well-logs are localized and follow a specific path, while seismic data cover a larger, often 3D volume. Additionally, the resolution in well-logs (cm) is about three orders of magnitude finer than seismic. These differences make it challenging to extrapolate well-log data into a 3D seismic volume, as the distances between wells are often large, and the difference in resolution between these two datasets is significant.

While it is possible to make and evaluate ML porosity models using well-logs and seismic data, it is difficult to truly evaluate the performance of these methods without a "known" porosity cube, given the varied geometry and complexity of the subsurface. For this reason, to test the effectiveness of ML for porosity prediction, I use synthetic models which can be derived from well data and typically consists of porosity, seismic and P-impedance cubes. In addition, the synthetic datasets can help us to better understand how the ML models react to different well locations and distributions, seismic signal to noise ratio, and subsurface geometries. This thesis will compare porosity estimation methods using the classical "sequential Gaussian simulation" approach versus the ML approach. To compare the performance of these two approaches, synthetic, artificially created porosity sections are made as validation sets using established geostatistical methods. The synthetic models are based on a real dataset from offshore Netherlands, the F3 block. The theoretical background of this thesis is thus divided in two parts: the geostatistical part and the machine learning part. Geostatistics is performed using the program Petrel by Schlumberger. Machine learning is performed using Python with the aid of open source modules.

1.1 Thesis Structure

This thesis will first cover the relevant theory for both geostatistical/geophysical methods and machine learning as stated before. The geostatistical/geophysical part includes seismic inversion, the F3 dataset, and geological geometries which are required to build the synthetic models. This part also covers sequential Gaussian simulation as the geostatistical prediction method. The ML theory portion covers all the methods used, which include lasso, KNN, random forest and neural networks. This part also includes the Python tools used and an explanation of cross-validation. The second part is the methodology covering the steps taken to get the results. This includes the classic porosity prediction of the F3 dataset, and the construction and classic prediction of the synthetic models using geostatistical/geophysical theory. The methodology of the ML part covers predictor extraction/editing and hyper-parameter tuning. The results of the predictions are presented and compared in the Results chapter. Finally the results and the overall process of synthetic model construction and porosity prediction are discussed.

2 Background theory

2.1 Geophysics

2.1.1 Seismic inversion and impedance

Seismic has little correlation to porosity directly. A much more useful attribute is acoustic impedance, which typically correlates with porosity. Furthermore, acoustic impedance can be extended from the well-logs to the area of interest covered by the seismic cube, using seismic attributes and seismic inversion [1].



Figure 1: Seismic inversion workflow. The error minimum refers to the local minimum of the cost function that needs to be found.

The general workflow of seismic inversion is shown in Figure 1. Seismic inversion uses a low frequency model (LFM) made by applying a low-pass filter to the acoustic impedance well-logs and guided by the interpreted seismic horizons [1]. The LFM addresses the missing low frequencies of the seismic cube, which are necessary for reliable estimation of the acoustic impedance values.

The process of going from the LFM to the acoustic impedance is applied trace by trace. The LFM traces are modified, then a wavelet is used on the modified LFM trace to calculate the synthetic seismic trace [1]. The synthetic seismic trace is then compared to the real seismic trace using a cost function explained later. The difference between the synthetic and real seismic trace is caused by errors in the estimated impedance trace, and therefore it should be minimized by changing the impedance trace. If the difference is large, the impedance trace is modified and used to calculate a new synthetic seismic. This optimization loop continuous until a local minimum of the cost function is found [1].

The wavelet used for the inversion is an estimation of the source wave used during seismic acquisition. The wavelet is used as a filter to calculate the synthetic seismic from the reflectivity derived from the acoustic impedance. Statistical and deterministic wavelets are considered in this thesis. The primary difference is that the statistical wavelets are constructed based only on the seismic data. Deterministic wavelets are made based on both the seismic data and the well-log data [2].

The construction of the statistical wavelet can be summarized in three steps as displayed in Figure 2. Tapered auto-correlation is used on the traces to address the seismic noise and control the wavelet length. Then the auto-correlated traces are converted into a power spectrum (one spectrum per trace). Finally, the averaged power spectrum is transformed into the time domain giving the wavelet. The deterministic wavelet is based on the seismic trace and the reflectivity derived from the impedance well-logs. The autocorrelation of the reflectivity and the cross correlation between the reflectivity and the seismic trace are calculated. Then these values are tapered and converted into the frequency domain where the amplitude and the phase spectrum of the wavelet is derived. The deterministic wavelet has phase information, as opposed to the statistical wavelet which is zero-phase and has no phase information [3, 2, 4].



Figure 2: Workflow for constructing a statistical wavelet from seismic data, summarized in three steps. Based on theory from [4] and [3]

The formula for evaluating the quality of the inversion is a cost function with four terms. The first term penalizes for the difference between the synthetic and real seismic. The second term measures the horizontal variation of the impedance. The third term penalizes for the P-impedance deviating from the LFM. Finally, the fourth term determines the number of significant reflections, which are the reflections that exceed a certain absolute amplitude. This term also penalizes the model for the number of significant reflections that exceed a chosen threshold [1]. The seismic inversion delivers an acoustic impedance cube that covers the area of interest and, it is the main predictor used for determining porosity outside the wells.

2.1.2 Sequential Gaussian simulation, Co-kriging and Variograms

To compare the results of the ML models, a porosity estimation that uses basic geostatistics is used. This estimation involves populating a 3D grid with porosity guided by a P-impedance volume. Taking advantage of the correlation between porosity and acoustic impedance, collocated co-simulation is used based on sequential Gaussian simulation (SGS) to derive the porosity. This method is implemented in modeling software (Petrel, RMS etc) and often applied in the industry for static reservoir modeling [5].

Sequential Gaussian simulation as described by [6] involves the following workflow (Figure 3): Transform the data into a normal Gaussian distribution. Loop over all grid cells randomly. For each cell perform kriging using the weights calculated from the variogram and a coefficient calculated from the correlation between the porosity and the impedance. From kriging, one should get the kriging value and the kriging variance at each grid cell. Then, the Gaussian distribution is derived at each grid cell using the results of kriging. The Gaussian distribution represents the uncertainty of the kriged value. Then, a random value is drawn and is applied to the cumulative distribution function, which is found by integrating the Gaussian distribution. This random value is assigned to the grid cell. When this is done to all the grid points, they are transformed back to the original distribution [6, 5].



Figure 3: Workflow for the sequential Gaussian simulation.

In Petrel, all modeling is performed in depo-time. This means that all horizons are flattened and the fault displacement is removed. Then, SGS modeling is performed and the result is transformed back to the original domain [5]. This way, the interpreted geological time and it's relationship to the well-logs is honored.

To explain the concept of the variogram, it is useful to separate it into two main components: the sample variogram and the variogram model. The sample variogram uses known data to calculate the semi-variance on a horizontal or vertical axis, sorted by the spatial distance [7]. The calculation of the semi-variance is:

$$\gamma(h) = \frac{1}{2N(h)} * \sum_{i=1}^{N(h)} (Z(x_i + h) - Z(x_i)^2 (1))$$

Here N(h) is the number of data pairs, h is the spatial distance between x_i and $x_i + h$, and Z(x) is the value of a rock property at location x.

Figure 4 shows an example of the sample variogram based on theory from [7, 6]. The plots on the left show the distribution of the data to be analyzed. The three plots show the same data distribution, each one highlighting data-pairs of different separation distance, as shown by the twoway arrows connecting the data-pairs. On the plot to the right, the distance between the data pairs is plotted along the x axis, and the average semi-variation of the data-pairs along the y-axis (Equation 1).



Figure 4: Data distribution with highlighted different data-pairs distances (left), sample variogram (dots on right), and variogram model (blue line on right). The sill, nugget, and range define the variogram model. Based on theory from sources [7, 6]

The blue line fitting the points on the distance versus semi-variance graph (Figure 4) is the variogram model. The model is described by an analytical function which is controlled by the sill, nugget and range parameters. The sill is the plateau of the variogram model, representing the maximum semi-variance. The nugget is the intercept of the variogram model representing the data uncertainty. The range can be interpreted as the separation distance where data pairs no longer correlate. The rock property is regarded as anisotropic when the variogram range is different in two perpendicular horizontal directions. For example, the variogram range of grain size is typically smaller perpendicular to a river than along the river flow axis [7].

By fitting a variogram model (an analytical function) to the sample variogram, the ranges in the horizontal and vertical directions can be estimated. There are several variogram models, the most common ones are exponential, spherical and Gaussian (Figure 5). All variogram models made in this thesis share some properties. They increase from data pairs distance equal zero to distance equal the range. At distances greater than the range, the model value is equal to the sill. Furthermore, the variogram model starts at zero to assume zero variation in rock properties that are at the exact same point (nugget = 0). This implies the assumption that the data are error free [7].



Figure 5: Most common analytical variogram models. In all models but the cardinal-sine and power models, the range is 1000. From [8].

Kriging is a weighted sum algorithm [6, 5]. It follows the equation:

$$z(x_0) = \sum_{i=1}^{n} \lambda_i z(x_i) \quad (2)$$

 x_0 is the point of computation, n is the number of datapoints, $z(x_i)$ is the data value at point x_i , and λ_i is the weight assigned to the value at point x_i , determined by the variogram model.

The weights should decrease up to the range, from which the weight value is zero. This is for weights related to hard data, such as the porosity well-logs. If a grid point is outside the data range, the kriging results would be zero. Simple kriging addresses this issue by involving the mean value M provided by all data points [7, 6]. The equation is:

$$z(x_0) = \sum_{i=1}^{n} \lambda_i z(x_i) + [1 - \sum_{i=1}^{n} \lambda_i] M (3)$$

The first term in this equation is the same as in Eq 2. However, there is now a second term which is proportional to the mean M. The influence of this term increases when the sum of weights decreases. This implies that at points away from known data, the simple kriging algorithm defaults to the mean of the data, removing a possible trend [7, 6].

Another kriging algorithm is collocated co-kriging, which is the algorithm used in this thesis. This algorithm includes soft data which guides the kriging. It uses the correlation coefficient between the soft data (P-impedance) and hard data (porosity) as an alternative to the mean (M) used in simple kriging [7, 6].

Co-kriging allows for the population of a 3D grid to use both well-log data and volume data as secondary input or soft data. This means that it respects the distribution of the hard data while correlating well data to the soft data. The kriging results are used for constructing a Gaussian distribution, using the kriging mean and variance. For each point on the 3D grid to be populated, a random sample is drawn from this distribution [7, 6]. The random number generator is controlled by the user-selected seed number. Changing only the seed will change the result. Conversely if the seed and data remain the same, the result will not change when re-running the algorithm. As an example, Figure 6 shows three runs of the SGS using the exact same parameters and data, but different seeds. This shows that the seed controls the distribution of the high and low porosity values. When one value has been drawn for every point on the 3D grid, the grid is transformed back from the Gaussian distribution to the distribution given by the well-logs [6].



Figure 6: Three runs of sequential Gaussian simulation using the same parameters and data, but different seeds. The simulations were performed in Petrel using the F3 dataset. The porosity values are indicated by the different colors in the porosity scale. The random draws produce significantly different porosity models.

2.1.3 F3 block

The F3 block is a public dataset provided by NAM(Nederlandse Aardolie Maatschappij https: //www.nam.nl/) and NLOG (Nederlandse Olie- en Gasportaal Hoofdnavigatie https://www.nlog. nl/), and further developed by dGB Earth Sciences dgbes.com. The dataset includes seismic attribute cubes and several wells with porosity and acoustic impedance (AC impedance) logs. dGB Earth Sciences also provides interpreted seismic horizons [9].

The F3 block is located in the Dutch sector of the North Sea, as shown in Figure 7. The seismic section used in this thesis is displayed in Figure 8 with three interpreted horizons. The location of the section is shown in Figure 9. This figure shows the surface outline of the seismic cube, and the two wells with the AC impedance logs. The prospect for oil and gas is located in Upper Jurassic to Lower Cretaceous sediments. These sediments were deposited in a fluviodeltaic system, and exhibit clinoform wedge-type geometries (Figure 8). The Late Permian Zechstein group is present at the bottom of the section where the AC impedance well-log displays in black (Figure 8). This group is known for evaporites that form salt domes [9].



Figure 7: Location of the F3 block (red square) in the Dutch offshore sector. This map was edited from [10] and [11].



Figure 8: Seismic section containing the wells F02-1 and F03-2. The log displayed in both wells is AC impedance. Well F03-2 reaches the evaporites of the Zechstein group, whose AC impedance displays black.



Figure 9: Location of the section in figure 8. The section intersects both wells F02-1 and F03-2.

The simplest synthetic model used in this thesis is the homogeneous wedge model. This model is made using one well, F02-1. An additional well, F03-2 is used to construct the porosity, impedance, and seismic sections of the other two synthetic models, the heterogeneous wedge and fault models. These wells are also used for the porosity estimation of the actual F3 section. The wells and their AC impedance and porosity well-logs are shown in Figure 10. These logs show a negative correlation between acoustic impedance and porosity, i.e. as impedance increases, porosity decreases.



Figure 10: The AC impedance and porosity logs of the wells F02-1 and F03-2.

2.1.4 Geological geometries

Varying subsurface geometries add challenges to the porosity estimation. This is because the models are trained for well locations that may not account for the geological variability in the seismic section. To explore several possibilities, I use different geometries for the synthetic models: homogeneouswedge, heterogeneous-wedge, and normal fault geometries.

The homogeneous wedge takes a number of layers at a selected location given by the well. From here the layers are vertically stretched in one direction increasing their thickness. In the opposite direction, the layers are squeezed, reducing their thickness until they pinch out. This means that either the top or base surface of the wedge must dip, or both. In the models of this thesis only the base of the wedge dips downwards, meaning that the layers below the base have a constant dip. The heterogeneous-wedge model has the same geometry, but in this case the rock properties change laterally, reflecting different depositional environments.

Wedge geometries can be produced by laterally varying deposition. An example of this exists in the F3 block. A significant portion of the seismic shows indication of having been deposited by a marine delta. An example of this are the sediment onlaps displayed in Figure 8 at approximately 900 ms two-way travel time (TWT) towards the northeast. Deltas often display a clinoform geometry as seen in Figure 11. The middle part of this figure shows a clinoform that has more thickness in the middle than on the edges, just like a wedge. A clinoform surface is a sloping depositional surface commonly associated with sediments prograding into deep water [12].



Undaform, clinoform, fondoform, undathem, clinothem, fondothem, and wave base and the distribution of muddy water after a storm. Muddy water shown by stippling; density currents by arrows. Vertical scale greatly exaggerated.

Figure 11: Change of depositional structures from land to deep water. The clinoform portion shows greater sedimentary thickness landwards, and forms a wedge-like shape. From [13]

The final synthetic model, model 3, involves displacement of rocks and rock properties along a fault-plane. Faults are however not infinite and also have a folding effect in the area near the fault plane as described in [14] and shown in Figure 12. The right plot in Figure 12 is used as a visual aid for constructing seismic horizons consistent with this deformation.



Figure 12: Displacement and deformation of rock layers due to a normal fault. Fault displacement is maximum at the center of the fault (red circle) and diminishes to zero towards the top and base layers. The deformation follows the theory presented by [14]. Matlab code by Nestor Cardozo.

2.2 Machine learning methods

2.2.1 Python tools and Modules

In Python version 3, modules are extensions to the program language, which add new data objects and functionalities. All the work for this thesis is done in the Windows 10 operating system. The coding, running, and debugging of the scripts are done in Sypder [15], while Jupyter Lab [16] is used for the analysis of the results. Both of these programs are open source.

Numerical Python or numpy is used extensively in the thesis. This library contains many useful features, and probably the most important is the implementation of arrays. To those unfamiliar with Python, the language does contain the "list" type made up of several elements, for example [1, 2, 3]. However, if this list is multiplied by 2, the result is [1, 2, 3, 1, 2, 3]. The same operation on a numpy array with the same elements will result in [2, 4, 6], which is what we expect. Thus, numpy arrays are consistent with vectors and matrices (arrays). They allow vectors and matrices operations, while lists don't (at least not directly). Numpy also has a randomization module (numpy.random) which I use in my code [17].

The pyplot module of the Matplotlib library is used for many of the plots in this thesis. The plots are usually made using numpy arrays as the input [18]. The seismic data are stored in segy format, and to work with these files and extract the data needed for Python, the module segyio made by Equinor is used [19].

For all ML methods, except neural networks, scikit-learn is used. This module provides a large library of machine learning algorithms and tools for improving and assisting the machine learning models. An example of this is cross-validation, which is used for all the machine learning models in this thesis. It is important to notice that the random number generation in scikit-learn is handled with numpy.random. This means that changing the seed of numpy.random, also changes the seed for scikit-learn [20].

The Pandas module handles the creation and editing of DataFrames. A DataFrame is an object

that functions similar to a table. Pandas is useful for loading, saving, analyzing and editing the data-sets [21]. Finally, I use the Tensorflow module for neural network modeling. This includes building, using, and saving neural networks [22]. Table 1 summarizes the tools I use in the thesis, and their version for the purpose of recreating the environment of this work.

Tool:	Version:
Windows	21H2 (OS Build 19044.1645)
Python	3.7.11
Spyder	5.1.5
Jupyter Lab	3.2.1
numpy	1.20.3
matplotlib	3.5.0
segyio	1.9.7
scikit-learn	1.0.1
pandas	1.3.4
Tensorflow	2.3.0

Table 1: Tools used in this thesis, and their version.

2.2.2 Introduction to Machine Learning

Machine learning algorithms are data-driven methods. What these methods set out to accomplish is largely dependent on the dataset. For example, if one wants to predict whether a fish is a salmon or a cod, one might have a dataset consisting of the length, weight and number of fins for a large number of fish. These are called predictors related to the target, which is the type of fish. If one does not have data on the type of fish, unsupervised machine learning must be used. In this case, the ML algorithm tries to find groups of data-points that are similar to each other. If the type of fish (the target value) for each data-point is given, then supervised learning is used. In this case, ML uses the known target values with the available predictors to train the model. The model will then predict the target value given a combination of predictor values [23, 24].

There are two types of target values, discrete and continuous, which require classification and regression methods, respectively. Simple examples are shown in Figure 13. Discrete means that there are a limited number of possible answers (classes); these problems are solved by using classification methods. This is shown in Figure 13A, where the classes are (*) and (x). For example a fish can be a salmon or a cod in the earlier example, making it a classification problem. Classifiers make several decision regions equal to the number of classes (possible discrete values). If a data-point is in a decision region, then it is classified as the class corresponding to that region. The different decision regions are separated by a boundary line representing equal probability for these classes, the boundary is shown in Figure 13A as a straight line. When the target has a continuous value range, for example if one is trying to predict the age of a person, a regression model is required. A regression model tries to fit a function to the data with the least amount of error. An example is given in Figure 13B. Here the line is the regression model which tries to fit the data-points, so that for any value of the predictor x, the linear function gives the target value y [23, 24].



Figure 13: (A) Simple classification problem, where the line represents the boundary between the class regions. (B) Simple regression problem, where the line shows the solution fitted to the data. Plots edited from [24].

The main feature of machine learning is that the resulting models adapt to the data. Supervised ML methods are trained to predict the target value or class using provided data, including predictors and target values for many samples [24]. Therefore, the data quality is important. Since this thesis uses known porosity data as the target values, the focus will be on supervised methods, and since porosity is a continuous value, regression methods are used [23, 24].

Different ML methods adapt to the data in different ways, and all have advantages and disadvantages. A central theme in choosing the best method for the data set is simplicity versus flexibility, or bias versus variability. This refers to how much the ML method adapts to the data. One can think of this as a sliding scale. Maximum simplicity means that the data has little to no effect on the model, meaning that the model will always predict the same value. Maximum flexibility implies that the model linearly interpolates the data, thus any new data added has a massive effect on the model. Typically, one wants to find a balance between these two [23, 24].

Figure 14 illustrates how two ML methods solve the same classification problem. The two ML models are Bayes classification and KNN-classification. The important thing to notice is that the Bayes classifier produces simpler (more biased) decision boundaries, while the KNN classifier (k = 13) makes more flexible (more variable) decision boundaries. Figure 14 shows that the Bayes classifier has a smoother shape than the KNN classifier, which means that the Bayes classifier is more independent of the data-points than the KNN-classifier [24]. Different ML methods occupy different areas on this sliding scale of bias versus variability. Finding the right method with the right amount of flexibility is the key for consistent predictions that respect the target data [23].



Figure 14: KNN versus Bayes classifiers. The Bayes classifier has a smoother shape, and it adapts less to the data than the KNN classifier. Red dots and grey asterisks represent two classes. From [24].

The ML methods used in this thesis are KNN, random forest, lasso regression and neural networks. SVR (support vector regression) was considered. However, this method scaled poorly to the amount of data in terms of processing time.

The goal is to predict porosity from the seismic attribute acoustic impedance. As porosity is a continuous value, regression models are the natural choice. KNN is chosen as it is a simple method that can interpolate the data-points if this becomes ideal. Lasso regression is an extension of the familiar linear regression, so if the data works well with linear regression, it also works well with lasso regression. However, lasso regression, unlike pure linear regression can also perform automatic predictor selection. Random forest is good at separating datasets into several regions that display different relations. Finally, neural networks are used because of their flexibility. With enough time and tuning, neural networks can be used for any dataset. That said, with a limited amount of time and testing the neural networks may not work as well.

2.2.3 KNN-regression

K-nearest neighbors' regression is a non-parametric regression method. Non-parametric means that the resulting trained ML model does not have a consistent shape. For each point on the predictors grid, the k-nearest data points are considered, the value on the grid equals the mean value of the response of the data points. Because distance is important in this method, it is highly recommended to standardize the predictors. By setting k = 1, the method will linearly interpolate the data. If N is the number of data points and k = N, then the method will produce the mean data value for every point on the grid. This implies that the method has a wide range of adaptability. Depending on k, KNN can interpolate the data or predict only the mean of the entire data-set. An example of using a maximum, minimum and moderate k value is illustrated in Figure 15. This method is the simplest ML algorithm used in this thesis [23].

2.2.4 Lasso regression

Lasso regression builds on arguably the simplest regression model, linear regression. For every predictor (dimension), a coefficient is found that minimizes a loss function, often residual sum



Figure 15: Changing k in KNN-regression changes the predictions (orange lines). The regression uses the data points in blue as training data. Left shows k = 1, meaning maximum variability and interpolation. Middle shows k = number of data points, meaning maximum bias and causing the mean of the data to be chosen no matter of location. Right shows a more reasonable value of k = 10. Made in Python using Numpy, Scikit-learn and Matplotlib.

squares (RSS) [23]. The RSS is calculated as the sum of the squared difference between the target value y and the predictor value x:

$$RSS = \sum_{i=1}^{n} (y_i - \beta_0 - \sum_{j=1}^{p} \beta_j x_i j)$$
(4)

Here p is the number of predictors, n is the number of data-points, $\beta_0 =$ is the intercept, β_j is the j^{th} coefficient, and x_j is the j^{th} predictor value.

This is not a flexible method, but it is easy to interpret. The aim is to find coefficients that display the relation between the predictor and the target. However, this relation is often not linear. Fitting a linear model to a non-linear predictor-target relation can be detrimental to the model's accuracy. There are several ways of identifying this problem such as separating the model into the different groups of predictors and use statistical parameters such as R-squared or MSE to identify poor fits. However, there are extensions of linear regression that attempt to automatically limit the influence of poor predictor-target relations. These are known as shrinkage methods. Shrinkage methods aim to reduce the coefficients β_j by adding a penalty term to the RSS [23]. Figure 16 shows a data-set that displays no linear correlation, x is the predictor and y is the target. To reduce the linear regression and the data's influence on the model a penalty λ can be added. λ is the penalty strength, and a larger λ reduces the poor correlation by reducing the β_j coefficients [23].



Figure 16: The orange points show a data-set with a nonlinear relationship. The continuous blue line shows the linear regression result or the lasso/ridge regression where $\lambda = 0$. The other dashed blue lines show the lasso/ridge regression using increasing penalty terms λ .

For the general case with multiple predictors, by reducing the j^{th} coefficient one also reduces the impact that the j^{th} predictor has on the model. If the j^{th} predictor has a non-linear relationship to the target data, the full model will likely be improved by reducing this predictor. This is regardless of whether the RSS is increased or decreased. This is why a penalty term is needed to find a balance between the RSS and the total value of all coefficients. One such method is ridge regression [23]. The aim of ridge regression is to minimize the following equation:

 $RSS + \lambda \sum_{j=1}^{p} \beta_j^2$ (5)

The new term added to the RSS is the shrinkage penalty, where the strength of the penalty is

determined by λ . In order to minimize Equation 5, the model finds the balance between the RSS and the shrinkage penalty, not allowing either one of them to get too big. If $\lambda = \infty$, the minimum of the regression will set all coefficients to zero. If $\lambda = 0$, the standard linear regression will be the result. If λ has a reasonable value (estimated by trial and error), it will decrease the error of the model because it reduces the impact of coefficients that correlate poorly with the response. The ridge regression method has a weakness in that even with a good λ , none of the coefficients are reduced to zero, but just approach zero. This implies that ridge regression can reduce the impact of poor predictors, but has issues eliminating predictors [23].

The lasso regression method seeks to improve this. This method minimizes the following equation:

$$RSS + \lambda \sum_{j=1}^{p} |\beta_j|$$
 (6)

Here the shrinkage term uses the absolute value of the coefficients instead of the squared value. The following example explains the difference between these two methods. If $\lambda = 1$ and $\beta_j = 0.5$, the penalty for the ridge method is 0.25, while the penalty for the lasso method is 0.5. Another example: Assuming $\lambda = 1$ and $\beta_j = 5$, the penalty for the ridge method is 25, while the penalty for the lasso method is 5. So one can say that ridge regression penalizes large coefficients β_j harsher, while lasso regression penalizes smaller coefficients β_j approaching zero harsher. Therefore, lasso regression is more likely to set the coefficients to zero. I use lasso regression instead of ridge regression, to observe the effects of predictor elimination [23].

2.2.5 Random forest regressor

Decision trees are good at separating different regions in the data into decision regions. A decision tree is composed of several decision levels. Each level represents a condition based on the previous decision. For example is x larger than 1? If this condition is true, then the decision is to move down to the left branch. At the end of the tree, there will be a value representing the estimate based on the decisions taken. This estimate depends on if the tree is a classification tree or a regression tree. A classification tree delivers the most common class in that region as the output. A regression tree usually outputs the mean target value of all the data in the decision region. Building a decision tree

involves making these levels of decisions so that they best split the data [23].



Figure 17: How a decision tree translates to decision regions. Years and Hits are the predictors, the target value is not displayed. The decision tree has two decisions resulting in two splits and three decision regions. The first decision splits the dataset in half based on if Years < 4.5. If this is true, then the decision if to go down to the left, resulting in R_1 . If false, another decision is encountered to the right. This second decision splits the decision region into the regions R_2 and R_3 . From [23] and their "Hitters" data-set.

A decision tree is made via a top-down recursive binary splitting. Starting from the top decision, the tree splits the data in half based on what area minimizes the loss function, for example RSS or MSE. The split defines two decision areas. Then for each new area a new split that minimizes the loss function is found. This is done until the maximum depth is reached. Another method is to make the entire tree at once many times until the loss function is minimized. This is however, too computationally intensive, even if it is more accurate. Recursive binary splitting makes a large decision tree that often overfits the data [23]. This is the same as saying that the decision trees have high variance and adapt greatly to the given data, which can make the models unreliable.

Random forest is an ML method that makes many decision trees to estimate the response. Random forest makes many smaller decision trees, where the predictors considered at each split are determined randomly. Using random predictors for each tree makes it necessary to reduce the correlation between the trees. The reason for this is mainly to reduce the variance of random forest in comparison to decision trees. Here variance means that the trained model changes significantly if trained to a subset of the dataset. After all the trees are trained, the trees estimate a value at a sample point based on what decision area the point is in. The mean of these values is returned [23]. In scipy, bootstrapping is used for making random forest models. This method considers two arguments: n_estimators which refers to the number of trees in the forest, and max_depth which refers to the maximum depth of the decision trees.

2.2.6 Neural Networks

Neural Networks are designed to be similar to how mammalian brains function. The brain is composed of neurons which fire electrical signals, the neurons are connected via synapses. The synapses usually convert the neurons electrical signals into chemical signals that are converted back to a new electrical signal that is transported to the next neuron. However, all neurons are not connected to each other. Rather they are connected in a hierarchical layered manner. This allows for the transportation and modification of electrical signals [24]. In a similar manner, a neural network is composed of neurons that collect information and weights connecting the neurons while modifying the information. Sets of weights and their connected neurons form a layered structure such as in Figure 18.



Figure 18: One-layer neural network. The squares with an f represent the activation function. Σ indicates that the inputs to the neuron are summed. θ_{ij} represents a weight (floating point number) which is multiplied with the connected input (j), and the result is sent to the connected neuron (i). Based on theory from [24]
The information here is not electrical, but rather numerical. The neurons sum all incoming numbers together before sending them to the next layer. The weights multiply the numbers by a specific value during transmission. The first set of neurons are the input layer, where the initial data are provided. The last set of neurons is the output layer representing the result of the model. Since the output is a set of neurons, one model can estimate several parameters at once, for example porosity and density [24].

Figure 18 shows a one-layer network. The structure is separated into 5 parts that do not necessarily represent the current nomenclature but is useful for showing how a neural network functions. The input data are added to the input layer. The input is multiplied by the 1st set of weights and passed into the hidden layer. In the hidden layer, the connected data are summed in the neurons represented by the circles. The output of the neurons is passed through an activation function (sometimes called a transfer function depending on the source). The output of the hidden layer is multiplied by the 2nd set of weights and passed to the output layer. The procedure of the output layer is similar to the hidden layer. The result of the output layer and thus the neural network model is y, which can be a vector or a single value depending on the desired output [24].

This ordered system of summation and multiplication allows the neural network to produce virtually any function, making it extremely flexible. There are many extensions to neural networks. The most common extension that is relevant for this thesis is the activation function. The activation function can be used on every neuron. It is simply a function that takes a single argument. For example in this thesis, the sigmoidal function will be used. This is because the sigmoidal function limits the output between 0 and 1; this is useful when trying to predict porosity which is within this range. By using the activation function, the flexibility is limited but it ensures that the model behaves within reasonable limits [24].

After the output layer is calculated, a loss function is used for evaluating how close the output is to the target. The mean-squared error is a common example of a loss function. I have explained so far forward propagation. Backward propagation is how the weights are updated [24]. This is done with an optimizer, for example "Adam", which is used by tensorflow. "Adam" is an algorithm for first-order gradient-based optimization of stochastic objective functions, based on adaptive estimates of lower-order moments [25]. It calculates how much the set of weights should be changed, which is then applied to the weights. One forward and one backward propagation equals one epoch or one learning cycle of the model [24]. With each epoch, the performance of the model should improve. In this thesis I use 100 to 1000 epochs.

2.2.7 K-fold Cross-validation

Cross validation is a resampling method, which involves taking samples from a training set and fitting the model to these samples before repeating this process to the rest of the dataset. Resampling methods give information on the dataset that cannot be acquired by simply fitting a model. In our case, cross validation gives information on how prone the dataset is to over-training. Over-training means that in the worst-case scenario, the model is simply interpolating the data. This means that the model would likely fail predicting any new data. One can avoid over-training by constraining the models shape (lowering how much it adapts to the data); the worst-case scenario is that the model simply shows a linear relationship while the data shows a completely different relationship, this would be under-training. Resampling methods allow finding the amount of constraints that prevent both under and over-training [23].

Cross validation is useful for avoiding over-training and performing parameter tuning. For example, when using KNN-regression what should be the "k" parameter equal to? In k-fold cross validation, the dataset is split randomly into k folds (parts). Figure 19 shows an illustration of 5-folded cross validation. For each split shown in Figure 19, the model is trained using all other folds, and then the method predicts the current fold to calculate the error (for example MSE). Thus, the method returns a number of error scores equal to the number of folds. The mean of these errors gives an evaluation of the robustness of the model against over-training and its accuracy. Cross validation is ran once for each parameter value that is considered. Then, the model that performs best is picked [23]. TensorFlow does not have cross validation built in, so the sklearn split function is used instead to make the folds, and the cross-validation is manually coded.



Figure 19: Five folded (parts) cross-validation. One cycle per fold of training to 4 folds and validating using the remaining fold. The validation error (cross-validation score) is calculated for each cycle. The cross-validation mean (CV-score) is the mean of all the validation errors. From [26].

3 Methodology

3.1 Workflow

The overall workflow aims to perform seismic inversion using either synthetic data or data from the F3 block. This provides a P-impedance cube that correlates with porosity. Then the acoustic impedance and porosity well-logs are used to predict the porosity of a selected seismic section using SGS and ML methods. The predictions are later compared to each other in the Results section.

The workflows for the synthetic models and the F3 dataset are different. The workflows are shown in figures 20 and 21 for the F3 dataset and synthetic models, respectively. The primary difference is that the synthetic models have to be constructed, specifically the seismic cube and seismic horizons, as these are the basis for seismic inversion. This is unlike the F3 dataset, which has a seismic cube and interpreted seismic horizons.

For the synthetic models, 3D cubes of porosity and acoustic impedance are made from seismic horizons and well-logs. From the acoustic impedance cube and a wavelet, a 3D seismic cube is calculated (Figure 21). At this point, both the synthetic models and the F3 block have a seismic cube and well-logs. For both situations, seismic inversion is performed to construct a P-impedance cube (figures 20 and 21). Then, SGS is performed to estimate porosity from the P-impedance cube and the porosity well-logs. Finally, the ML methods are used to predict porosity from a section of the P-impedance cube and the porosity well-logs. After that, the ML and SGS predictions are compared to examine where and to what degree they differ from each other and the true porosity model (figures 20 and 21). Notice that the SGS method operates on a 3D basis (seismic cube), while the ML methods operate on a 2D basis (seismic section).



Process to prediction for the F3 data-set.

Figure 20: Basic workflow for the F3 dataset. ML = machine learning, SGS = sequential Gaussian simulation.

For the machine learning part there is an important difference if the model is synthetic. The synthetic models have a true porosity cube unlike the F3 data. One advantage of this is that traces in the porosity and acoustic impedance cubes can be used as synthetic well-logs. Thus, by changing the well location(s), the impact of well placement can be investigated. For example, will the ML methods perform well if the well is outside the wedge, despite the lack of information in the wedge?



Process to prediction for a Synthetic model.

Figure 21: Basic workflow for a synthetic model. ML = machine learning, SGS = sequential Gaussian simulation.

Sections across the synthetic acoustic impedance models are shown in Figure 22. From left to right, the models are the homogeneous wedge, heterogeneous wedge, and normal fault. The models without spectral noise are the three top sections, the models with spectral noise are the bottom sections. The models are constructed to evaluate how the seismic inversion, geostatistics (SGS), and ML methods handle these types of subsurface geometries and noise levels.



Figure 22: Sections across the synthetic acoustic impedance models. Case 1 is the homogeneous wegde, case 2 is the heterogeneous wedge, and case 3 is the fault model. The first row are impedance sections without noise. The second row are impedance sections with spectral noise. Case 1 has a different scale because it is using kPa.s/m, while the other cases use Pa.s/m

3.2 Seismic inversion and porosity estimation of F3 dataset

The inversion and porosity prediction of the F3 dataset are covered before the synthetic models, as the construction of the synthetic models are based on the F3 dataset. The statistical wavelet, wells and anisotropy are derived from the F3 dataset and used in the synthetic models.

The deterministic wavelet extracted from the F3 seismic data is displayed in Figure 23. This wavelet shows a reversed polarity which was not obvious from the seismic.



Figure 23: Deterministic wavelet from the F3 dataset. The wavelet is made from the seismic cube and logs from well F02-1.

The lower-frequency model (LFM) is displayed in Figure 24. The extrapolation of the LFM is guided by the interpreted horizons. There are uncertainties in the low frequency impedance between the wells, which is indicated by the LFM not following the horizons far away from the wells. Via seismic inversion, the LFM and wavelet (Figure 23) are used to derive the P-impedance shown in Figure 25. This P-impedance and the porosity well-logs are the input for the porosity estimation.



Figure 24: F3 LFM impedance section with wells F02-1 and F03-2 and acoustic impedance logs. Same location as in Figure 8. The impedance is in kPa.s/m.



Figure 25: Seismic inversion and resulting P-impedance section of the selected F3 section. Wells F02-1 and F03-2 and acoustic impedance logs are included. The impedance is in kPa.s/m. Same location as in Figure 8

The parameters for the SGS method are determined from the P-impedance cube and porosity well-logs. The number of wells is not enough to derive a horizontal variogram. As the porosity correlates with the acoustic impedance, the impedance cube is used to estimate the variogram horizontal major and minor ranges as well as their azimuth. Figure 26 shows the the major and minor horizontal variogram directions for the F3 data. The major range is estimated to be 8000 m with an azimuth of 320° . The minor range is estimated to be 4000 m, half of the major range, and with azimuth 050° .



Figure 26: Time-slice of the F3 dataset and inverted P-impedance. Many time-slices are used to estimate major and minor variogram ranges as well as their azimuth. These are shown as the white arrows. The impedance is in kPa.s/m.

The vertical range however can be estimated from the well-logs using the variogram in Figure 27. The nugget is set to zero, assuming that the data have no errors. The vertical range is 11.6 m. Also, the vertical variogram model fits well with an exponential function. The variogram parameters used in the SGS algorithm are shown in Table 2.



Figure 27: Variogram of the porosity log in well F02-1. The fitted model gives a range of 11.6 m with an exponential function shown by the blue line. The red boxes show the model function and vertical range.

Parameter:	Value:
Vertical range	11.6 m
Major range	8000 m
Minor range	4000 m
Azimuth major axis	320°
Azimuth minor axis	050°
Variogram model	exponential

Table 2: Variogram parameters used in SGS modelling

3.3 Construction of synthetic models

3.3.1 Case 1: Homogeneous wedge

Case 1 is a homogeneous wedge. The model was made using the Petrel tool: "RokDoc - 2D Forward Modeling". This tool makes the two horizons that define the top and base of the wedge. The top horizon is horizontal while the base horizon dips to the left. The layers below the wedge dip the same than the base of the wedge. The horizons in the wedge increase in dip from the top to the base of the wedge (Figure 28). The well F02-1 is used as the basis for constructing the porosity and acoustic impedance models. The porosity and acoustic impedance logs are extended from the well location to the rest of the section following the horizons. Since the vertical distance between the horizons changes laterally, the well-logs are squeezed to the right where the wedge pinches out, and





Figure 28: Case 1a: Acoustic impedance model of the homogeneous wedge without noise. The well, impedance log and horizons used for the construction of the sections are shown. The impedance is in kPa.s/m.

The synthetic seismic section for the homogeneous wedge is derived from the impedance model (Figure 28) using a statistical wavelet shown in figure 30. Once the synthetic seismic section is made, noise is added to the section, with a spectrum that is shaped by the analytical wavelet. Seismic inversion is performed on both the seismic section without noise and the section with noise to determine the P-impedance cube. The wedge model is only used for simple evaluation of the ML performance. Therefore, no porosity estimation using SGS was done.

3.3.2 Cases 2 and 3: Heterogeneous wedge and fault models

These models are three-dimensional and they were made covering an area around the wells F02-1 and F03-2. The vertical TWT range should include the well-logs and is therefore limited to -400 and -1300 ms TWT. In order to preserve the lateral variability, the major and minor variogram ranges as well as the anisotropy azimuth are consistent with the F3 block (Table 2). These parameters

are also used in the porosity estimation by sequential Gauss simulation, meaning that they are not subject to uncertainty.

For these two models, four horizons (models 2 and 3) and a fault plane (model 3) are constructed to build the structural model. The wedge model (model 2) requires two horizons that are parallel in one area, before diverging with the lower horizon dipping downward as shown in Figure 29A. In model 3, a fault plane is made shown as the blue surface in Figure 29B. At the top and bottom of the fault plane, the horizons are approximately horizontal and indicate zero fault displacement. Between the top and bottom horizons, Figure 29B shows that the horizons dip sharply in the area close to the fault. These horizons and fault interpretations are used to define the shape and resolution of the 3D grids that are populated with porosity and acoustic impedance.



Figure 29: Seismic horizons and fault used to construct the synthetic models of cases 2 and 3

For both models, the 3D grid is populated with acoustic impedance using SGS. The horizontal variogram ranges for the major and minor directions are the same as in Table 2. Similar to the variogram model in Figure 27, the exponential model was chosen for the vertical variogram. The porosity model is made using SGS guided by the acoustic impedance model using the variogram parameters specified earlier. The synthetic seismic is made using the impedance model and the statistical F3 wavelet shown in Figure 30. Noise is added with a frequency spectrum defined by the statistical wavelet. The noise is necessary for challenging the estimation methods. The addition of

the noise separates these two cases into sub-cases with and without noise.



Statistical F3 Wavelet

Figure 30: Statistical wavelet made from F3 seismic.

From the synthetic seismic, a deterministic wavelet is calculated using the reflectivity derived from the impedance log of well F03-2 and the seismic traces near that well. Seismic inversion is then performed to derive the P-impedance cube. Using the P-impedance cube with SGS (same parameters as in Table 2), the porosity cube is estimated. The section used for testing the machine learning algorithms contains the wells F02-1 and F03-2. Their location is shown in Figure 8.

3.4 Design of ML methods for porosity prediction

3.4.1 Synthetic well-logs

The synthetic sections contain the true porosity and impedance. This means that traces from these sections can be extracted as synthetic well-logs and used for training the ML models. This is done to test the effects that different well locations have on the predictions. For example, placing the synthetic well inside the wedge versus outside the wedge and examining the effects this has on the error. A negative consequence of using traces as synthetic well-logs is that the sampling frequency is lower than in a real well-log. This means less data than if real well-logs are used, which can reduce the ML model accuracy.

3.4.2 Window functions

In machine learning, predictor and target data are used to train the ML model. After the model is made, it can predict the target value based on the input predictors for one data-point. If an ML model makes several predictions, it does not consider previous or future predictors, only the current input predictors (there might be some exceptions). In sedimentary rocks, there is a certain expectation that vertical sequences in the rock properties have some continuation laterally. Therefore, it would be useful to provide the ML models with information on how the rock properties change vertically.

To provide the ML models with information about vertical properties changes, rolling window functions are used. The rolling median and mean windows calculate the median and/or the mean within a predetermined interval at every point and add this as a predictor. The interval refers to the number of data-points above and below the point of computation. The rolling selection window works in a similar way. It adds all data points within an interval as new predictors. I use only a window size of 10 data-points. This window size is included to examine if it improves the ML models. This thesis will not look at optimizing the window size.

3.4.3 Geological time (depo-time)

Adding geological time as a predictor might improve the estimation for the same reason as the window functions, since it provides the ML methods with information about the geometry and geology. For example, the homogeneous wedge is made using three points: the beginning of the top and base, the end of the base, and the end of the top. This same principle can be used for reconstructing the geological time. From the top of the section to the bottom, time increases continuously where the wedge is present. Where the wedge is not present, there is a gap in time. The depo-time constructed in Python is shown in Figure 31. The upper layers above the wedge are horizontal while the lower layers below the wedge dip to the left. Also, on the right of the plot indicated by the red rectangle, the depo-time jumps from about 300 to about 500 ms, indicating that the wedge is not present here.



Figure 31: The depo-time for the wedge geometry used in case 1. This diagram is constructed based on the assumption that time increases continuously from the top to the base of the wedge. The red box shows the area of missing time.

In the heterogeneous wedge and fault models, depo-time (geological time) is also used. In the process of making these time sections, seismic horizons are necessary. These horizons are surfaces that represent an area where the deposition occurred at approximately the same time. This can be used to derive the relative geological time. An example of the resulting time sections are shown in Figure 32. This method is also applicable to the F3 dataset as seismic horizons are available. Each horizon is first given a label (depo-time), the upmost horizon equals 1, the second horizon equals 2, etc. Then for each trace in the section, the depo-time is linearly interpolated between the horizons. Since standardization (explained in the next section) is used, the depo-time absolute numbers don't matter so long as the rate of increase/decrease in time is constant.



Figure 32: The depo-time constructed from seismic horizons in synthetic models 2 and 3 (heterogeneous wedge and fault). This construction is based on interpolation between the horizons.

3.4.4 Standardization

For ML methods such as neural networks with a sigmoidal activation function and KNN, it is important to standardize the predictors. Standardization ensures that a set of values have a mean equal to zero and a standard deviation equal to 1. Standardization means that variables with different scales, units of measurement, etc. can be compared [23]. For example, acoustic impedance and porosity can be set to the same scale through standardization. This makes equal the scale of predictors so that none have a greater influence than the others. If this is not done, it can result in poor optimization during training. In the case of KNN, the predictors on a larger scale would dominate since distance is important. Standardization is applied using the equation:

$$predictor_{standardized} = \frac{(predictor_v - mean(predictor_v))}{std(predictor_v)}$$
(7)

 $predictor_v$ stands for predictor vector, i.e. each predictor vector is standardized individually. std() is the standard deviation. Additionally, the training predictors mean and std are saved and latter used in the following function:

$$predictor_{standardized} = \frac{(predictor_{new} - mean(predictor_v))}{std(predictor_v)}$$
(8)

This equation is similar to Eq. (7), except that $predictor_{new}$ is the predictor vector in either the validation set or the dataset that lacks known target values. This means that the standardization remains consistent to the standardization in the training dataset.

3.4.5 ML methods Parameter Tuning

The properties of each ML method are largely determined by their parameters. While parameter tuning can be performed using cross-validation, the tuning is only done within a certain specified parameter search range. Figure 33 shows an example of the cross-validation MSE (MSE = mean squared error) plotted against the parameter values. The x-axis shows the parameter range. The orange line in Figure 33 displays where the MSE is closest to zero. The corresponding parameter value on the x-axis will be the right parameter value to use in the model. Determining the range is a matter of starting with a large but coarse range and observing the results. Then, the range is

reduced to the area of best performance (cross validation MSE closest to zero) until a consistent value range of satisfactory performing variables are found. If the MSE closest to zero appears to be outside the search range, the range should be expanded. [23].



Figure 33: Parameter tuning for the KNN method and specifically the number of neighbors. The optimal number of neighbors is shown as the orange line.

The best parameter search ranges are compiled in Table 3 for the synthetic models, and Table 4 for the F3 dataset.

ML method:	Parameter:	Cross-validation search range:
KNN-regression (case 1)	k	$1 \rightarrow 50$
KNN-regression (cases 2 and 3)	k	$1 \rightarrow 100$
Lasso regression	alpha or λ	$0 \rightarrow 0.005$
Random forest	maximum depth	$4 \rightarrow 9$
Random forest	number of estimators	$25 \rightarrow 110$
Neural network	number of neurons	$1 \rightarrow 40$

Table 3: ML parameter ranges used in cross-validation for the synthetic models.

ML method:	Parameter:	Cross-validation search range:
KNN-regression (case 1)	k	$1 \rightarrow 50$
KNN-regression (cases 2 and 3)	k	$1 \rightarrow 100$
Lasso regression	alpha or λ	$0 \rightarrow 0.005$
Random forest	maximum depth	$1 \rightarrow 20$
Random forest	number of estimators	$25 \rightarrow 110$
Neural network	number of neurons	$1 \rightarrow 40$

Table 4: ML parameter ranges used in cross-validation for the F3 data-set.

3.4.6 F3 well-log issues for Machine learning

To use the window functions, the section and well-log resolution must be equal (4 ms sampling). This can be done by up-scaling the well-logs in Petrel. Upscaling is performed for the porosity and P-impedance logs. This does mean that much of the data are lost in exchange for more predictors. Whether or not this improves the predictions is not known a priori. If the window function is not used, then the well-logs are not up-scaled.

3.5 Evaluating Prediction results

The classical statistical parameters are calculated for the geostatistical and ML approaches. These are: mean absolute error (MAE), mean squared error (MSE), and the r2 score. The r2 score is similar to the classical R-squared metric and is used in the Sklearn module. The best score is 1.0 and the worst score is 0 and negative values [20].

In the synthetic models, to compare the ML models results against the true porosity in the section, the absolute difference at every point on the grid is used. This produces a section of the absolute error, which shows the error in a geometrical/geological context. The cross-validation scores are saved for each ML model.

Boxplots are used to evaluate how the ML models performance changes depending on the cases and predictors. A boxplot is a visualization of the data distribution of one variable. For example, the probability distribution of the MAE. This is illustrated in Figure 34. The box indicates where 50 % of the data are located. The line inside the box is the median of the data. From the box, two vertical lines extend, these are called whiskers. The range of these lines and the box show where the majority of the data are (usually 95-99 % of the data). In this thesis, Pandas is used for making the boxplots. In Pandas, the sum of the whiskers is equal to the range of the box, but they can be slightly shorter. So, the full range should be 100 % aside from outliers [21].

The results comprise every combination of the sub cases, ML methods, and parameters for predictor extraction. This corresponds to a total of 352 models. Because of this large number of results, the overall impact of the different methods will be explored, not the specific impact. For example, the impact of changing the well location for each ML method will not be explored. Instead, for each synthetic model with and without added noise, all the resulting MAE are compiled into a distribution. Then for each parameter (for example ML methods), the compiled MAE are categorised by their values. For example, for case 1 with noise given the parameter ML methods, there will be four boxplots for the MAE distributions, one for each of the ML methods. These distributions contain all combinations of the remaining parameters.



Figure 34: A boxplot made in Pandas using MAE values. The box represents the 50 % range of the data, the line inside the box shows the median of the data. The vertical lines (whiskers) represent where the majority of the data are located. The sum of the whiskers lengths extend no further than the range of the box.

4 Results

As discussed in the methodology, the SGS and ML methods are used to predict the target porosity sections. SGS does this using an impedance cube and the porosity and impedance well-logs. The ML methods always use the impedance section, and synthetic or real well-logs of porosity and impedance. However, using prediction extraction, the ML methods can also work with the rolling window mean, median, data-point selection (see section 3.4.2), and/or the depo-time. Of course, the porosity logs are not used as predictors, but as a target for the training process. When the window functions are used, they are all used at the same time as predictors. Due to the number of results, only the

predictions with added noise will be plotted as sections. This is because noise is expected in real cases, thus these sections are more important to consider.

4.1 Statistical parameters

The statistical parameter used for comparison of the different predictions is the MAE. The other parameters (MSE and r2 score) show the same trends as the MAE. The only exception is the cross-validation (CV) method. The relationship between the CV MSE and MAE is shown in Figure 35. The plot shows that in synthetic cases 1 and 2 (wedge models), for a low CV MSE a low MAE is very likely. However, in synthetic case 3 (fault model), there is no clear relationship. The reason for this has to do with the well locations as it will be discussed latter in section 4.4.2.



Figure 35: Scatter plot of the CV MSE versus the MAE for synthetic models 1 to 3. Cases 1 and 2 are the wedge models, and case 3 is the normal fault model. Points and linear fits are colored by the case/model.

4.2 Case 1 Homogeneous wedge

Case 1 tests the ML methods performance for predicting the porosity of a homogeneous wedge. Figure 36 is the true porosity section and it is the basis for evaluating the performance of the ML methods. Figure 37 shows the P-impedance sections. The right plot has noise, but it is still possible to discern the wedge geometry.



Figure 36: True porosity section of the homogeneous wedge model (case 1).



Figure 37: P-impedance sections used for the porosity estimation of case 1 (homogeneous wedge). The left section has no noise, while the right section has noise. The impedance is in kPa.s/m.

4.2.1 ML results

The methods that made the best predictions according to the MAE are shown in Table 5 for the cases without and with noise. The MAE is 0.37% and 1% for the cases without and with noise, respectively. Both predictions used the same well locations and depo-time, but different window size and ML methods (Table 5). These results are useful to keep in mind as we proceed to the boxplots.

Parameter Type:	Parameter value without noise	Parameter value with noise
ML method	KNN	Random Forest
Well location(s)	[100, 200]	[100, 200]
Window size	10	0
Depo-time implemented	True	True
MAE	0.0037	0.01

Table 5: Best prediction for case 1 (homogeneous wedge) with the ML methods and parameters used.

Figure 38 shows the boxplots comparing the impact of different parameters on the mean absolute error (MAE). From the plots a1 and a2, it appears that random forest and KNN regression result in the lowest MAE regardless of noise. Lasso regression is the worst performing ML method, followed by neural network.

Lasso and shallow neural net are less flexible methods (if the N-net has few neurons), so the poor predictions imply that the porosity trend is not simple and requires a more flexible ML method. Figure 38 d1 and d2 show that including the depo-time reduces the error. Figure 38 c1 and c2 show that the window function has little effect on the prediction's overall error, especially for the section with noise. These observations imply that the depo-time provides the ML models with better information on the geometry and geology.



Figure 38: Box plots for homogeneous wedge without noise (a1-d1) and with noise (a2-d2), and exploring the effect of ML method (a1, a2), wells location (b1, b2), window size (c1, c2), and depotime (d1, d2). For wells location, the numbers withing brackets are the x coordinates where the wells are.

The results in figure 38 b1 and b2 show that the wells locations have little to no effect on the overall accuracy. However, the predicted porosity sections in Figure 39 show that the wells locations matter greatly. Figure 39 a1 and b1 have well location(s) inside the wedge and show good performance in the absolute error plots a2 and b2. Figure 39 c1 shows the prediction using one well at trace 290, which is outside the wedge. The porosity in the wedge in this case is underestimated, and yields a significant error (c2). That the boxplots do not reflect this error means that it is not significant for the overall MAE estimation. However, if the area of interest is inside the wedge, this error would be highly problematic.



Figure 39: The ML porosity predictions and error sections using the same data in case 1b (with added noise), but with different well location(s). a1, b1 and c1 show the porosity predictions, while a2, b2 and c2 show the absolute error sections. The wells are displayed as black vertical lines.

4.3 Case 2 Heterogeneous wedge

The true porosity section is displayed in Figure 40, while the P-impedance sections are shown in Figure 41, where the left plot has no noise and the right plot has noise. These two sections were used for the ML porosity predictions.



Figure 40: True porosity section in case 2, laterally heterogeneous wedge.



Figure 41: P-impedance sections used for the porosity estimation of case 2 (heterogeneous wedge). (a) has no added noise, while (b) has added noise. The impedance is in Pa.s/m.

4.3.1 Classical approach

Figure 42 shows the statistical error of the SGS prediction. SGS has an MAE of 2.3 % when the P-impedance has no added noise, and 2.5 % when noise was added to the P-impedance. Figure 43 shows the porosity prediction using SGS to the left and the absolute error to the right. The SGS method captures the general structure and heterogeneity of the sedimentary wedge well, aside from the area to the right where it overestimates the porosity.

case	MAE	MSE	r2 score	abs error std
case 2a wedge hetero	0.023256	0.000972	0.477209	0.020761
case	MAE	MSE	r2 score	abs error std

Figure 42: Statistics of the SGS prediction in case 2, heterogeneous wedge. The upper row is the prediction without noise, while the lower row is the prediction with added noise.



Figure 43: Predicted porosity section for case 2 using SGS. The left plot shows the predicted porosity section. The right plot shows the absolute difference between the predicted and the true porosity.

4.3.2 ML results

The methods that made the best predictions with the lowest MAE are shown in Table 6, for the cases without and with noise. The MAE are 1.5% and 2%, for the cases without noise and with noise, respectively. These are better MAE results than the SGS method just discussed. The predictions use the same window size and depo-time, but different well-locations and ML methods (Table 6). As in case 1, it is useful to keep in mind these results as we proceed to the boxplots.

Parameter Type:	Parameter value without noise	Parameter value with noise
ML method	Neural net	Lasso
Well location(s)	[200, 350, 500, 700]	[700, 750, 650, 775]
Window size	10	10
Depo-time implemented	True	True
MAE	0.015	0.021

Table 6: Best ML predictions for case 2 (heterogeneous wedge) with the parameters used.

Figure 44 shows the boxplots of the MAE using the ML methods. The left column (a1-d1) is the section without noise, and the right column (a2-d2) is the section with noise. Figure 44 a1 and a2 show that the ML methods perform similarly in terms of the median MAE. The KNN and random forest perform decently with a wide distribution of MAE when there is no noise (Figure 44 a1). However, when noise is added, the KNN performs worse and has a narrower MAE range than the other methods (Figure 44 a2). This is regardless the predictors or well-locations. The same plot shows that the random forest (RF) method has a wide error distribution, but it does perform well given the correct well-location(s) and predictors, or it can perform very poorly if this is not the case. Lasso is the best performing method consistently, and has a narrow MAE distribution.

Figure 44 d1 and d2 show that the depo-time has little effect on the accuracy of the prediction. However, the best models in Table 6 use the depo-time, meaning that this implementation has a positive effect. Figure 44 c1 and c2 show that the window implementation has a positive effect on the prediction. These observations imply that, opposite from case 1, in case 2 the window function provides better information on the geometry and geology. Figure 44 b2 shows that with added noise, the well-locations produce similar MAE distributions. The first well-location [200, 350, 500, 700] (wells spread throughout the entire section) has a wider MAE distribution skewed towards lower MAE. While the difference with the other well locations is small, this could imply that the first well-location provides more reliable data. This is supported by Figure 44 b1, where the first well-location is clearly better than the other combinations.



Figure 44: Box plots for heterogeneous wedge without noise (a1-d1) and with noise (a2-d2), and exploring the effect of the ML method (a1, a2), wells location (b1, b2), window size (c1, c2), and depo-time (d1, d2). For wells location, the numbers withing brackets are the x coordinates where the wells are.

In Figure 44 a2 to d2, one can observe two outliers with the worst performance. This occurs for the KNN and RF methods when the wells are concentrated outside the wedge, the window function is not used, and the depo-time is used. This supports the observations made so far and confirms that while the well-locations do not have a large effect, if the wells are placed outside the wedge, the predictions can be very poor.

Figure 45 shows the best predictions based on the well(s) location(s). Case (a) has one well inside of the wedge. Case (b) has four wells concentrated to the right of the section. Case (c) has four wells spread throughout the section. The sections and corresponding error plots (a2, b2, c2) are similar. However, compared to the SGS prediction and true porosity shown in figures 43 and 40 respectively, the ML predictions display less detail. Specifically, the predicted porosity (a1, b1, c1) shows less clear layering than the true section. One could say that it looks like the ML models are interpolating the porosity between the layers. The layers containing higher true porosity (0.325 to 0.4) are predicted as lower porosity values ca. 0.3. This is probably an effect of optimizing the error, meaning that the ML methods predict the most common porosity values to avoid large individual errors.



Figure 45: The ML porosity predictions and error sections using the same data than in case 2b (with added noise), but with different well location(s). (a1, b1, c1) show the porosity predictions, (a2, b2, c2) show the absolute error sections. The wells are displayed as black vertical lines.

4.4 Case 3 Normal Fault

The synthetic porosity section in the normal fault case is shown in Figure 46. The P-impedance sections used for the porosity estimation are shown in Figure 47, the left plot is without noise and the right plot has noise. Notably, the fault trace is clear in the P-impedance section without noise, but it is less clear in the P-impedance section with noise.



Figure 46: True porosity section in case 3, normal fault.



Figure 47: P-impedance sections used for the porosity estimation of case 3 (normal fault). The left section has no added noise, while the right section has added noise. The impedance is in Pa.s/m.

4.4.1 Classical approach

The MAE of the SGS porosity predictions are shown in Figure 48. The MAE for the section without added noise is 2.13%, while in the section with noise the MAE is 2.27%. The porosity prediction for the section with noise is displayed in Figure 49 left, while Figure 49 right shows the absolute error. The absolute error shows that the porosity is largely overestimated in the top left of the section. However, for the rest of the section, the SGS method captures the fault well and displays heterogeneity similar to the true porosity section.

case	MAE	MSE	r2 score	abs error std
case 3a fault	0.021321	0.001354	0.259757	0.029984
case	MAE	MSE	r2 score	abs error std
case 3b fault	0.022717	0.001444	0.210382	0.03046

Figure 48: Statistics of the SGS prediction in case 3, normal fault. The first row is the prediction without noise, while the lower row is the prediction with added noise.



Figure 49: Predicted porosity section in case 3 using SGS. The left plot shows the porosity section. The right plot shows the absolute difference between the predicted and true porosity.

4.4.2 ML results

The best predictions with the lowest MAE are shown in Table 7, for the cases without and with noise. The MAE are 1.3% and 1.6% for the sections without and with noise, respectively. These are better MAE results than the SGS method discussed in the previous section. The best models use the same parameters in both cases, meaning that the noise level has less effect on the parameter optimization than in cases 1 and 2. As in cases 1 and 2, it is useful to keep in mind these results as

we proceed to the boxplots.

Parameter Type:	Parameter value without noise	Parameter value with noise
ML method	Random forest	Random forest
Well location(s)	[200, 350, 500, 700]	[200, 350, 500, 700]
Window size	10	10
Depo-time implemented	True	True
MAE	0.013	0.016

Table 7: Best prediction for case 3 (Normal fault) with the parameters used.

Figure 50 shows the MAE boxplots of the ML predictions. a1-d1 are predictions using the impedance section without noise, while a2-d2 are predictions using the impedance section with noise. Regardless of the noise level, the inclusion of the window functions tend to lower the MAE, as shown by c1 and c2. However, d1 and d2 show that the depo-time implementation has little to no effect on the MAE. As in case 2, these observations imply that the window functions better informs the ML models on the geometry and geology. Additionally, Table 7 shows that the best predictions use the depo-time, implying that this implementation has a positive effect.

Figure 50 a1 and a2 show that the ML methods have similar MAE distributions, although the best predictions use the RF method. Plot (a2) shows more clearly that this is due to the neural network and RF methods producing a wider range of MAE results, both better and worse than the KNN and lasso methods. This means that the neural network and RF methods must be given good parameters, and that the other methods might be more robust.

From Figure 50 b1 and b2, the impact of the well locations shows a clear pattern. Spreading the well locations throughout the section ([200, 350, 500, 700]) causes the lowest MAE. Having the well go straight through the fault ([400]) produces the second best results. The worst predictions occur when the well(s) are located to one side of the section regardless of the amount of wells.


Figure 50: Box plots for case 3, normal fault without noise (a1-d1) and with noise (a2-d2), and exploring the effect of ML method (a1, a2), wells location (b1, b2), window size (c1, c2), and depotime (d1, d2). For wells location, the numbers withing brackets are the x coordinates where the wells are.

As discussed in section 4.1, case 3 has a unique relationship between the CV MSE and the MAE. Boxplots show that this relationship is usually the same except for the cases displayed in Figure 51. This figure shows the boxplots of the cross-validation MSE by the well locations, which indicate that having a well through the middle of the section (around trace 400) results in a higher error. This is the opposite to the equivalent MAE shown in Figure 50 b1 and b2. The reason is likely poor data quality in the area around trace 750. This is based on this location resulting in high MAE. The cross-validation MSE is low in this area because it was easy to train to the data, but the data was clearly not representative of the full sectionresulting in a higer MAE.

Cross-validation uses only the training data, that is the data at the well locations, while MAE uses the full section. Thus, low cross-validation MSE and high MAE implies that the training data did not capture the important data patterns. If this is the reason, it shows that while cross-validation can limit the effect of over-training, if the training data is of poor quality, the results will most likely have a high degree of error.



Figure 51: Box plots for normal fault without noise (a) and with noise (b), and exploring the effect of the wells location (a, b) on the cross-validation MSE.

Some of the predicted sections and their error plots are displayed in Figure 52. The best prediction based on the well locations are displayed in each row. Case (a) has the wells spread throughout the section. Case (b) uses a single well through the fault and looks similar to the prediction in case (a). The last case (c) has the worst results of the three, having four wells concentrated towards the right of the section. This prediction displays some artifacts in the middle of the section, additionally it lacks detail compared to the predictions in (a) and (b). This supports the conclusion from the boxplots in Figure 50 b1 and b2, that the wells should cross the fault to produce a good prediction. Plot (c1) uses four wells, yet performs worse than (b1). This underlines a point that more data do not necessarily improve the predictions, and that the quality of the data is more important. All these predictions used depo-time and the window functions.

Comparing these results to the SGS prediction in Figure 49, we get similar observations to those in case 2. The ML methods predict a smaller range of values near the most common values, producing sections with lower heterogeneity. This means that the porosity in many of the layers with high or low porosity is replaced with a porosity value close to the mean. The effect of this is that detailed information is blurred or removed.



Figure 52: ML porosity predictions and error sections using the same data as in case 3b (with added noise), but with different well location(s). (a1, b1, c1) show the porosity predictions, (a2, b2, c2) show the absolute error sections. The well-placements are displayed as black vertical lines.

4.5 Noise impact and general comparison between cases and approaches

Figure 53 shows each case's box-plot based on the MAE. Figure 53A shows the prediction error using ML methods, while Figure 53B shows the MAE using SGS. A comparison of the median of the ML and SGS methods shows that the ML methods tend to produce lower MAE. This difference, however, is small, circa 0.3 % in MAE.



Figure 53: Box-plots comparing the predictions of the different synthetic cases based on the MAE. Cases xa are sections without noise, cases xb are sections with noise. (A) Errors of the ML predictions. (B) Errors of the SGS predictions. These last ones are shown as lines since there is only one SGS prediction for each case.

Figure 53 shows that all of the cases (xa) without spectral noise perform better than the cases (xb) with spectral noise. This is the expected result. Additionally for the ML predictions, case 1 has a wider range of MAE values. This implies that in case 1, the MAE varies more depending on the parameters of the ML model than in the other cases.

4.6 F3 case

4.6.1 Classical approach

The impedance section and porosity prediction using SGS is shown in Figure 54. The porosity section shows that the SGS method displays little vertical heterogeneity, but tends to increase the porosity from left to right. This lateral increase of porosity is likely due to the flow direction of the river delta being from right (coarser grains) to left (finer grains).



Figure 54: Top: P-impedance section of the F3 dataset from seismic inversion. Bottom: Predicted porosity section for the F3 dataset using SGS. The impedance is in kPa.s/m.

4.6.2 ML results

The results from the synthetic models and MAE boxplots (e.g., Figure 53) were used to select the most likely accurate ML methods for the F3 case. The effect of the window functions and depo-time implementation on the MAE depended on the model, but consistently has a positive effect. The

effectiveness of the ML methods is not always clear from the results, except for the KNN method which consistently was outperformed by the other methods. Figure 55 shows the F3 ML porosity predictions using the random forest (a1 and b1), neural network (c1), and lasso (d1) methods. All these predictions use depo-time, but case a1 does not use the window function, while the other cases b1 to d1 use the window function. In Figure 55, the predictions are ordered from top to bottom by increasing cross-validation MSE. Case a1 has the lowest cross-validation MSE, since this case does not use the window functions and up scaling of the well-logs is not necessary. This means that this model has access to more data.

Figure 55 b2 and c2 show that the prediction using RF and neural network mostly agrees with the SGS method. This is clear by the comparatively large amount of purple in the corresponding difference plots to the right. The lasso prediction (d1) shows the least amount of heterogeneity (detail), populating the section with mostly high porosity values. The neural network prediction (c1) tends to only predict medium (ca. 30%) or high (ca. 40%) porosity. Figure 55 a1 and b1 show that RF produces a larger variety of porosity values. Significantly, RF without a window function (a1) produces thin layers that are laterally consistent. This could mean that using RF with a large weight on the depo-time produces a section with more detail. Based on the results of the synthetic models this is likely to increase the error by a small amount, as the window function almost always reduced the error.



Figure 55: ML predictions of the F3 section. (a1-d1) show the porosity predictions, (a2-d2) show the difference between the ML and the SGS predictions. (a1,a2) use the random forest prediction without a window function, and (b1, b2) use the random forest prediction with a window function. The rest of the predictors use the window function. (c1, c2) use the neural network method, and (d1, d2) use the lasso method. All predictions use the depo-time implementation.

4.7 Impedance-Porosity relationship

Figure 56A shows the scatter plot of the impedance well-logs against the impedance from the seismic inversion, after these data have been assigned to the F3 model 3D grid. The linear correlation coefficient equals 0.7. If the seismic inversion was perfect, this coefficient should equal 1.0. Since this is not the case, this means that the inversion affects the porosity to impedance trend. Figure 56B shows the correlation between the porosity from the well-logs and the impedance from the seismic inversion in the area of interest of the F3 3D model. These data and correlation are used in the SGS method.



Figure 56: Plot A shows the correlation between the well-logs impedance and the impedance from seismic inversion. Plot B shows the correlation between the porosity from well-logs and the impedance from seismic inversion. This correlation is used in the SGS algorithm.

Figure 57 shows the scatter plots of the porosity against the impedance. The blue points represent the well-log data. The orange points show the distribution of the predicted porosity based on the P-impedance for both the SGS and ML methods. From Figure 56B it is expected that the porosity should increase as the impedance decreases. From plot (a) in Figure 57 this is mostly true, though it is likely that the inversion makes this relationship less clear.



Figure 57: Porosity against impedance for the F3 case. Only the relevant portion of the plots are shown for easier comparison, all axes limits are the same. (a) shows the well-log data, this plot is repeated in the other plots for comparison. (b) shows the SGS results in orange. (c-f) show the results using the ML methods included in Figure 55.

Figure 57a shows a portion of the well-log data relevant to the wedge area considered. The range in the scatter plots includes the expected ranges of impedance and porosity data in this region. Figure 57b shows the SGS results in orange. SGS is expected to follow the original data distribution, yet this is clearly not the case. This is because the scatter plot is only for the 2D section, while SGS predicts a 3D model. Thus, this plot is fine. In fact, it shows a clear trend of decreasing porosity with increasing impedance. However, the data are concentrated at the higher impedance and lower porosity values. Additionally, the porosity values are cut off at approximately 0.23 and 0.33. This is because this is the main porosity range of the well-logs in the area of interest.

Figure 57 d to f show the predictions for the ML RF, N-net, and lasso methods, respectively. All these three methods use the depo-time and window-functions implementations. The ML predictions show little to no porosity-impedance trend, lasso (f) in particular has little correlation to the well-log data compared to the other SGS and ML methods. RF with no window function (Figure 57c) shows a different pattern from the other ML methods. It displays arcs of porosity predictions that deviate from the more common distribution. Since this prediction did not use the window functions, these deviations are most likely an effect of the depo-time. The case in Figure 57c is the prediction shown in Figure 55 a1, which displays the most heterogeneity (detail) and clear layering. That the model uses depo-time instead of the window functions implies that the predicted features occur because the model weights the depo-time highly. This means that if the interpretation of the seismic horizons are accurate, the ML model will predict similar porosity along the horizons.

5 Discussion

Results:

Figure 56 shows that the seismic inversion is not ideal and certainly has an effect on the porosity prediction results. However, testing the methods ability to handle this uncertainty in seismic impedance is valuable, as it gives insight into the robustness of the methods. Since this was likely a consistent issue in cases 2, 3 and the F3 block, it is likely that the methods that performed poorly in these cases would perform better with a better seismic inversion.

The ML methods consistently have lower MAE than the SGS method (Figure (53). This is reasonable since the ML methods are trained to reduce the error, while the SGS algorithm is made to produce a similar porosity distribution in the porosity cube and in the well-logs. A possible consequence of this is that in the synthetic models, the ML methods have a tendency to default to a small range of values to minimize the error as seen in cases 2 and 3, while the SGS method seems to display more heterogeneity and layering.

However for the F3 case, this situation is reversed. The SGS method, neural network and lasso methods (Figures 54 and 55 c and d) show the tendency to reduce the heterogeneity in order to reduce the error. The RF method however, displays more heterogeneity while having a better cross-validation score than the other methods (Figure 55 a and b). This might be because the RF method uses decision trees, which make decision regions that separate data points displaying different patterns. The RF model that does not use the window functions has the clearest thin layering. The arc-like deviations of this model from the normal porosity-impedance distribution (Figure 57 c) indicate that this is probably an effect of the depo-time being weighted highly. Whether this is preferable depends on the validity of the assumption that the depo-time or geological time is significant. Also, this model has the lowest cross-validation MSE, implying that the cross-validation MSE might be a good parameter for selecting the best model.

That stated, in case 3, the cross-validation MSE boxplots categorised by the well location(s)

show the reverse pattern to the equivalent MAE boxplots. This indicates that the cross-validation method cannot counter poor training data. Thus, one must be selective of the data used for training, and make sure that the data displays the relationship patterns and contains minimal noise/outliers.

In machine learning or any data-based method, the model is only as good as the data that it is based on. In the synthetic cases, the amount of wells had little to no effect on the models' performance. However, in case 3, placing the well in a location with good data (across the fault) is far more important than in the other cases. Also, in case 1 the well should be placed inside the wedge to have access to data which show the data trend. This underlines the importance of good well placement. That said, in a real scenario it would be difficult to determine what is a good well-placement, so more wells imply higher chances of including well locations which contain the data distribution representative of the subsurface geometry.

KNN regression is the ML method that performed the worst for synthetic cases 2 and 3. The property that makes KNN different is it's ability to interpolate data points. This is likely the reason why this method performed well in case 1. Because case 1 is a homogeneous wedge, the trend is the same in all layers, and interpolating the data works well in this case.

The lasso-regression method performed very poorly, as did the neural network method in case 1. This might be because the spatial extension of the logs (impedance and porosity) causes the data distribution to be non-linear. This would explain the poor performance of lasso-regression (a linear regression extension). The neural network probably performed badly due to being shallow, meaning that the found relationships are too simplistic, and probably a deeper network is needed to obtain more realistic relationships.

SGS and ML methods:

The SGS approach requires the construction of a variogram model. This allows for professional input into the model, meaning that one has an analytical basis to say why one SGS model should be better than the others. The variogram model used in this thesis for the porosity prediction is the same than the variogram model used for making the synthetic models. This means that the synthetic cases are close to the best possible results one can expect from an SGS approach. There is some uncertainty due to the wavelet extraction, as one can never derive the true wavelet due to the noise in the seismic.

For the ML methods, this same manual input (example: variogram) from an expert would likely be difficult but very possible to implement. Also, while the SGS method is bound to using only porosity and impedance as data, the ML methods can adapt to a wider variety of data input, including via predictor extraction. For example, adding the mean rolling window, or facies interpretations, etc. In my opinion, the ML methods are more flexible and have more potential for useful predictions.

Conclusion

The SGS method can provide a useful porosity model more quickly, if used by an experienced professional. However, machine learning can potentially provide more useful and accurate predictions due to its flexibility. Additionally, once the predictor extraction methods are implemented by an expert, machine learning models can be used by non-experts. An expert can also produce a large variety of results using different sets of predictors automatically and interpret which predictions make the most geological sense. Such large amount of different predictions was made throughout this thesis. It is clear that this is useful to determine the best ML methods. For example, in the idealised case 1, the KNN method functioned well, but in the other cases it did not. This means that KNN does not function well given a more geometrically complex data-set such as the F3 case.

Out of all the ML methods, random forest proved to be the most reliable method. However, this thesis has not even scratched the surface of neural networks, which can in theory fit any data provided the network is deep enough. The issue is user insight and time constraints rather than algorithm limitations. To summarize:

The SGS method always requires professional expertise. ML methods have more potential from additional data and flexibility, and once implemented they do not require the same level of expertise for use. The RF method was the preferred method while the neural method has likely more potential. Finally, the workflow of using synthetic data to analyse the impact of methods such as the depo-time and RF, is beneficial for understanding prediction results.

6 Future Work

For future work it is recommended to use only one subsurface model, which can provide a more reliable dataset than for example case 3. There were to many prediction results to analyze given the time constraints. It would be useful to focus on more methods for analyzing such a large set of results on whether they make geological sense. Additionally adding more predictors and observing their effects should prove useful. There are also more ML methods that can be tested, including deep neural networks. While it was not discussed in this thesis, making geological models using forward process modeling could be considered, as these models can provide complex geological scenarios that make physical sense, rather than making a section based on simple geological/geometrical rules, as I did in this thesis.

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Appendices

A Manual

A.1 Python environment

Tool:	Version:
Windows	21H2 (OS Build 19044.1645)
Python	3.7.11
Spyder	5.1.5
Jupyter Lab	3.2.1
numpy	1.20.3
matplotlib	3.5.0
segyio	1.9.7
scikit-learn	1.0.1
pandas	1.3.4
Tensorflow	2.3.0

Table 8: The environment used in this thesis, and their version.

A.2 Summary of Python classes and scripts

A brief explanation of the code developed for this thesis is included. In general, the code can be separated into two types based on its functionality. Class scripts which contain the Python classes used in the thesis; these are accessed by other scripts to perform actions. In Python, a class is a broad category that contains attributes and methods. Classes can be instantiated to create objects, and methods can be sent to objects to perform actions. The second type of scripts are those that perform specific tasks.

class: $seismic_ext.py$

This class uses the seguio module to extract the raw traces and metadata from a .segy file. This returns the seismic section.

class: load_well.py

This class loads well-logs. The functionality depends on if the model is synthetic or the actual F3 dataset. If the synthetic model is used, extraction of the trace(s) as well-log(s) is performed. For the F3 data-set, the well-logs are extracted from csv files.

class: predictor_ext.py

This class uses the extracted well-logs as basis for predictor extraction. It includes the window functions discussed in section 3.4.2. It also contains the depo-time (geological time) construction and extraction based on either the geometry of the wedge or the interpreted horizons. The standardization is also implemented here.

class: Mlearning.py

This class initialises, trains, tunes and applies machine learning algorithms. The tuning is performed by cross-validation. Based on cross-validation, the best set of parameters within a predetermined search range is selected. The prediction of the porosity section is performed for every trace. This is mostly to simplify the implementation of the window functions.

class: plot_results.py

This class has the functions for generating reproducible plots to monitor the resulting predictions during runs and catch bugs early. It also saves these figures and the predictions. The saved predictions are important as one can later visualize and plot them in a desirable way.

class: useful_functions.py

This class contains some functions that don't fit into the categories of the other classes but are necessary. For example, it has a function that maps two input arrays to an output array without any for loops (this is important for efficiency).

class: $manage_cases.py$

This class functions as "glue" code, stitching the other classes together. It also automatically retrieves the required files based on the case name.

Script: section_horizon_coord.py

This script uses a segy file and horizon point-sets to find and save the intersections between the section and the seismic horizons.

Script: make_new_wells.py

This script takes the well-logs extracted from Petrel and formats them to be more easily usable in the class load_well.

Script: upscale.py

This script uses the existing well-logs and an upscaled well-log as input. The upscaled well log is made in Petrel. The script matches the MD (measured depth) in the upscaled well-log with the closet MD in the real well-logs. This upscales the well-logs to match the vertical sampling frequency of the seismic traces.

Script: well_paths_horizon.py

This script uses the well paths and seismic horizons as input. It locates where the horizons intersect the well paths and saves this information. This information is later used to make the depo-time in the well-logs.

Script: top_cases_script.py

This script uses primarily the manage_cases class to perform the predictions and comparisons automatically for several combinations of parameters. This is used to perform all predictions of the synthetic models in one run without supervision.

Script: F3_script.py

This script has the same functionality as the top_cases script, but for the F3 case instead of the synthetic models. This has to be a separate script because the top_cases script needs a porosity section, which the F3 block doesn't have one.

A.3 Folder composition

The organization of the code, data, and results of this thesis in directories is as follows:

```
Main (should be the directory)

classes

load.well.py

Mearning.py

plot.results.py

predictor.ext.py

seismic.ext.py

manage.cases.class.py

usefull.functons.py

scripts

top.cases.scripts.py

F3.script.py

make_new.wells.py

scction.horizon.coord.py

upscale.py

data

case 1a Wedge

Seis.Inv.Wedge.IIIc.segy

Por.Wedge.IIIc.segy

case 1b Wedge

Seis.Inv.Wedge.IIIc.segy

Por.Wedge.IIIc.segy

case 2a wedge inp no noise.segy

case 2a wedge prosity.segy

case 2b wedge porosity.segy

case 2b wedge porosity.segy

case 2b wedge porosity.segy

case 2b wedge porosity.segy

case 3a fault

case 3a fault imp no noise.segy

case 3b fault

case 3b fault imp no noise.segy

case 3b fault imp no noise.segy

case 3b fault porosity.segy

case 3b fau
```

horizons

(Horizons point sets as .txt files, and locations where horizons intersect with cross-sections)

results

case 1a Wedge

figures (plots of the results, and save .npy files of the result arrays) info (dataframes of the results saved as csv files) case 1b Wedge

figures

```
info
case 2a wedge hetero
     figures
     info
case 2b wedge hetero
     figures
     info
case 3a fault
     figures
     _{\rm info}
case 3b fault
     figures
     _{\rm info}
case F3
     figures
     info
dataframes
```

B Running the scripts for the results

The data and code is provided on my personal google drive and github. This folder can be accessed atdrive.google.com or github.com/ESalomonsen. The google drive contains a zip file with the main directory. The structure is the same as the general structure described above. Two text files, "requirements.txt" and "ReadMe.txt" provide information on the environment specifications and general information about the code/data, respectively. The environment is also decribed in table 8.

For reproducing the results of this thesis, just go to the "scripts" folder. Then run the "top_cases_script.py" and "F3_script.py" scripts. If only interested in reproducing the results one can ignore the rest if this appendix.

These scripts loop over lists of parameters for example, the combinations of well-locations. So, to run a specific parameter combination simply enter the parameter values into the appropriate list. For example, if one wants to test window size equal to 1 for the synthetic models, change line 16 in "top_cases_script.py" from window_list = [0, 10] to window_list = [1]. The scripts use the "manage_cases_class.py" class as a compilation/glue code of the other classes. An example for producing one prediction result is shown below.

```
1 \quad \# \ -*- \ c \ o \ d \ i \ n \ g \ : \ u \ t f \ -8 \ -*-
2
    Created on Mon Jun 13 17:13:05 2022
3
4
\mathbf{5}
    Example of how to make one predction
6
7
    @author: Eier
8
9
    from classes.manage_cases_class import manage_cases_class
10 import numpy as np
11
12
    case = 'case 2a wedge hetero'
13 window = 5
14
   geo_int = True
15 method = 'Random Forest'
16
    wells_loc = [200, 500]
17
18  # start class which sets the basic parameters
19 case_class = manage_cases_class(case = case, wells_loc = wells_loc, window = window, geo_int = geo_int)
20
    # get the cross-sections
^{21}
    case_class.load_sections()
22 # load the well-logs and perform predictor extraction
23 case_class.load_synthetic_wells_and_predictors_ext()
24 # train the ML model
^{25}
    \texttt{case\_class.ML\_with\_cross\_val} (\texttt{method}, \texttt{max\_depth} = \texttt{np.arange} (4,9, 1), \texttt{n\_estimators} = \texttt{np.arange} (25, 110, 10))
26 \quad \# \ apply \ the \ model
27 case_class.predict()
28 \quad \# \ get \ the \ prediction:
    prediction = case_class.pred_map
29
```

Many of the figures of the thesis were made using the script "making results.ipynb". This script compiles and plots the results for investigation using pandas.

The data used can be described as following: The sections of porosity, impedance, ect. are extracted from Petrel as 2D .segy files. The seismic horizon data have the form of a point set in 3D, directly extracted from Petrel. The well-paths are also directly extracted from Petrel. The well-logs are copied into an excel file. An example of these data file are shown in the figure below.

Well-logs

Horizon pointset

										-
- 41	Δ	B	C	D	F	F		1	605835.473498 6073556.399259 816.055054	•
- 10	~				-		48	2	605860.464073 6073557.097688 815.907349	
1		MD	Por.Eff.		MD	P-imp.		3	605885.454648 6073557.796116 815.747314	
2		48.000			30.000			4	605910.445223 6073558.494544 815.593384	
3		48,150			30,500			5	605935.435798 6073559.192973 815.445374	
4		49 200			21 000			6	605960.426373 6073559.891401 815.279968	
4		48.300			51.000			7	605985.416948 6073560.589829 815.045044	
5		48.450			31.500			8	606010.407523 6073561.288257 814.689392	
6		48.600			32.000			9	606035.398098 6073561.986686 814.189941	
7		48 750			32 500			10	606060.388673 6073562.685114 813.561157	
-		40.750			52.500		-	11	606085.379247 6073563.383542 812.853027	
8		48.900			33.000			12	606110.369822 6073564.081971 812.127686	
9		49.050			33.500			13	606135.360397 6073564.780399 811.437378	
10		49.200			34.000			14	606160.350972 6073565.478827 810.807800	
11		49.350			34,500			15	606185.341547 6073566.177255 810.229980	
12		49 500			25 000			16	606210.332122 6073566.875684 809.668945	
14		45.500			55.000			17	606235.322697 6073567.574112 809.085266	
13		49.650			35.500			18	606260.313272 6073568.272540 808.463806	
14		49.800			36.000			19	606285.303847 6073568.970969 807.818237	
15		49.950			36.500			20	606310.294422 6073569.669397 807.178711	
16		50,100			37.000			21	606335.284996 6073570.367825 806.571594	
17		50.250			27.500			22	606360.275571 6073571.066254 806.002808	
17		50.250			37.500		-11	23	000385.200146 0073571.764682 805.453552	
18		50.400			38.000		v	24	606410.256721 6073572.463110 804.894348	1

Well-path

1	# WELL TRACE FROM PETREL
2	# WELL NAME: F03-2
3	<pre># DEFINITIVE SURVEY: X Y TVD survey</pre>
4	# WELL HEAD X-COORDINATE: 619101.00000000 (m)
5	# WELL HEAD Y-COORDINATE: 6089491.00000000 (m)
6	# WELL DATUM (KB, Kelly bushing, from MSL): 30.00000000 (m)
7	# WELL TYPE: UNDEFINED
8	# MD AND TVD ARE REFERENCED (=0) AT WELL DATUM AND INCREASE DOWNWARDS
9	# ANGLES ARE GIVEN IN DEGREES
10	# XYZ TRACE IS GIVEN IN COORDINATE SYSTEM PowerPlan:TM-NL (MENTOR:PowerPlan:TM-NL:TM CM 5E on Dutch ED50) [SIS,501820]
11	# AZIM_TN: azimuth in True North
12	# AZIM_GN: azimuth in Grid North
13	# DX DY ARE GIVEN IN GRID NORTH IN m-UNITS
14	<pre># DEPTH (2, tvd_z) GIVEN IN m-UNITS</pre>
15	# ANGLES ARE NOT EXACT (TRACE WAS NOT IMPORTED USING ANGLES)
16	# MD IS NOT EXACT (TRACE WAS NOT IMPORTED WITH MD-DATA)
17	£
18	MD X Y Z TVD DX DY AZIM IN INCL DLS AZIM GN
19	\$
20	0.000000000 619101.00000 6089491.0000 30.00000000 0.000000000 -0.000000000 0.00000000
21	2140.0000000 619101.00000 6089491.0000 -2110.000000 2140.0000000 -0.000000000 0.000000000 0.00000000

Figure 58: Logs of one well compiled into an excel file to the top left. The P. imp. and Por.Eff. columns has numbers further down in the file, but it is more important to show the headers. To the top right is an example of the point set for one seismic horizon, the coordinates are X, Y and depth. The lower text file is an example of the well-path of one well.

Information on the scripts and classes can be seen in section A.2. As only some of this information is repeated here. Before the code can be run, the data must be altered using some of the scripts. That said, the drive contains the altered and original data, making this process unnecessary. The section_horizon_coord.py script is ran using the 2D cross-section and horizon point sets and produces a .npy file for each horizon named after the original horizon file +TWT. After this, one should run make_new_wells.py to make a .csv file from the excel well-logs file. This file is named the same as the excel file + new. I used the upscale.py file to upscale the well-logs based on a previously made upscaled log, however it does not matter how the upscaling is done. The last script for editing the data is the well_paths_horizon.py file. It uses the horizon files and the well path to make a .csv file with the horizon locations in the well-logs, called the same as the well-path name + horizon loc.

If one wants to implement their own cases, this is done in the manage_cases.py file, in the __init__ function. In the function, the necessary data files can be added to an elif block similarly to the other cases shown in the other elif blocks (line 92 to 213).

I made the top cases script and the F3 script to automatically produce results for all parameter values and compile the results. This is not strictly necessary, but should be used as a reference for how to use the manage_cases.py to produce results.

C Code

The code below is provided in case the online code becomes inaccessible:

C.1 top_cases_script.py

```
1
   # -*- coding: utf -8 -*-
2
3
    Created on Fri Mar 11 19:19:29 2022
4
\mathbf{5}
    @author: Eier
6
    " " "
    from classes.manage_cases_class import manage_cases_class
7
8
    import numpy as np
9
    import pandas as pd
10
11
^{12}
    # define parameters
^{13}
   # 'case 1a Wedge', 'case 1b Wedge', 'case 2a wedge hetero', 'case 2b wedge hetero', 'case 3a fault', 'case
14
          3b fault'
    case_list =['case 1a Wedge', 'case 1b Wedge', 'case 2a wedge hetero', 'case 2b wedge hetero', 'case 3a
15
         fault', 'case 3b fault']
   window_list = [0, 10]
16
17
   geo_int_list = [False, True]
   # 'lasso', 'KNN', 'Random Forest', 'Neural Net'
18
    method_list = ['lasso', 'KNN', 'Random Forest', 'Neural Net']
19
20
^{21}
22 for case in case_list:
23
        # prepare to store data
^{24}
        MAE_{list} = []
25
26
        MSE_list = []
27
        Rs_list = []
```

```
^{28}
                               CV_MSE_{list} = []
                               AE_std_list = []
^{29}
30
                               case_list_new = []
31
^{32}
                                wells_list_new = []
33
                               window_list_new = []
^{34}
                              geo_int_list_new = []
35
                               method_list_new = []
36
37
                                \# define wells depending on the model
                                if case == 'case 1a Wedge' or case == 'case 1b Wedge':
38
39
                                               wells_loc_list = [[100, 200], [100], [290]]
                                              \# crop the sections?
40
^{41}
                                             vcut = [120, 400]
                                            hcut = False
42
^{43}
44
                                else:
^{45}
                                             \# [200, 700], [200], [800], [400]
46
                                                wells\_loc\_list = [[400], [200, 350, 500, 700], [700, 750, 650, 775], [750]]
                                               # crop the sections?
47
^{48}
                                               vcut= False
                                             hcut = False
49
50
51
                               \# for every combination of the parameters
52
                                for wells_loc in wells_loc_list:
53
                                              for window in window_list:
54
                                                               for geo_int in geo_int_list:
55
                                                                              {\bf for} \ {\tt method} \ {\bf in} \ {\tt method\_list}:
                                                                                             # define seed
56
57
                                                                                             np.random.seed(seed = 1)
58
59
                                                                                              # initiallise
60
                                                                                              case_class = manage_cases_class ( case = case , wells_loc = wells_loc , window = window ,
                                                                                                                geo_int = geo_int)
61
62
                                                                                              # get cross-sections
63
                                                                                              case_class.load_sections(plot = False)
64
65
                                                                                              \# get wells and perform predictor extraction
                                                                                              case_class.load_synthetic_wells_and_predictors_ext()
66
67
                                                                                              # train machine learning models with cross validation
68
                                                                                               if case == 'case 2a wedge hetero' or case == 'case 2b wedge hetero': # less data due
69
                                                                                                               to resolusion means KNN needs a k that will not exceed the number of datapoints
                                                                                                             70
                                                                                                                              50, 1), cv = 10, plot = True,
71
                                                                                                                                                                                                  neurons = np.arange(1, 40, 1),
72
                                                                                                                                                                                                  {\tt max\_depth} \ = \ {\tt np.arange} \left( 4 \; , 9 \; , \; \; 1 \right) \; , \; {\tt n\_estimators} \ = \; {\tt np.arange} \left( 2 \; 5 \; , \; \right) \; , \; {\tt n\_estimators} \ = \; {\tt np.arange} \left( 2 \; 5 \; , \; \right) \; , \; {\tt n\_estimators} \ = \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.arange} \left( 2 \; 5 \; , \; {\tt np.ar
                                                                                                                                                                                                                  110, 10)
73
                                                                                                                                                                                                   , al_array = np.arange(0, 0.005, 0.00005))
74
                                                                                              else:
75
                                                                                                             \texttt{cv\_mse} \ = \ \texttt{case\_class} \ . \ \texttt{ML\_with\_cross\_val} \ ( \ \texttt{method} \ , \ \ \texttt{layers\_list} \ = \ [1] \ , \texttt{N} \ = \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ (1 \ , \texttt{np.arange} \ ) \  ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \texttt{np.arange} \ ) \ \ ) \ \texttt{np.arange} \ ) \ \ ) \ \ ) \ ) \ \ ) \ ) \ \ ) \ \ ) \ \ ) \ \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) \ ) 
                                                                                                                              100, 1), cv = 10, plot = True,
76
                                                                                                                                                                                                  neurons = np.arange(1, 40, 1),
77
                                                                                                                                                                                                  max\_depth = np.arange(4,9, 1), n\_estimators = np.arange(25, 1)
                                                                                                                                                                                                                      110, 10)
78
                                                                                                                                                                                                    , al_array = np.arange(0, 0.005, 0.00005))
```

```
\# predict porosity cross-section
 80
 81
                               case_class.predict()
 82
 83
                               # compare to True porosity
                               MAE, \ MSE, \ Rs\,, AE\_std \ = \ case\_class\,.\, result\_eval(vcut= \ vcut\,, \ hcut \ = \ hcut)
 84
 85
                               # store data
 86
 87
                               MAE_list.append(MAE)
 88
                               MSE_list.append(MSE)
                               Rs_list.append(Rs)
 89
 90
                               CV_MSE_{list.append(cv_mse)}
                               AE_std_list.append(AE_std)
 91
 ^{92}
                               case\_list\_new.append(case)
 93
 94
                                wells_list_new.append(wells_loc)
 95
                               window\_list\_new.append(window)
 96
                               geo_int_list_new.append(geo_int)
 97
                               method_list_new.append(method)
                               if case == 'case 1a Wedge' or case == 'case 1b Wedge':
 98
 99
                                    pass
                               \# compare SGS solution to true porosity, and compile reults
100
101
                               else:
102
103
                                    MAE,\ MSE,\ r\_squared\ ,\ AE\_std\ =\ case\_class\ .\ petrel\_solution\_eval()
104
                                    df2 = pd.DataFrame()
105
106
                                    df2 ['case'] = [case]
                                    df2['MAE'] = [MAE]
107
108
                                    \mathrm{d}\,\mathrm{f}\,2\,\left[\begin{array}{c}\mathrm{'MSE\,'}\end{array}\right]\ =\ \left[\begin{array}{c}\mathrm{MSE\,}\end{array}\right]
                                    df2['R-squared'] = [r_squared]
109
110
                                    df2['abs error std'] = [AE_std]
111
                                    df2.to\_csv(`results \ dataframes \ \{\} \ classic \ solution`.format(case)+`.txt`, sep='/`, \\
112
                                          index = False, encoding = 'utf-8')
113
           \# compile results of ML
114
           df = pd.DataFrame()
115
116
           df['case'] = case_list_new
117
118
           df [ 'ML method '] = method_list_new
           df['wells location'] = wells_list_new
119
120
           df['window size'] = window_list_new
           df['depo time implementation'] = geo_int_list_new
121
           df['cross validation MSE'] = CV_MSE_{list}
122
           \mathrm{d}\,f\,\left[ \begin{array}{c} \mathrm{'MAE\,'} \end{array}\right] \ = \ \mathrm{M}\,\mathrm{A}\,\mathrm{E}\,\mathtt{-}\mathrm{li\,s\,t}
123
124
           df['MSE'] = MSE_{list}
125
           df['abs error std'] = A E_std_{list}
126
           df['R-squared'] = Rs_{list}
127
           df.to_csv('results\dataframes\case {} auto results'.format(case)+'.txt', sep='/', index = False,
128
                 encoding = 'utf-8')
```

C.2 F3_script.py

```
1 # -*- coding: utf-8 -*-
2 """
```

79

```
3 Created on Mon Apr 4 13:30:55 2022
   4
   \mathbf{5}
               @author: Eier
  6
  7
            from classes.manage_cases_class import manage_cases_class
  8 import numpy as np
  9
                import pandas as pd
10 import matplotlib.pyplot as plt
11
12  # np.random.seed(seed = 1)
13
14
              case_type = 'real'
15
16 case_list =['case F3']
17
                well_paths_horizons = ['data\case F3\F02_1 well path horizon loc.txt', 'data\case F3\F03_2 well path horizon loc.txt', 'data\
^{18}
                                 horizon loc.txt']
19
20 \quad window_{list} = [0, 10]
^{21}
22
               well_files = ['data\case F3\F02_1_new.txt', 'data\case F3\F03_2_new.txt']
23
24 geo_int_list = [False, True]
25 # 'lasso', 'KNN', 'Random Forest', 'Neural Net'
26
                 method_list = ['lasso', 'KNN', 'Random Forest', 'Neural Net']
27
^{28}
            for case in case_list:
29
                             MAE_list = []
                               MSE_{list} = []
30
^{31}
                               Rs_list = []
                             CV_MSE_{list} = []
32
33
34
                              case_list_new = []
35
                                wells_list_new = []
                               window_list_new = []
36
37
                              geo_int_list_new = []
38
                              method_list_new = []
39
40
                                for window in window_list:
                                            if window == 0:
41
^{42}
                                                               well_files = ['data\case F3\F02_1_new.txt', 'data\case F3\F03_2_new.txt']
43
                                              else:
44
                                                             well_files = ['data\case F3\F02_1_new_upsacale.txt', 'data\case F3\F03_2_new_upsacale.txt']
45
                                              for geo_int in geo_int_list:
46
                                                            for method in method_list:
47
^{48}
                                                                             np.random.seed(seed = 1)
49
                                                                              case_class = manage_cases_class(case = case, wells_loc = None, window = window, geo_int =
50
                                                                                                geo_int)
51
52
                                                                               case\_class.load\_sections(plot = False, scaling = False)
53
                                                                               {\tt case\_class.load\_wells\_and\_predictors\_ext(well\_files = well\_files, well\_paths\_horizons = case\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_class\_cl
54
                                                                                               well_paths_horizons)
55
56
```

```
57
                                                      \label{eq:cv_mse} \texttt{cvs_class.ML_with_cross_val} \left( \texttt{method} \;, \; \texttt{layers_list} \; = \; \texttt{[1]} \;, \texttt{N} \; = \; \texttt{np.arange} \left( \texttt{1} \;, \; \texttt{100} \;, \; \texttt{1} \right) \;,
                                                                  cv = 10, plot = True,
 58
                                                                                                               {\tt neurons} \; = \; {\tt np.arange} \left( 1 \; , \; \; 40 \; , \; \; 1 \right) \; ,
                                                                                                               max\_depth = np.arange(1, 20, 1), n\_estimators = np.arange(1, 41, 10),
 59
                                                                                                               al_array = np.arange(0, 0.005, 0.00005))
  60
 61
 62
                                                      case_class.predict(case_type = case_type)
 63
                                                      case_class.result_eval_F3()
 64
 65
                                                      # case_class.predict(case_type = case_type)
                                                      # plt.imshow(case_class.pred_map.T)
 66
 67
                                                      # plt.show()
 68
  69
                                                      \# MAE\_list.append(MAE)
 70
                                                      # MSE_list.append(MSE)
                                                      # Rs_list.append(Rs)
 71
 72
                                                      CV_MSE_{list.append(cv_mse)}
 73
 74
                                                      case\_list\_new.append(case)
                                                      # wells_list_new.append(wells_loc)
 75
 76
                                                      window_list_new.append(window)
 77
                                                      geo_int_list_new.append(geo_int)
 78
                                                      method\_list\_new.append(method)
 79
  80
                                                     \# df2 = pd. DataFrame()
                                                      \# df 2 [' c a s e'] = c a s e
 81
                                                      \# df 2 ['MAE'] = MAE
 ^{82}
 83
                                                      \# df2 [ 'MSE '] = MSE
                                                      \# df2 ['R-squared'] = r_squared
 84
  85
                                                      # df2.to_csv('results\dataframes\{} classic solution'.format(case)+'.txt', sep = '/', index =
 86
                                                                     False, encoding = 'utf - 8')
 87
                       df = pd.DataFrame()
  88
 89
 90
                       df['case'] = case_list_new
                       df [ 'ML method'] = method_list_new
 91
                       # df['wells location'] = wells_list_new
 ^{92}
 93
                       df \left[ \ 'window \ size \ ' \right] \ = \ window \_ list \_ new
                      df['depo time implementation'] = geo_int_list_new
 ^{94}
 95
                      df['cross validation MSE'] = CV_MSE_{-}list
                      \# df ['MAE'] = MAE_list
 96
 97
                       \# df ['MSE'] = MSE_{list}
                       \# df ['R - squared'] = Rs_list
 98
 99
                       df.to\_csv(`results \ data frames \ case \ \{\} \ auto \ results \ . \ format(\ case)+`.txt', sep='/`, \ index = \ False, \ auto \ results \ . \ format(\ case)+`.txt', sep='/`, \ index = \ False, \ auto \ results \ . \ format(\ case)+`.txt', sep='/`, \ index = \ False, \ auto \ results \ . \ format(\ case)+`.txt', sep='/`, \ index = \ False, \ auto \ results \ . \ auto \ results \ results \ auto \ results \ auto \ results \ auto \ results \ results \ results \ results \ auto \ results \ r
100
                                   encoding = 'utf-8')
```

C.3 manage_cases_class.py

```
    # -*- coding: utf-8 -*-
    """
    Created on Fri Mar 11 17:43:48 2022
    @author: Eier
    """
    import numpy as np
```

```
8 import seguio
9 import pandas as pd
    import matplotlib.pyplot as plt
10
11
   import tensorflow as tf
12 import pickle
13 from sklearn.metrics import r2_score
14
15 from classes, load_well import load_well
16 from classes.predictor_ext import predictor_ext
17 from classes. Mlearning import Mlearning
    from classes.plot_results import plot_results
18
    from classes.usefull_functions import usefull_functions
19
    from classes.seismic_ext import seismic_ext
20
^{21}
22
^{23}
    class manage_cases_class:
       24
25
       Class for connecting the other classes and data.
26
        This makes it easier to run many different parameter combinations automatically (iteratively).
27
^{28}
        def __init__(self, case, wells_loc, window, geo_int=False, # first line is all that is used for the
^{29}
             thesis
30
                     file_ai=None, file_seis=None, file_por=None, max_TWT=None, min_TWT=None,
31
                     w\_start=None, w\_end\_top=None, w\_end\_base=None, horizons\_list=None, petrel\_solution=None):
32
33
            sets the parameters of the case from a preset or defines them here
34
35
            Parameters
36
            case : str
37
38
                the case identification as to get all the preset parameters.
39
            wells_loc : list
40
                the trace locations of the wells.
41
            window : TYPE
42
                window size to be used in predictor extraction.
43
            geo\_int : str , optional
^{44}
                Should the depositional time be implemented and if so how?. The default is False.
45
            file_ai : str, optional
                path to segy file with impedance. The default is None.
46
47
            file\_seis : str, optional
                path to segy file with seismic. The default is None.
48
^{49}
            file_por : str, optional
                path to segy file with porosity. The default is None.
50
51
            max_TWT : int , optional
52
                maximum value of the TWT. The default is None.
53
            min_TWT : int , optional
54
                minimum value of the TWT. The default is None.
             w\_start : list , optional
55
56
                 the starting position of the wedge: the pinch point. The default is None.
57
            w\_end\_top \quad : \quad list \ , \quad optional
58
               the end of the top surface of the wedge. The default is None.
59
             w_{end_{base}} : list , optional
                the end of the base surface of the wedge. The default is None.
60
61
             horizons\_list \ : \ list \ or \ None \ , \ optional
                list of numpy arrays that describe where the horizons intersect with the cross-section. The
62
                      default is None.
```

63	petrel_solution : str, optional
64	file path to the SGS solution of porosity. The default is None.
65	
66	Returns
67	
68	None
60	none.
70	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
70	
71	
72	self.case = case
73	self.win = window
74	self.wells_loc = wells_loc
75	self.geo_int = geo_int
76	
77	#######################################
78	# for new case:
79	self.file_ai = file_ai
80	self.file_seis = file_seis
81	self.file_por = file_por
82	self.max_TWT = max_TWT
83	self.min_TWT = min_TWT
84	self.w_start = w_start
85	self.w_end_top = w_end_top
86	self.w_end_base = w_end_base
87	self.horizons_list = horizons_list
88	self.petrel_solution = petrel_solution
89	
90	#######################################
91	# select the relevant files based on the case
92	if case == 'case la Wedge':
93	self.file_ai = 'data\case 1a Wedge\Seis_Inv_Wedge_IIIc.segy'
94	$\#self.file_seis = 'data \setminus case 1a Wedge \setminus Synth_Wedge_IIIc.segy'$
95	self.file_por = 'data\case 1a Wedge\Por_Wedge_IIIc.segy'
96	# self.max.TWT = -618 $#$ max TWT of the seismic section
97	$\#$ self.min_TWT = -1162 $\#$ min TWT of the seismic section
98	# wedge start, the relitive location where the wedge has just thinned out
99	$self.w_start = [267, 178]$
100	# the relitive location where the top of the wedge ends
101	$self.w_end_top = [0, 178]$
102	# the relitive location where the base of the wedge ends
103	self.w_end_base = $[0, 400]$
104	self.horizons_list = False
105	
106	if self.geo_int == True:
107	self.geo_int = 'wedge'
108	
109	elif case == 'case 1b Wedge':
110	<pre>self.file_ai = 'data\case 1b Wedge\Seis_Noise_Inv_Wedge_IIIc.segy'</pre>
111	#self.file_seis = 'data\case 1b Wedge\Synth_Noise_Wedge_IIIc.segy'
112	self.file_por = 'data\case 1b Wedge\Por_Wedge_IIIc.segy'
113	# self.max_TWT = -618 # max TWT of the seismic section
114	$\#$ self.min_TWT = -1162 $\#$ min TWT of the seismic section
115	# wedge start. the relitive location where the wedge has just thinned out
116	self. w_start = $[267, 178]$
117	# the relitive location where the top of the wedge ends
118	$self.w_end_top = [0, 178]$
119	# the relitive location where the base of the wedge ends
-	"

```
120
                   self.w_end_base = [0, 400]
                    self.horizons_list = False
121
^{122}
123
                    if self.geo_int == True:
124
                        self.geo_int = 'wedge'
125
126
               elif self.case == 'case 2a wedge hetero':
                   self.file_ai = 'data\case 2a wedge hetero\case 2a wedge imp no noise.segy'
127
128
                   #self.file_seis = 'data \ case 2a wedge hetero \ case 2 wedge seis.segy'
129
                    self.file_por = 'data\case 2a wedge hetero\case 2a wedge porosity.segy'
                    self.petrel_solution = 'data\case 2a wedge hetero\case 2a wedge porosity estimation no noise.
130
                         segy '
131
132
                    hor_file4 = 'data \ case 2a wedge hetero \ horizons \ wedge surface base plus'
                    hor_file3 = 'data \ case 2a wedge hetero \ horizons \ wedge surface base'
133
134
                    hor_file2 = 'data \setminus case 2a wedge hetero \setminus horizons \setminus wedge surface top '
                   hor_file1 = 'data \setminus case 2a wedge hetero \setminus horizons \setminus wedge surface top plus'
135
136
137
                   \texttt{self.horizons\_list} = [\texttt{np.load(hor\_file1+'TWT'+'.npy')}, \texttt{np.load(}
                        hor_file2+'TWT'+'.npy'), np.load(hor_file3+'TWT'+'.npy'), np.load(hor_file4+'TWT'+'.npy')]
138
139
                    \# self.max_TWT = -618
                    \# \ self.min_TWT = -1162
140
141
142
                   if self.geo_int == True:
143
                        self.geo_int = 'from horizons'
144
               elif self.case == 'case 2b wedge hetero':
145
146
                   self.file_ai = 'data\case 2b wedge hetero\case 2b wedge imp noise.segy'
                   #self.file_seis = 'data \ case 2b \ wedge \ hetero \ case 2 \ wedge \ seis.segy '
147
                    self.file_por = 'data\case 2b wedge hetero\case 2b wedge porosity.segy'
148
                    self.petrel_solution = 'data \ case \ 2b \ wedge \ hetero \ case \ 2b \ wedge \ porosity \ estimation \ noise.segy
149
150
151
                    hor_file4 = 'data \ case 2b wedge hetero \ horizons \ wedge surface base plus'
                   hor_file3 = 'data \ case 2b wedge hetero \ horizons \ wedge surface base'
152
                   \label{eq:hor_file2} hor\_file2 \ = \ 'data \ case \ 2b \ wedge \ hetero \ horizons \ wedge \ surface \ top \ '
153
154
                   hor_file1 = 'data\case 2b wedge hetero\horizons\wedge surface top plus'
155
156
                    \texttt{self.horizons\_list} = [\texttt{np.load(hor\_file1+'TWT'+'.npy')}, \texttt{np.load(}
                       hor_file2+'TWT'+'.npy'), np.load(hor_file3+'TWT'+'.npy'), np.load(hor_file4+'TWT'+'.npy')]
157
                    \# self.max_TWT = -618
158
                   \# \ s \ e \ lf \ . \ min_TWT = -1162
159
160
                   if self.geo_int == True:
161
162
                        self.geo_int = 'from horizons'
163
164
               elif self.case == 'case 3a fault':
                    self.file_ai = 'data\case 3a fault\case 3a fault imp no noise.segy'
165
                   #self.file_seis = 'data \setminus case 3a fault \setminus case 3 fault seis.segy '
166
167
                    self.file_por = 'data\case 3a fault\case 3a fault porosity.segy'
                   self.petrel_solution = 'data\case 3a fault\case 3a fault porosity no noise.segy'
168
169
                   hor_file1 = 'data\case 3a fault\horizons\cfault surface 1'
170
                    hor_file_2 = 'data \ surface_3 a fault \ horizons \ cfault \ surface_4 '
171
                    hor_file3 = 'data \setminus case 3a fault \setminus horizons \setminus cfault surface 3'
172
173
                    hor_file4 = 'data \setminus case 3a fault \setminus horizons \setminus cfault surface 5'
                    hor_file5 = 'data\case 3a fault\horizons\cfault surface 2'
174
```

```
175
                                      \texttt{self.horizons\_list} = \texttt{[np.load(hor\_file1+'TWT'+'.npy'), np.load(hor\_file2+'TWT'+'.npy'), np.load(hor\_file2+''.npy'), np.load(hor\_file2+''), np.load(hor\_file2+''), np
                                                load (
176
                                               \texttt{hor_file3+'TWT'+'.npy'), \texttt{np.load(hor_file4+'TWT'+'.npy'), \texttt{np.load(hor_file5+'TWT'+'.npy')]}}
177
                                      \# \ s \ e \ l \ f \ . \ max_TWT = -618
178
                                      \# self.min_TWT = -1162
179
180
                                      if self.geo_int == True:
181
                                               self.geo_int = 'from horizons'
182
183
                             elif self.case == 'case 3b fault':
                                      self.file_ai = 'data\case 3b fault\case 3b fault imp noise.segy'
184
185
                                      \#self.file_seis = 'data\case 3b fault\case 3 fault seis.segy '
                                      self.file_por = 'data\case 3b fault\case 3b fault porosity.segy'
186
187
                                      \texttt{self.petrel\_solution} = \texttt{'data} \texttt{case 3b fault} \texttt{case 3b fault} \texttt{ porosity estimation noise.segy'}
                                      hor_file1 = 'data\case 3b fault\horizons\cfault surface 1'
188
                                      hor_file 2 = 'data \ case 3b fault \ horizons \ cfault \ surface 4'
189
                                      hor_file3 = 'data\case 3b fault\horizons\cfault surface 3'
190
                                      hor_file4 = 'data case 3b fault horizons cfault surface 5'
191
192
                                      hor_file5 = 'data \ case 3b fault \ horizons \ cfault \ surface 2'
                                      self.horizons_list = [np.load(hor_file1+'TWT'+'.npy'), np.load(hor_file2+'TWT'+'.npy'), np.
193
                                                load (
                                              \texttt{hor\_file3+'TWT'+'.npy'), np.load(hor\_file4+'TWT'+'.npy'), np.load(hor\_file5+'TWT'+'.npy')]}
194
                                      \# \ s \ e \ l \ f \ . \ max_T W T = -618
195
                                      \# \ s \ e \ lf \ . \ min_T WT = -1162
196
197
198
                                      if self.geo_int == True:
199
                                               self.geo_int = 'from horizons'
200
                             elif self.case == 'case F3':
201
202
                                      self.file_ai = 'data\case F3\Seis Inv depth Random line [2D Converted].segy'
                                      self.petrel_solution = 'data\case F3\F3 porosity estimation.segy'
203
204
205
                                      hor_file1 = 'data \setminus case F3 \setminus F3 - Horizon - FS8 (Z)'
                                      hor_file 2 = 'data \setminus case F3 \setminus F3 - Horizon - Truncation (Z)'
206
                                      hor_file3 = 'data \setminus case F3 \setminus F3 - Horizon - MFS4 (Z)'
207
208
209
                                      {\tt self.horizons\_list} \; = \; [\,{\tt np.load}\,(\,{\tt hor\_file1+'TWT'+'.npy\,'}\,) \;, \;\; {\tt np.load}\,(
                                               hor_file2+'TWT'+'.npy'), np.load(hor_file3+'TWT'+'.npy')]
210
211
                                      if self.geo_int == True:
212
213
                                              self.geo_int = 'from horizons'
214
215
                             else:
216
                                    pass
217
218
                    {\tt def} \ {\tt handle\_CV} \left( \ {\tt self} \ , \ \ {\tt name} \ , \ \ {\tt CV} \right):
219
220
                             handles \ cross-validation \ result
221
222
                            Parameters
223
                             name : str
224
                                   file path to save the CV result.
225
                             CV : dict
226
227
                                     dictionary \ of \ cross-validation \ results \, .
228
229
                             Returns
```

```
best : str
231
232
                 string of the best parameters.
              best_ : list
233
^{234}
                 list of the best parameters.
235
              236
              uf = usefull_functions()
237
              best_, self.neg_mse = uf.save_cv(name + ".pkl", self.ML_method, CV)
238
239
              best = best_.split('/')
              file = open(name + ".pkl", "rb")
240
^{241}
              CV_KNNoutput = pickle.load(file)
242
^{243}
              return best, best_
244
         def load_sections(self, plot=True, scaling=False):
^{245}
246
              " " "
              load the cross-sections
247
248
              Parameters
249
250
              plot : str, optional
251
252
                 if true plot the sections. The default is True.
253
              scaling : str, optional
254
                  should the sections be standardized (not working currently). The default is False.
255
              R e t u r n s
256
257
              None.
258
259
              260
261
262
              # get impedance
263
              ext = seismic_ext(self.file_ai)
              self.grid2 , self.extent2 = ext.syn_seismic(plot=plot, scaling=scaling)
264
265
266
              \# get porosity
267
              if self.file_por == None:
268
                 pass
269
              else:
270
                 ext = seismic_ext(self.file_por)
                  self.grid3, self.extent3 = ext.syn_seismic(
271
272
                      plot=plot, scaling=False)
273
274
              \# get petrel solution
275
276
              if self.petrel_solution == None:
277
                 pass
278
              else:
279
                 ext = seismic_ext(self.petrel_solution)
                  \texttt{self.grid_pet} \ , \ \texttt{self.extent_pet} \ = \ \texttt{ext.syn\_seismic} \ (
280
281
                      plot=plot , scaling=False)
282
283
                  if self.case == 'case F3':
284
285
                      self.grid_pet = np.flip(self.grid_pet, 0)
286
```

230

```
287
              \# get max and min depth
              self.max_TWT = self.extent2[3]
288
289
              self.min_TWT = self.extent2[2]
290
              \# slice the sections based on the case
291
               if self.case == `case 3a fault' or self.case == `case 3b fault': \\
292
293
                  self.grid2 = self.grid2[:, 0:135]
              elif self.case == 'case 2a wedge hetero' or self.case == 'case 2b wedge hetero':
294
                 # self.grid1 = self.grid1[:, 0:75]
295
296
                  self.grid2 = self.grid2[:, 0:75]
                  self.grid3 = self.grid3[:, 0:75]
297
298
         def load_wells_and_predictors_ext(self, well_files, win_names=['imp'], well_paths_horizons=None):
299
300
              ,, ,, ,,
              load the well-logs as predictors and target, then perform predictor extraction
301
302
              on \quad the \quad real \quad data-set
303
304
              Parameters
305
              well_files : TYPE
306
307
                 DESCRIPTION.
308
              win_names : TYPE, optional
309
                  DESCRIPTION. \ The \ default \ is \ ['imp'].
              well_paths_horizons : TYPE, optional
310
311
                  DESCRIPTION. The default is None.
312
              R \ e \ t \ u \ r \ n \ s
313
314
              None.
315
316
              317
318
              if well_paths_horizons == None:
319
320
                  well_paths_horizons = np.linspace(0, 1, len(well_files))
321
322
              grid_list = [self.grid2]
323
              self.grid_list = grid_list
              grid_names = ['imp']
324
325
              self.grid_names = grid_names
326
327
              well = well_files[0]
              log1 = load_well(file_name=well)
328
329
              data, MD = \log 1. from_csv()
330
331
332
              Por = data['por'].to_numpy()
333
              Por_df = pd.DataFrame(Por, columns=['Por'])
334
335
              data.drop('por', axis=1, inplace=True)
336
337
              new_pred = predictor_ext(data)
338
339
              for name in win_names:
                  new_pred.roll_and_win_sel_well(data_name=name, win=self.win,
340
                                                    \verb"geo_int=self.geo_int", \verb"grid=self.grid2", \verb"horizons_list=self".
341
                                                         horizons_list , MD=MD, well_path=well_paths_horizons[0])
342
              new_pred2 = predictor_ext(Por_df)
```
```
343
                                  new_pred2.remove_outside_window(win=self.win)
344
^{345}
                                  data1 = new_pred2.data
346
                                  data2 = new_pred.data
                                  response = data1.to_numpy()
347
348
349
                                 pred = data2.to_numpy()
350
351
                                  for n, well in enumerate(well_files):
352
                                           if n == 0:
353
                                                    pass
354
                                            else:
                                                     log1 = load_well(file_name=well)
355
356
                                                      data, MD = \log 1. from _csv()
357
358
359
                                                      Por = data ['por'].to_numpy()
                                                      Por_df = pd.DataFrame(Por, columns=['Por'])
360
361
                                                      data.drop('por', axis=1, inplace=True)
362
363
                                                      new_pred = predictor_ext(data)
364
365
366
                                                      for name in win_names:
367
                                                                 new_pred.roll_and_win_sel_well(data_name=name, win=self.win,
                                                                                                                                               \verb"geo_int=self.geo_int", \verb"grid=self.grid2", \verb"horizons_list="self.grid2", "self.grid2", "self.gri
368
                                                                                                                                                            \texttt{self.horizons\_list}, \texttt{MD=MD}, \texttt{well\_path} =
                                                                                                                                                             well\_paths\_horizons[n])
                                                      new_pred2 = predictor_ext(Por_df)
369
370
                                                      new_pred2.remove_outside_window(win=self.win)
371
372
                                                      data1 = new_pred2.data
373
                                                      data2 = new_pred.data
374
                                                      response2 = data1.to_numpy()
375
376
377
                                                      pred2 = data2.to_numpy()
378
379
                                                      \texttt{response} \; = \; \texttt{np.vstack} \left( \left( \; \texttt{response} \; , \; \; \texttt{response2} \; \right) \; \right)
                                                      pred = np.vstack((pred, pred2))
380
381
                                  # standardize
382
383
                                  {\tt pred}\;,\;\; {\tt self.mean\_arr}\;,\;\; {\tt self.std\_arr}\;=\; {\tt new\_pred.stand\_pred}\;({\tt pred}\;)
384
                                  \# randomize index to scramble the data
385
386
                                  idx = np.random.rand(*response.shape).argsort(axis=0)
387
                                  print (pred)
388
                                  \texttt{response} \ = \ \texttt{np.take_along_axis} \ ( \ \texttt{response} \ , \ \ \texttt{idx} \ , \ \ \texttt{axis} = 0 )
                                  pred = np.take_along_axis(pred, idx, axis=0)
389
390
                                  print(pred)
391
392
                                  self.response = response
                                  self.pred = pred
393
394
                       def load_synthetic_wells_and_predictors_ext(self):
395
396
                                  load the wells from the synthetic sections as predictors and
397
```

398	
399	Returns
400	
401	None.
402	
403	
404	#
	#######################################
405	
406	log1 = load_well(file_name='data_2d_wedge_F3\F03_2_por_eff.xlsx')
407	
408	grid_list = [self.grid2, self.grid3]
409	self.grid_list = grid_list
410	grid_names = ['imp', 'Por']
411	self.grid_names = grid_names
412	
413	# get the impedance and porosity at the trace $==$ col
414	df = log1.from_synthetic(grid_list, grid_names, col=self.wells_loc[0])
415	
416	# move the porosity to a different dataframe as it is the target
417	$Por = df['Por'].to_numpy()$
418	Por_df = pd.DataFrame(Por, columns=['Por'])
419	
420	df.drop('Por', axis=1, inplace=True)
421	#
422	name = 'imp'
423	
424	new_pred = predictor_ext(df)
425	
426	# select values in window, get window mean and median and add all these as predictors
427	new-pred.roll_and_win_sel(data_name=name, win=self.win,
428	geo_int=self.geo_int, grid=self.grid2, col=self.wells_loc[0],
429	w_start=self.w_start, w_end_top=self.w_end_top, w_end_base=self.
100	w_end_base,
430	horizons_list_self.horizons_list, max_IWI\self.max_IWT, min_IWI\self.
	min_TWT)
431	
432	new_pred2 = predictor_ext(For_ar)
433	# remove target values outside the window
434	new-pred2.remove_outside_window(win=self.win)
435	datal = new_pred2.data
430	data2 = new_pred.data
437	
438	response = uatal.to_numpy()
439	
440	preu = uata2.to_numpy()
441	#

449	if $lep(solf wolls los) > 1$.
442	If $\text{ref}(\text{seri}, \text{weils}=10c) \ge 1$:
444	π jor cach well rotation perjorm the same predictor $extraction$ as above
445	if i = 0.
446	
. 10	puud

447	else:
448	#

449	$\log 2 = \log - well$ (
450	file_name='data_2d_wedge_F3\F03_2_por_eff.xlsx')
451	
452	df2 = log2.from_synthetic(
453	grid_list, grid_names, col=self.wells_loc[i])
454	
455	Por2 = df2['Por'].to_numpy()
456	Por_df2 = pd.DataFrame(Por2, columns=['Por'])
457	
458	df2.drop('Por', axis=1, inplace=True)
459	#

460	new_pred = predictor_ext(df2)
461	
462	new_pred.roll_and_win_sel(data_name=name, win=self.win,
463	geo_int=self.geo_int, grid=self.grid2, col=self.wells_loc[i
	1.
464	μ , we start = self, w start, we nd ton = self, we nd ton, we nd base =
	self wiend base
465	horizons list=self, horizons list, max TWT=self, max TWT-
	min TWT=self.min TWT)
466	
467	new pred ₂ = predictor ext(Por df ₂)
468	new predz – producerotak (i i i i i i i i i i i i i i i i i i i
469	
470	datal - new pred2 data
471	data2 = new pred data
472	
473	response = detal to pumpy()
474	response2 = data : to nampy ()
475	pred2 = data2 to pumpy()
475	preuz = dataz.to-numpy()
477	response = pp_vatesk((response_response2))
479	response = np.vstack((response), response2))
478	pred = np.vstack((pred, pred2))
479	#
480	
480	
481	pass
402	
483	# summinus:
495	prou, sont.moanlant, sont.soulant — new-prou.soanu-prou(prou)
400	# randomize index to compute the data
497	# reneration is to structure the data
199	nux = np.tanuom.tanu(*tesponse.snape).atgsott(axis=0)
400	print(pred)
409	$\frac{1}{1} = \frac{1}{1} + \frac{1}$
490	pred = np.take_atong_axis(pred, idx, axis=0)
491	print (pred)
492	
493	sen response = response
494	seni.prea = prea

495		
496	def	ML_with_cross_val(self, ML_method, n_estimators=np.arange(4, 200, 10), max_depth=np.arange(1, 12,
497		1), neurops=pp grapse(10, 300, 50) layers list= $\begin{bmatrix} 1 & 3 & 5 \end{bmatrix}$ act list= $\begin{bmatrix} 1 & 2 & 5 \end{bmatrix}$
407		epochs=100.
498		N=np.arange(1, 100, 1), al_array=np.arange(0, 0.03, 0.0001), cv=10, plot=True):
499		nnn
500		Performes machine learning cross—validation and training.
501		
502		Parameters
503		
504		ML_method : str
505		the machine learning method to be used.
506		n_estimators : numpy array, optional
507		number of decision trees. The default is np.arange(4, 200, 10).
508		max_depth : numpy array, optional
509		max depth for each decision tree. The default is np.arange(1, 12, 1).
510		neurons : numpy array, optional
511		range of number of neurans in every layer considered. The default is np.arange $(10\ ,\ 300\ ,\ 50)$.
512		layers_list : list , optional
513		range of number of hidden layers considered. The default is $[1,3,5]$.
514		act-list : list , optional
515		activation functions considered. The default is ['sigmoid'].
516		epochs : int, optional
517		numnber oj epochs or cycles oj training. The default is 100.
518		N : numpy array, optional
519		number of neigoors constaerea. Ine aejautt is np.arange(1, 100, 1).
520		al array : numpy array, opisonal monostry coefficients, considered. The default is no anamas(0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0
522		penany coejjicients constaerea. Ine acjaatt is np.aranye(v, 0.00, 0.0001). ev int ontional
523		number of folds. The default is 10
524		nemetri of journal
525		should the cross validation scores the plotted by tuning parameter. The default is True.
526		
527		Returns
528		
529		float
530		cross-validation MSE (CV score).
531		
532		777
533		
534		self.ML_method = ML_method
535		self.ML = Mlearning(self.pred, self.response, self.grid2)
536		uf = usefull_functions()
537		self.LOSS = dict()
538		
539		# perform cross—validation, all if sections follow a similar logic
540		if self.ML_method == 'Random Forest':
541		CV_RF = self.ML.RF_cross_val(
542		n_estimators=n_estimators, max_depth=max_depth, cv=cv, plot=plot) # perform cross
5.40		validation
543		# retreve best cross-validation result
545		Dest, Dest_ = Self.nandle_UV('UV_KF', UV_KF)
546		# fit model eccording to the best narometers
547		π jie model according to the vest parameters self.ML, BF init(n estimators=int(best[1]), may depth=int(best[3]))
548		
-		

549	elif self.ML_method == 'Neural Net':
550	CV_net = self.ML.n_net_cross_val(
551	N=neurons, layers_list=layers_list, act_list=act_list, epochs=epochs, cv=cv, plot=plot) $\#$
	perform cross validation
552	# retreve best cross-validation result
553	best, best_ = self.handle_CV('CV_net', CV_net)
554	
555	$self.ML.n_net_init(self.pred.self.response.int(best[5]).int($
556	best [1]), activation=best [3], epochs=epochs) $\#$ fit model according to the best parameters
557	(-)/,
558	elif self. ML method == 'lasso':
559	CV lasso = self ML lasso cross val (
560	al array al array curry plot-plot) # perform cross validation
561	π
562	# notrong boot appear notifation nonlt
562	# retreve dest cross-valuation result
203	best, best_ = seif.handle_CV(CV_lasso', CV_lasso)
564	# fit model according to the best parameters
565	<pre>self.ML.lasso_init(float(best[1]))</pre>
566	
567	else :
568	CV_KNN = self.ML.KNN_cross_val(
569	N=N, cv=cv, plot=plot) # perform cross validation
570	# retreve best cross—validation result
571	best, best_ = self.handle_CV('CV_KNN', CV_KNN)
572	# fit model according to the best parameters
573	self.ML.KNN_init(int(best[1]))
574	
575	self.best_ = best_ # save the best parameters as class object
576	
577	return self.neg_mse
578	
579 def	'predict(self, case_type='synthetic'):
580	
581	apply trained ML method to case
582	
583	Parameters
584	
585	case_type : str, optional
586	if the model is synthetic uses ML.predict_syn_grid, uses ML.predict_syn_grid if not. The
	default is 'synthetic'.
587	
588	Returns
589	
590	None.
591	
592	""
593	
594	if case_type == 'synthetic':
595	if self.ML_method == 'Random Forest':
596	
597	$pred_map = self_ML_predict_syn_grid(self_grid_list_self_grid_names_self_win_method='RF'$
	. geo int=self.geo int.
598	, overne-over.governe, w start-salf w start wand ton-salf w and ton
000	w and have-calf w and have
599	borizona listeral horizona list may TWT16 TWT
555	win TWT=cold min TWT
600	$, \min_{n \to \infty} \max_{n \to \infty} $
000	mean_arr=sell.mean_arr, std_arr=sell.std_arr)

601	else :
602	
603	pred_map = self.ML.predict_syn_grid(self.grid_list, self.grid_names, self.win, method=self
	.ML_method, geo_int=self.geo_int,
604	$w_start=self.w_start$, $w_end_top=self.w_end_top$,
	$w_end_base = self \cdot w_end_base$,
605	horizons_list=self.horizons_list, max_TWT=self.max_TWT
	, min_TWT=self.min_TWT,
606	<pre>mean_arr=self.mean_arr, std_arr=self.std_arr)</pre>
607	
608	else:
609	if self.ML_method == 'Random Forest':
610	
611	pred_map = self.ML.predict_grid(self.grid_list, self.grid_names, self.win, method='RF',
	geo_int=self.geo_int.
612	horizons_list=self, horizons_list, max_TWT=self, max_TWT.
	min TWT-self min TWT
613	mean arr_self mean arr_std arr_self std arr)
614	
615	6136.
616	produces a colf MI predict grid (colf grid list colf grid paper colf win method-colf
010	predimap = seri. ML. predict-gird (seri. gird_inst, seri. gird_names, seri. win, method_seri.
617	ML_method, geo_int=self.geo_int,
017	norizons_inst_seri.norizons_inst, max_iwi=seri.max_iwi,
610	$\min_{i=1} w_{i} = s \in [r, \min_{i=1} w_{i}],$
618	mean_arr=self.mean_arr, std_arr=self.std_arr)
619	
620	self.pred_map = pred_map
621	
622	def result_eval(self, vcut=False, hcut=False, ylab="IWI", vminp=0.2, vmaxp=0.4):
623	
624	compare the ML prediction against the true porosity, assuming a synthetic model.
625	Returns statistical values of the comparison.
626	Plots the true porosity, predicted porosity and the absolute difference between the two.
627	
628	Parameters
629	
630	vcut : list, optional
631	vertical slice of the array (TWT). The default is False.
632	hcut : list, optional
633	horizontal slice of the array (traces). The default is False.
634	ylab : str, optional
635	y label. The default is 'TWT'.
636	vminp : float, optional
637	minimum porosity value in colormap. The default is 0.2.
638	vmaxp : float, optional
639	maximum porosity value in colormap. The default is 0.4.
640	
641	Returns
642	
643	float
644	mean absolute error.
645	float
646	mean squared error.
647	float
648	r2 score.
649	list
650	standard deviation of the absolute error.

```
651
                                                           652
653
654
                                                          vmin = np.min(self.grid3)
655
                                                          vmax = np.max(self.grid3)
656
657
                                                          \# in order to take into account the window size if used
658
                                                          por_grid = self.grid3[:, self.win:len(self.grid3[0])-self.win]
659
660
                                                           pl = plot_results()
                                                          # titles = ['using {}, Wells at {}, window = {}'.format(self.ML_method, str(self.wells_loc),str(
661
                                                                                self.win)),
                                                                                                                `Estimate', 'absolute error with \{ \}, Wells at \{ \}, window = \{ \} `.format(self.ML_method, window) = \{ \} `.format(self.ML_method, window) = \{ \} `.format(self.ML_method) = \{ \} `.format(s
662
                                                           #
                                                                                 str(self.wells_loc), str(self.win))]
                                                           titles = ['Prediction on bottom using {}, Wells at {}'.format(self.ML_method, str(self.wells_loc))
663
                                                                                                       'Estimate', 'absolute error with {}, Wells at {}'.format(self.ML_method, str(self.
664
                                                                                                                              wells_loc))]
665
                                                           ∉ file name
666
667
                                                           best_ = self.best_.replace("/", "")
                                                          file\_name = `results / \{ \} / figures / \{ \}, using \ \{ \}, wells \ at \ \{ \}, window = \ \{ \}, geo \ int = \ \{ \} `.format(a) = \ abla a \ bala \ bala a \ bala \ bala a \ bala \ bala a \ bala \ bala \ bala \ bala 
668
                                                                            \texttt{self.case} \ , \ \texttt{self.ML\_method} \ , \ \texttt{best\_} \ , \ \texttt{self.wells\_loc} \ , \ \texttt{str} ( \ \texttt{self.win} ) \ , \ \texttt{self.geo\_int} )
669
670
                                                           file_name = file_name.replace("[", "")
                                                           file_name = file_name.replace("]", "")
671
672
                                                          \texttt{file\_name} \ = \ \texttt{file\_name} \ . \ \texttt{replace} \ (":", "")
673
674
                                                           pl.grids\_comp(por\_grid , self.pred\_map , titles=titles , vcut=vcut , hcut=hcut , file\_name=file\_name , file\_name , file\_name
                                                                                                                         extent=self.extent2, ylab=ylab, vmin=vminp, vmax=vmaxp)
675
676
                                                          r_squared = r_2_score(por_grid, flatten(), self_pred_map.flatten())
677
678
                                                           self.LOSS[self.ML_method +
679
                                                                                                          ' AE_std '] = np.std ( abs( por_grid . flatten () - self . pred_map. flatten () ) )
680
                                                           self.LOSS[self.ML_method +
681
                                                                                                       ' MAE'] = np.mean(abs(por_grid.flatten()-self.pred_map.flatten()))
682
683
                                                           \texttt{self.LOSS[self.ML_method+'MSE']} = \texttt{np.mean((por_grid-self.pred_map)**2)}
                                                           self.LOSS[self.ML_method+' r2 score'] = r_squared
684
685
                                                           res = \{ case: : [self.case],
686
687
                                                                                          'wells location ': [str(self.wells_loc)],
                                                                                          'method: ': [self.ML_method].
688
689
                                                                                          'window for prediction extraction :': [self.win],
                                                                                          'Geological interpretation ': [self.geo_int],
690
                                                                                          'hyperparameter tuning result: ': [best_],
691
692
                                                                                          'Cross validation negative MSE ': [\, {\tt self.neg\_mse}\,]\,,
693
                                                                                          'validation error MAE: ': [self.LOSS[self.ML_method+' MAE']],
                                                                                          'validation error MSE: ': [self.LOSS[self.ML_method+' MSE']],
694
                                                                                          'abs error std': [self.LOSS[self.ML_method+' AE_std']],
695
696
                                                                                          'r2 score': [self.LOSS[self.ML_method+' r2 score']]
697
                                                                                        }
                                                          df = pd.DataFrame(res)
698
                                                          file_name = file_name.replace("figures", "info")
699
                                                          {\tt df.to\_csv}\,(\,{\tt file\_name+'.txt'},\ {\tt sep='/'},\ {\tt index=False}\,,\ {\tt encoding='utf-8'})
700
701
                                                          {\tt return \ self. LOSS[self.ML_method+' \ MAE'], \ self. LOSS[self.ML_method+' \ MSE'], \ self.ML_method+' \ MSE'], \ self.ML_method+
702
                                                                               \label{eq:matrix} \text{ML\_method}+\text{' r2 score']}, \hspace{0.2cm} [\hspace{0.1cm} \texttt{self.LOSS} [\hspace{0.1cm} \texttt{self.ML\_method}+\text{' AE\_std']}]
```

```
704
          def result_eval_F3(self, vcut=False, hcut=False, ylab='TWT', vminp=0.2, vmaxp=0.4):
705
              compare the ML prediction against the true porosity in the F3 case.
706
              Returns statistical values of the comparison.
707
              Plots the true porosity, predicted porosity and the absolute difference between the two.
708
709
710
              vcut : list, optional
711
                  vertical slice of the array (TWT). The default is False.
712
              hcut : list, optional
                  horizontal slice of the array (traces). The default is False.
713
714
              ylab : str, optional
                  y label. The default is 'TWT'.
715
716
               vminp : float, optional
                  minimum porosity value in colormap. The default is 0.2.
717
718
              vmaxp : float , optional
719
                  maximum\ porosity\ value\ in\ colormap\ .\ The\ default\ is\ 0.4.
720
721
              Returns
722
723
               res : dict
                  dictionary of the parameters used, the cross-validation result and the cross-validation MSE.
724
725
               ,, ,, ,,
726
727
728
              \texttt{vmin} = \texttt{np.min}(\texttt{self.pred_map})
729
              vmax = np.max(self.pred_map)
730
              \# in order to take into account the window size if used
731
732
              pet_grid = self.grid_pet[:, self.win: len(self.grid_pet[0]) - self.win]
733
734
              pl = plot_results()
735
              titles = ['Prediction on bottom using {}'.format(self.ML_method),
736
                          'Estimate', 'absolute difference between solutions']
737
738
739
              # file name
              best_ = self.best_.replace("/", "")
740
741
              file\_name = `results / \{ \} / figures / \{ \}, using \ \{ \}, window = \ \{ \}, geo int = \ \{ \} `. format(
                  self.case, self.ML_method, best_, str(self.win), self.geo_int)
742
743
              file_name = file_name.replace("[", "")
              file_name = file_name.replace("]", "")
744
745
              file_name = file_name.replace(":", "")
              pl.grids_comp(pet_grid, self.pred_map, titles=titles, vcut=vcut, hcut=hcut, file_name=file_name,
746
747
                              \verb+extent=self.extent2 , ylab=ylab , vmin=vminp , vmax=vmaxp)
748
749
              res = \{ 'case: ': [self.case], \}
                      `method: ``: [self.ML_method],
750
                      'window for prediction extraction :': [self.win],
751
752
                      'Geological interpretation ': \ensuremath{\left[ \ensuremath{ \mbox{self.geo\_int} \ensuremath{\right]}}\xspace,
                      'hyperparameter tuning result: ': [best_],
753
754
                      'Cross validation negative MSE ': [self.neg_mse]
755
                     }
              df = pd.DataFrame(res)
756
              file_name = file_name.replace("figures", "info")
757
              {\tt df.to\_csv}\,(\,{\tt file\_name+'.txt'}\,,\ {\tt sep='/'},\ {\tt index=False}\,,\ {\tt encoding='utf-8'})
758
759
```

```
760
                                return res
761
762
                       def petrel_solution_eval(self):
763
                                 Compare the Sequential Gaussian simulation against the true porosity.
764
                                 Returns \ statistical \ values \ of \ the \ comparison \,.
765
                                 Plots the true porosity, predicted porosity and the absolute difference between the two.
766
767
768
                                Returns
769
                                MAE : float
770
771
                                        mean absolute error.
                                 MSE : float
772
773
                                         mean squared error.
                                 r_2 : float
774
775
                                         r2 score.
776
                                 AE\_std : float
                                          standard deviation of the absolute error.
777
778
                                 779
780
                                 ext = seismic_ext(self.petrel_solution)
                                 gridsol = ext.syn_seismic(plot=False, scaling=False)[0]
781
782
                                 if self.case == 'case 2a wedge hetero' or self.case == 'case 2b wedge hetero':
783
784
                                           gridsol = gridsol[:, 0:75]
785
786
                                 pl = plot_results()
787
                                 titles = ['True porosity: top, classic solution: below',
                                                          'Classical solution', 'Difference petrel solution']
788
789
                                 pl.grids\_comp(self.grid3, gridsol, titles=titles, file\_name='results/{}/figures/{} Petrel\_solution and a statement of the s
790
                                             '.format(self.case, self.case),
                                                                  extent=self.extent2)
791
792
                                 self.gridsol = gridsol
793
794
                                 AE_std = np.std(abs(self.grid3.flatten() - gridsol.flatten()))
795
796
                                 r_2 = r_2_score(self.grid3.flatten(), gridsol.flatten())
797
                                MAE = np.mean(abs(self.grid3.flatten() - gridsol.flatten()))
                                MSE = np.mean(((self.grid3.flatten() - gridsol.flatten())**2))
798
799
                                 return MAE, MSE, r_2, AE_std
800
```

C.4 seismic_ext.py

```
1 # -*- coding: utf-8 -*-
2 """
3 Created on Sun Dec 19 13:54:10 2021
4
5 @author: Eier
6 """
7
8
9 import segyio
10 import matplotlib.pyplot as plt
11 import numpy as np
12 from scipy import ndimage as ndi
```

```
13
14
15
16 class seismic_ext:
17
        18
        Exctracts sections using seguio
19
         20
^{21}
        def __init__(self, file_name):
22
             ^{23}
             initialise class
^{24}
            Parameters
25
26
             file_name : float
27
^{28}
                file path of the segy file.
29
             Returns
30
31
32
             None.
33
             n n n
34
35
             self.file = file_name
36
37
        {\tt def \ syn\_seismic\,(\,self\,,\ plot\ =\ False\,,\ scaling\ =\ False\,):}
38
39
             " " "
40
             uses \ seg yio \ to \ get \ the \ section \ as \ a \ numpy \ grid \, .
             also gets the depth ready for the class plot results.
41
42
43
             Parameters
44
45
             plot : bool, optional
46
                 Should the sections be plotted for evaluation? The default is False.
47
             scaling : bool, optional
^{48}
                 should the section numpy grid be standardized? The default is False.
49
50
             R eturns
51
             grid : 2D numpy array
52
53
                 section as numpy array, traces as rows, depth as columns.
              extent : list
54
55
                 axis extent as traces and TWT, for later plotting.
56
             57
58
59
             ∉ open file
60
             f = segvio.open(self.file, ignore_geometry=True)
61
62
             \#\ get the metadata, incl. TWT and trace ranges
             sec = segyio.tools.metadata(f)
63
64
            \mathrm{TWT}\,=\,-\,\mathrm{sec}\,.\,\mathrm{samples}\ \#\ g\,e\,t\ d\,e\,p\,t\,h\ d\,a\,t\,a
65
             TWT_{max} = TWT_{max}()
66
            TWT_min = TWT.min()
             trace_min = f.header[0][segyio.TraceField.TraceNumber]
67
68
             trace_max= f.header[-1][segyio.TraceField.TraceNumber]
69
```

```
extent = [trace_min, trace_max, TWT_min, TWT_max] \# get depth and trace numbers for the plots
70
71
72
            \# get cross-section
            grid = f.trace.raw[:]
73
74
            f.close()
75
76
            if plot == True:
77
               vm = np.percentile(grid, 99.5)
               plt.imshow(grid.T, cmap='jet', aspect='auto', vmin=-vm, vmax=vm)
78
79
               plt.title(self.file)
               plt.show()
80
81
            else:
82
83
               pass
84
85
            if scaling == True:
                grid = (grid - np.mean(grid)) / np.std(grid) # standardize data
86
87
88
            self.grid = grid
89
            return grid, extent
90
```

C.5 load_well.py

```
1 \quad \# \ -*- \ c \ o \ d \ i \ n \ g \ : \ u \ t f \ -8 \ -*-
2
3
    Created on Sun Dec 19 14:26:19 2021
4
5 @author: Eier
    6
7
    import pandas as pd
8
   import matplotlib.pyplot as plt
9
   import numpy as np
10
11 class load_well:
^{12}
        ., ., .,
        Handles\ the\ extraction\ and\ editing\ of\ the\ well-data\,.
13
14
       This can be real well data or synthetic well data from a 2D array of synthetic data.
        15
16
        def __init__(self, file_name):
            17
            Handles the extraction and editing of the well-data.
18
19
            This can be real well data or synthetic well data from a 2D array of synthetic data.
20
^{21}
            Parameters
22
^{23}
            file_name : str
               The file location of the well data.
24
25
            Returns
26
27
^{28}
            None.
^{29}
             30
31
32
             self.file = file_name
33
```

```
34
        def \ from\_excel(self):
35
36
             Imports \ well-log \ data \ from \ an \ excel \ file \ .
37
38
             R \ e \ t \ u \ r \ n \ s
39
40
             data : pandas.DataFrame
                dataframe of the well - logs.
41
                 one column per well-log.
^{42}
^{43}
             ,, ,, ,,
^{44}
45
             data= pd.read_excel(self.file, header = 2) #file_name = 'data_2d_wedge_F3 \ F03_2_por_eff.xlsx'
46
47
48
             data.drop('Unnamed: 0', inplace = True, axis = 1)
49
             data = data.dropna()
             \#d\,at\,a \ = \ d\,at\,a \ . \ s\,e\,t\,\_\,i\,n\,d\,e\,x \ (\ 'MD\ ')
50
             data.drop('MD', inplace = True, axis = 1)
51
52
53
             return data
54
        def \ from\_csv(self, \ drop\_MD = True):
             ,, ,, ,,
55
56
             Imports well-log data from an csv file.
57
58
             Parameters
59
             drop_MD : bool, optional
60
                 if True; will drop the 'MD' column. The default is True.
61
62
63
             Returns
64
65
             data : pandas.DataFrame
66
                 dataframe of the well - logs.
67
                 one column per well-log.
68
             MD : numpy array
69
                 the\ measured\ depth .
70
             .....
71
72
             data = pd.read_csv(self.file)
73
74
            MD = data ['MD'].to_numpy()
75
             if drop_MD==True:
76
                 data.drop('MD', inplace = True, axis = 1)
77
78
79
             return data, MD
80
81
         def from_synthetic(self, grid_list, name_list, col = 150):
82
83
             " " "
             Imports a trace from one or more synthetic sections as if it was a well-log.
84
85
86
             Parameters
87
             grid_list : list
88
89
                list of 2d arrays representing the cross-sections.
             name_list : list
90
```

```
91
                  list of grid names, for example ['imp', 'por'].
              col: int, optional
 92
 93
                   trace number. The default is 150.
 94
 95
              R \ e \ t \ u \ r \ n \ s
 96
 97
               df : pandas.DataFrame
                   dataframe of the well - logs.
98
99
                   one column per well-log.
100
              101
102
              n~=~0
              l = len(grid_list[0].T)
103
104
              data_ar = np.zeros((l, len(grid_list)))
105
               \# get trace = col in every cross-section
106
107
               for grid in grid_list:
                  data_ar[:,n] = grid [col] \# row in grid should be verticle \longrightarrow . T provides correct plot
108
109
                   n \ = \ n\!+\!1
110
111
               # compile traces into dataframe
              df = pd.DataFrame(data_ar, columns = name_list)
112
113
              return df
114
115
116 \# def win_select(data, data_name = 'Por.Eff.', win = 4):
117
118
    #
            d a t a _ c o l = d a t a [ d a t a _ n a m e ] . t o _ n u m p y ( )
119
            win_2 = int(win/2)
120
     #
            l = len(data_col)
121
    #
122
123 #
            for w in range(win_2):
124
                w = w+1
     #
125
126
127 \#
                \# start with 1 and -1
128
     #
                #
129
     #
                 up = np. zeros(l)
                up [:] = np . nan
130
    #
131
                up [w:l] = data_col[0:l-w]
    #
132
133
                down = np.zeros(l)
     #
                down [:] = np.nan
134
     #
135
                down [0: l-w] = data_col[0+w: l]
    #
136
137
                 data['+\{\} wind'. format(w)] = up
     #
                data['-\{\} wind '. format(w)] = down
138
     #
            return data
139
    #
140
141
142
     \# df = pd. read_excel('data \ case F3 \ F02_1. xlsx')
143 # df = df. loc [:, `df. columns. str. contains ('`Unnamed')]
144
145 \# df por = pd. DataFrame()
146
    \# df_{-}p or ['MD'] = df['MD']
147 \quad \# \ df_{-} \ p \ or \ [ \ 'P \ or \ . \ Eff \ . \ '] \ = \ df \ [ \ 'P \ or \ . \ Eff \ . \ ']
```

```
148
    \# df_p or = df_p or . dropna()
149
150
     \# df_imp = pd. DataFrame()
     \# df_{-}imp['MD'] = df['MD.1']
151
     \# df_imp['P_imp.'] = df['P_imp.']
152
     \# df_imp = df_imp \cdot dropna()
153
154
     # por_MD_lim = [df_por['MD'].min(), df_por['MD'].max()]
155
156
157
     \label{eq:main_state} \# \ df_{-}im \ p \ = \ df_{-}im \ p \ [ \ df_{-}im \ p \ [ \ 'MD \ '] > p \ or \ -M \ D_{-}lim \ [ \ 0 \ ] \ ]
      \# \ df_{-}imp \ = \ df_{-}imp \ [ \ df_{-}imp \ [ \ 'MD \ '] < por_{-}MD_{-}lim \ [ \ 1 \ ] ] 
158
159
160
161
     \# df_imp = df_imp . reset_index ()
162
     \# df_p or = df_p or . reset_index () 
163
     \# df well = pd. DataFrame()
164
165
166
     \# def nearest (number, arr):
167
     #
168
      #
             Gets index of number nearest the "number"
169
170
            Parameters
     #
171
     #
172
             number : TYPE
     #
173
      #
                DESCRIPTION.
     #
             arr : TYPE
174
                DESCRIPTION.
175
      #
176
177
      #
             R\ e\ t\ u\ r\ n\ s
178
     #
179
            TYPE
     #
             DESCRIPTION.
180
     #
181
             182
      #
183
            s e a r c h = a b s (a r r - n u m b e r)
     #
184
      #
             m = s e a r c h . min()
185
             return np. where (search == m) [0]
     #
186
     \# m d_{-} list = []
187
188
     \# imp_list = []
     # por_list = []
189
190
191
192
     \# for n, i in enumerate (df_imp['MD']):
193
194
      #
             arr = df_p or ['MD']. to_numpy()
195
            ind = nearest(i, arr)[0]
196
     #
197
             md = df - imp \cdot iloc[n]['MD']
198
     #
199
             md\_list . append(md)
      #
             imp = df_{-}imp . iloc [n]['P-imp.']
200
      #
201
             imp_list.append(imp)
     #
             por = df_por.iloc[ind]['Por.Eff.']
202 #
203
             por_list.append(por)
     #
204
```

```
205  # df_well['MD'] = md_list
206  # df_well['imp'] = imp_list
207  # df_well['por'] = por_list
208
209  # plt.scatter(df_well['imp'], df_well['por'])
```

C.6 predictor_ext.py

```
1 \quad \# \ -*- \ c \ o \ d \ i \ n \ g \ : \ u \ t f \ -8 \ -*-
 2
3 Created on Thu Dec 23 16:06:26 2021
 4
\mathbf{5}
    @author: Eier
 6
     " " "
7 import numpy as np
8 import matplotlib.pyplot as plt
    from \ {\tt classes.usefull\_functions} \ import \ {\tt usefull\_functions}
9
10
    import pandas as pd
11
12 class predictor_ext:
13
         def __init__(self, data):
14
             15
16
17
              Parameters
18
19
              data : pandas DataFrame
20
^{21}
                 predictor data.
22
^{23}
              Returns
24
^{25}
              None .
^{26}
              27
^{28}
              self.data = data
29
30
         {\tt def} \ {\tt add\_well\_loc} \, (\, {\tt self} \ , \ {\tt well\_loc} \, ):
31
32
              adds the well location as a predictor.
33
              Only works for synthetic models
34
35
              Parameters
36
\mathbf{37}
              well\_loc : int
38
39
                 trace (well) location.
40
41
              Returns
42
^{43}
              None.
44
              45
46
              \texttt{self.data['well location']} = \texttt{np.repeat(well_loc, len(self.data))}
47
^{48}
```

 $\label{eq:def_def_def} \texttt{def} \ \texttt{median_and_mean(self, data_name = 'Por.Eff.',win =4):}$

```
50
             adds the rolling mean, median window results as predictors
51
52
53
             Parameters
54
55
             data\_name : str, optional
                 name of the column that the rolling windows should apply to. The default is 'Por.Eff.'.
56
57
             win : int, optional
58
                 window size. The default is 4.
59
             Returns
60
61
             None.
62
63
             64
65
             self.roll_mean(data_name = data_name,win = win)
66
             self.roll_median(data_name = data_name,win = win)
67
             self.remove_outside_window(win = win)
68
         def roll_and_win_sel(self, data_name = 'Por.Eff.', win =4,
69
70
                                    geo_int = 'none', horizons_list = None, grid = 1, col = 1,
                                    w_{start} = [267, 178], w_{end_{top}} = [0, 178], w_{end_{base}} = [0, 273],
71
72
                                    max_TWT = -618, min_TWT = -1162):
             73
74
             adds the rolling mean, median and selections window results as predictors.
75
             also adds the depositional time if apporopriate.
76
77
             Parameters
78
79
             data\_name : str, optional
                name of the column that the rolling windows should apply to. The default is 'Por.Eff.'.
80
81
             win : int, optional
82
                 window size. The default is 4.
83
             g \ e \ o \ i \ n \ t \ : \ s \ t \ r \ , \ o \ p \ t \ i \ o \ n \ a \ l
                 Should the depositional time be implemented and if so how?. The default is 'none'.
84
85
             horizons_list : TYPE, optional
86
                 DESCRIPTION. The default is None.
87
             grid : numpy array, optional
88
                 2D array of a cross-section. The default is 1.
             col: int, optional
89
90
                 trace (well) location. The default is 1.
91
              w_start : list , optional
^{92}
                 the starting position of the wedge: the pinch point. The default is [267, 178].
              w_end_top : list , optional
93
                 the end of the top surface of the wedge. The default is [0, 178].
^{94}
95
              w = end = base : list , optional
96
                 the end of the base surface of the wedge. The default is [0, 273].
97
             max_TWT : int , optional
                 maximum value of the TWT. The default is -618.
98
99
             \min\_TWT \ : \ int \ , \ optional
                minimum value of the TWT. The default is -1162.
100
101
             Returns
102
103
104
             None.
105
             106
```

```
\# self. add_well_loc(well_loc=col)
108
109
110
                             # add window functions
                            self.roll_mean(data_name = data_name,win = win)
111
112
                             self.roll_median(data_name = data_name, win = win)
113
                             self.win_select(data_name = data_name,win = win)
114
115
                             # add depo−time
116
                            if geo_int == 'wedge':
117
                                     {\tt self.construct\_timelines\_wedge\_df(grid = grid , w\_start = w\_start , w\_end\_top=w\_end\_top , w\_start = w\_start , w\_start , w\_end\_top=w\_end\_top , w\_start = w\_start , w\_end\_top=w\_end\_top , w\_start = w\_start , w\_start = w\_start , w\_s
                                                 w_end_base=w_end_base,
                                                                                                                                  col = col, win = win)
118
119
                             elif geo_int == 'from horizons':
                                    120
                                                min_TWT)
121
                                      self.depotime_well(well_loc = col)
122
123
                             # remove data outside of the windows
                             self.remove_outside_window(win = win)
124
125
                   def roll_and_win_sel_well(self, data_name = 'Por.Eff.',win =4,
126
127
                                                                            \texttt{geo_int} = \texttt{`none', horizons_list} = \texttt{None, grid} = \texttt{1, MD} = \texttt{None, well_path} = \texttt{None}
                                                                                      ):
^{128}
                             self.roll_mean(data_name = data_name, win = win)
129
                             self.roll_median(data_name = data_name, win = win)
130
                             self.win_select(data_name = data_name,win = win)
131
                             # add depo-time
132
133
                            if geo_int == 'from horizons':
                                     self.depotime_well_path(MD = MD, well_path = well_path)
134
135
136
137
                             self.remove_outside_window(win = win)
139
                   def roll_mean(self, data_name = 'Por.Eff.',win =4):
140
141
                             applies the rolling mean to a column in the dataframe
142
                            Parameters
143
144
145
                            data\_name : str, optional
146
                                    name of the column that the rolling windows should apply to. The default is 'Por.Eff.'.
                             win : int, optional
147
                                     window size. The default is 4.
148
149
150
                            R e t u r n s
151
152
                             data : pandas DataFrame
153
                                   full dataframe of the predictors.
154
                             155
                            data = self.data
156
                             \# fails afe for if no window is wanted
157
                            if win == 0:
158
159
                                   pass
160
                            else:
```

161	data['roll mean'] = data[data_name].rolling(window=win).mean()
162	self.data = data
163	return data
164	
165 de	f roll_median(self, data_name = 'Por.Eff.',win =4):
166	
167	applies the rolling median to a column in the dataframe
168	
169	Parameters
170	
171	data_name : str, optional
172	name of the column that the rolling windows should apply to. The default is 'Por.Eff.'.
173	win : int, optional
174	window size. The default is 4.
175	
176	Returns
177	
178	data : pandas DataFrame
179	full dataframe of the predictors
180	
181	
181	data = calf data
182	data = sell.data
183	# Jatisale jor ij no window is wanica
184	$\operatorname{Ir} \operatorname{win} = 0:$
185	pass
186	else:
187	data ('roll median'] = data [data_name].rolling (window=win).median()
188	self.data = data
189	return data
190	
191 de	f win_select (self, data_name = 'Por.Eff.', win =4):
192	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
193	applies window selection to a predictor.
194	This means that in a window of $[-win/2, +win/2]$ every data point from the point of consideration
	is added as a predictor
195	
196	Parameters
197	
198	data_name : str, optional
199	name of the column that the rolling windows should apply to. The default is 'Por.Eff.'.
200	win : int, optional
201	window size. The default is 4.
202	
203	Returns
204	
205	data : pandas DataFrame
206	full dataframe of the predictors.
207	
208	<i>n n n</i>
209	
210	data = self.data
211	# failsafe for if no window is wanted
212	if win $== 0$:
213	pass
214	else:
215	data_col= data[data_name].to_numpy()
216	

```
218
                                                 win_2 = int(win/2)
219
                                                  l = len(data_col)
220
221
                                                  \# for every point above and below the point of computation
                                                 for w in range(win_2):
222
223
                                                            w ~=~ w{+}1
224
                                                            # prepare to get higher value
225
226
                                                            up = np.zeros(1)
227
                                                            up[:] = np.nan
^{228}
                                                             \# get value
                                                            up[w:1] = data_col[0:1-w]
229
230
231
                                                            \# prepare to get lower value
                                                            down = np.zeros(1)
232
233
                                                            \mathrm{down}\,[\,:\,]\ =\ \mathrm{np.\,nan}
                                                            \# get value
^{234}
235
                                                            down [0:1-w] = data_col[0+w:1]
236
237
                                                             # save values
                                                            data['+{} wind'.format(w)] = up
238
239
                                                            data['-{} wind'.format(w)] = down
240
 241
                                                  self.data = data
242
                                     return data
^{243}
                          {\tt def} \ {\tt remove\_outside\_window} \, (\, {\tt self} \ , \ {\tt win} \, ):
244
245
246
                                     Remove the top and bottom rows equal to the window size.
247
248
                                     Parameters
249
250
                                      win : int
251
                                            window size.
252
                                     Returns
253
254
255
                                      None .
256
                                      257
258
 259
                                      self.data = self.data.iloc[win:]
260
                                      self.data = self.data.iloc[0:len(self.data)-win]
261
262
263
                          \texttt{def construct_timelines_wedge(self, grid, w\_start = [267, 178], w\_end\_top = [0, 178], w\_end\_base = [0, 178], w
                                      273]):
264
265
                                      A non-ideal function that constructs an array of the depositional time for a wedge that is
                                                 thinning to the right.
266
267
                                     Parameters
 268
                                      grid : numpy array
269
 270
                                             2D array of a cross-section.
                                      w\_start : list , optional
271
```

272	the starting position of the wedge: the pinch point. The default is [267, 178].
273	$w_{-}end_{-}top : list, optional$
274	the end of the top surface of the wedge. The default is $\left[0,178 ight].$
275	w_end_base : list , optional
276	the end of the base surface of the wedge. The default is [0, 273].
277	
278	Returns
279	
280	res : numpy array
281	2D array with the relative depositional time.
282	
283	
284	
285	inter = 1
286	if w_start > w_end_top:
287	direction = 'thinning right'
288	
289	rows = np.arange(min([w_start[0], w_end_top[0]]), max([w_start[0], w_end_top[0]]), 1) # what rows are relavant
290	
291	if direction == 'thinning right':
292	$\#$ start_top0 = np.linspace(), len(rows)).round()
293	start_top1 = np.linspace(min(w_start[1], w_end_top[1]),max(w_start[1], w_end_top[1]),len(rows)
).round()
294	
295	<pre># start_base0 = np.linspace(min(w_start[0], w_end_base[0]),max(w_start[0], w_end_base[0]),len(rows)).round()</pre>
296	start basel = nn, linspace(max(w start[1], w end base[1]), min(w start[1], w end base[1]), len(
	rows)).round()
297	
298	else:
299	$start_{top0} = np.linspace(min(w_start[0], w_end_top[0]),max(w_start[0], w_end_top[0]),len(rows)$
).round()
300	<pre>start_top1 = np.linspace(min(w_start[1], w_end_top[1]),max(w_start[1], w_end_top[1]),len(rows)).round()</pre>
301	
302	<pre>start_base0 = np.linspace(min(w_start[0], w_end_base[0]),max(w_start[0], w_end_base[0]),len(rows)).round()</pre>
303	<pre>start_base1 = np.linspace(min(w_start[1], w_end_base[1]),max(w_start[1], w_end_base[1]),len(rows)).round()</pre>
304	
305	top_ts = np.arange(0, int(start_top1[1]), inter) # timelines above wedge
306	
307	<pre>missing = np.arange(int(start_top1[1]), int(max(start_base1)), inter) # timelines inside wedge</pre>
308	
309	<pre>base_ts = np.arange(int(max(start_base1)),len(grid[0]), inter) # timelines below wedge</pre>
310	
311	$L = abs(w_start[0] - w_end_top[0])$
312	
313	change_in_inter = np.linspace(inter, 0, L)
314	
315	res = np.zeros(np.shape(grid))
316	
317	for n, row in enumerate(grid): # vertical, left to right in imshow
318	print(n)
319	l = len(row)
320	$new_row = np.zeros(1)$

322		if n in rows:
323		if direction == 'thinning right':
324		
325		change = change_in_inter[n]
326		
327		<pre>new_row[0:int(start_top1[n])] = np.linspace(top_ts[0], top_ts[-1], len(rows[0:int(</pre>
200		
328		$\Pi = \operatorname{len}(\operatorname{row}(\operatorname{Int}(\operatorname{start-top}([n])):\operatorname{Int}(\operatorname{start-basel}([n])))$
329		<pre>new_row [int (start_top1[n]) : int (start_base1[n])] = np.linspace(missing[0], missing[-1], len (new_row[int(start_top1[n]): int(start_base1[n])]))</pre>
330		<pre>new_row[int(start_base1[n]):] = np.linspace(base_ts[0], base_ts[0]+len(new_row[int(start_base1[n]):]), len(new_row[int(start_base1[n]):]))</pre>
331		
332		else:
333		$new_row[0:int(start_top1[0])] = np.linspace(top_ts[0], top_ts[-1], len(new_row[0:int(start_top1[0])]) = np.linspace(top_ts[0]) = np.linspace(top$
		<pre>start_top1[0]))</pre>
334		new_row[int(start_top1[0]):] = np.linspace(base_ts[0], base_ts[0]+len(new_row[int(
		<pre>start_top1[0]):]), len(new_row[int(start_top1[0]):]))</pre>
335		
336		res[n] = new_row
337		
338		res = res.round()
339		# res = (res - np.mean(res)) / np.std(res) # standardizing data
340		
341		return res
342		
343	def	construct_timelines_wedge_df(self, grid, w_start = $[267, 178]$, w_end_top = $[0, 178]$, w_end_base = $[0, 273]$
344		col = 100):
345		
346		Make the relative depositional time for a synthetic wedge
347		muse the restriction depositional time jor a systematic weage,
249		then excepted one of the columns as a preasent.
340		Parameters
350		
351		arid - numnu array
250		20 annow of a special another
352		zp array of a cross-section.
333		wistart : tist, optional
354		ine starting position of the weage, the pinch point. The acjuant is [201, 176].
256		we have 0 , i.s., optimize 1 , the matrix 1 ,
350		ine end of the top striftee of the weage. The default is [0, 178].
259		$w_{centrologies} = i is t$, optional the modes. The default is $[0, 272]$
350		ine ena oj ine ouse surjuce oj ine weage. Ine uejuati is [0, 210].
305		tor . Int, optional
261		is a construction of the deguard is 100.
363		Patrone -
262		A CE G T A S
264		alf data y nandas DataFrams
304		scij. uuru . punuus Dulusrume
266		juii aalajrame oj ine predictors.
300		
367		
308		
369		# get the timelines
370		<pre>seii.timeiines = seii.construct_timeiines_weage(grid, w_start, w_end_top, w_end_base)</pre>
3/1		

```
372
                             data = self.timelines[col]
373
374
                              \# save the timelines for one trace
                              self.data['time lines {}'.format(col)] = data
375
376
                              \label{eq:plt.imshow} \# \ plt.imshow (self.timelines.T, aspect = `auto`, cmap=`jet`)
377
                              # plt.title('Depotime from wedge interpretaion')
378
                              # plt.colorbar()
379
380
                              # plt.show()
381
382
383
                              # self.data = (self.data - np.mean(self.data)) / np.std(self.data)
                             return self.data
384
385
                     {\tt def \ construct\_timelines\_from\_horizons(self, grid, horizons\_list, max\_TWT = -618, min\_TWT = -1162, min\_TWT = -1000, min\_TWT = -1000, min\_TWT = -1000, min\_TWT = -1000, min
                               standardizing = True):
                               ,, ,, ,,
386
                              make the deopsitional time array from where the horizons interect with the cross-sections
387
388
389
                              Parameters
390
391
                              grid : numpy array
                                     2D array of a cross-section.
392
393
                               horizons_list : list or None, optional
394
                                      list of numpy arrays that describe where the horizons intersect with the cross-section. The
                                                  default is None.
395
                              max\_TWT \ : \ int \ , \ optional
                                     maximum value of the TWT. The default is -618.
396
397
                              min\_TWT \ : \ int \ , \ optional
                                     minimum value of the TWT. The default is -1162.
398
399
                               standardizing : bool, optional
                                     should the resulting array be standardized?. The default is True.
400
401
402
                             Returns
403
                              res : numpy array
404
405
                                      2D array of the depositional time.
406
                              .....
407
408
                              \# ordered from max to min
                              n_traces, n_samples= np.shape(grid)
409
410
                             interval = -abs((max_TWT-min_TWT)/n_samples)
411
                             print (n_samples)
412
                             res = np.zeros(np.shape(grid))
413
414
415
                              # for every trace
416
                              for s in range(n_traces):
417
                                      stack = np.array([])
                                       # for every horizon
418
419
                                       for i in range(len(horizons_list)):
420
                                               \# find the upper and lower horizons
421
                                                upper_h = horizons_list[i-1]
                                               lower_h = horizons_list[i]
422
423
                                                # firs (top) horizon
424
425
                                                if i == 0:
                                                         \# if the upper horizon extends beyond the cross-section then skip
426
```

```
427
                                i\,f\, upper\_h\,[\,s\,] \ > \ max\_TWT\colon
428
                                    pass
429
                                \# if the upper horizon does no extend beyond the cross-section then fill in the
                                      missing values above the horizon
430
                                else:
431
432
                                     upper_h = horizons_list[i]
                                     \texttt{times} \; = \; \texttt{np.arange} \left( \texttt{max_TWT}, \; \texttt{upper_h} \left[ \; \texttt{s} \; \right], \; \texttt{interval} \right)
433
434
                                     times = times[times<=max_TWT]
435
                                     times = np.linspace(i, i+1, len(times))
436
437
                                     stack = np.hstack((stack, times))
438
439
                           else:
440
                                times = np.arange(upper_h[s], lower_h[s], interval)
441
442
443
                                times = times[times<=max_TWT]
444
                                times = np.linspace(i, i+1, len(times))
445
446
                                stack = np.hstack((stack, times))
447
448
449
                       if \ len(stack) < len(res[s]): \# \ happens \ if \ the \ bottom \ horizon \ is \ not \ beyond \ the \ min_TWT, 
                            meaning the remaining time needs to be filled in
                           diff = abs(len(stack) - len(res[s]))
450
                           stack = np.hstack((stack, np.linspace(i+1, i+2, diff)))
451
452
453
454
                     res[s] = stack[0:len(res[s])]
455
456
                      self.times = res
457
458
                # plt.imshow(res.T, aspect = 'auto', cmap='jet')
459
460
                # plt.title('Depotime from horizons')
461
                 # plt.colorbar()
462
                # plt.show()
463
                if standardizing == True:
464
465
                     pass
                     # res = (res - np.mean(res)) / np.std(res) # standardizing data
466
467
                \label{eq:plt.imshow} (\textit{res.T}, \textit{cmap}=\textit{'nipy\_spectral'}, \textit{aspect}=\textit{'auto'}, \textit{extent}=[0,600,\textit{min\_TWT},\textit{max\_TWT}])
                # plt.colorbar()
468
                # plt.show()
469
470
                return res
471
472
           {\tt def} \ {\tt depotime\_well\_path} \ ( \ {\tt self} \ , \ \ {\tt MD} = \ {\tt None} \ , \ \ {\tt well\_path} \ = \ {\tt None} \ ) :
473
474
                A\,dd \quad the \quad depositional \quad time \quad as \quad a \quad predictor \;.
                This is for a real well, not synthetic data.
475
476
                Parameters
477
478
479
                MD \ : \ numpy \ array \ , \ optional
                     measured \ depth \ of \ the \ well-logs \ . \ The \ default \ is \ None \ .
480
481
                 well_path : str, optional
```

```
path to a file containing the horizon locations intersecting the cross-section. The default is
482
                        None.
483
484
              Returns
485
486
              None.
487
               488
489
490
              MD = -MD
491
492
              \# get the horizon locations in the well
              well_p = pd.read_csv(well_path)
493
494
              well_p_np = -well_p.to_numpy()
495
496
              well_p_np.sort()
497
              well_pnp = -well_pnp [0]
498
499
              uf = usefull_functions()
500
501
              indx_list = []
502
503
              # for each horizon
              for hor_loc in well_p_np:
504
505
                   \# find the horizon location in the MD-log
506
                  indx = uf.nearest(hor_loc, MD)[0]
507
508
                  indx\_list.append(indx)
509
510
              indx_list.sort()
511
512
              \# interpolating the time
              time = np.zeros(len(MD))
513
514
              i_{-}old = 0
              n_old = 0
515
516
              for n, i in enumerate(indx_list):
517
                  time[i_old:i] = np.linspace(n_old, n+1, len(time[i_old:i])))
518
519
                  i_old = i
520
521
                  \texttt{n\_old} = \texttt{n+1}
522
523
              time[i_old:] = np.linspace(n_old, n_old+1, len(time[i_old:]))
524
525
              self.time = time
526
527
              self.data['depotime'] = self.time
528
          def depotime_well(self, well_loc):
529
530
              \texttt{self.data['depotime at \{}'.\texttt{format}(\texttt{well_loc})] = \texttt{self.times[well_loc]}
531
532
          {\tt def stand\_pred(self, pred, mean\_list = None, std\_list = None):}
533
534
              standardize all the predictors and save the standard deviation and mean used for the
                   standardization.
535
```

```
536 Parameters
```

```
537
               pred : numpy array
538
539
                   numpy array of predictors.
540
                mean\_list : numpy array, optional
                   array of the mean values to be used in the standization. The default is None.
541
542
                std\_list : numpy \ array \ , \ optional
                    array of the standard deviation values to be used in the standization. The default is None.
543
544
545
               Returns
546
               pred : numpy array
547
548
                   numpy array of predictors.
549
                mean_arr : numpy array
550
                    array of the mean values used in the standization.
551
                std_arr : numpy array
                    array of the standard deviation values used in the standization.
552
553
               554
555
               # reserving memory
556
557
               mean\_arr = np.zeros(len(pred[0]))
               std_arr = np.zeros(len(pred[0]))
558
559
560
               \# if previous mean and std are to be used
561
                 \label{eq:constraint} \textbf{if type} (\,\texttt{mean\_list}\,) = = \texttt{np.ndarray} \hspace{0.1cm} \textbf{and} \hspace{0.1cm} \textbf{type} (\,\texttt{std\_list}\,) \\ = = \texttt{np.ndarray}: 
562
                    for n in range(len(pred[0])):
                         pred[:,n] = (pred[:,n] - mean_list[n]) / std_list[n]
563
564
565
               else:
566
                    for n in range(len(pred[0])):
567
568
                         mean\_arr[n] = np.mean(pred[:,n])
                         std_arr[n] = np.std(pred[:,n])
569
570
571
572
573
                         pred \ [: \ , n \ ] \ = \ ( \ pred \ [: \ , n \ ] \ ) \ / \ np \ . \ std \ ( \ pred \ [: \ , n \ ] \ ) \ )
574
575
576
577
               return pred, mean_arr, std_arr
```

C.7 Mlearning.py

```
1
   \# -*- coding: utf -8 -*-
2
   Created on Mon Dec 27 13:00:06 2021
3
4
\mathbf{5}
    @author: Eier
6
    from sklearn.neighbors import KNeighborsRegressor
7
8
   from sklearn.svm import SVR
9
   import sklearn
10
    from sklearn.model_selection import KFold
11 import pandas as pd
12 import numpy as np
```

```
13 import matplotlib.pyplot as plt
```

```
14 from sklearn.model_selection import cross_val_score
15 import tensorflow as tf
16
    \mathbf{from} \hspace{0.1 cm} \texttt{sklearn.ensemble} \hspace{0.1 cm} \mathbf{import} \hspace{0.1 cm} \texttt{RandomForestRegressor}
17 from classes, load_well import load_well
18 from sklearn import linear_model
19
^{20}
21 class Mlearning:
        ^{22}
23
        Handels the cross validation, training and application (predictiion)
        of the machine learning methods.
^{24}
25
        def __init__(self , pred , response , grid):
26
27
             ,, ,, ,,
             Handels the cross validation, training and application (predictiion)
28
             of the machine learning methods.
^{29}
30
            Parameters
31
32
33
             pred : numpy array
                p\ r\ e\ d\ i\ c\ t\ o\ r\ s
^{34}
35
             response : numpy array
36
                 response or target values
37
             grid : numpy array
38
                grid to map the predictions on, for the thesis: the impedance section
39
            R eturns
40
41
             None.
42
^{43}
             44
45
             \# set the seeds, means that the result will always be the same given the same data and parameters
46
             np.random.seed(seed = 1)
47
             tf.random.set_seed(1)
48
49
            self.pred =pred
50
             self.response=response
51
             self.grid=grid
52
        def KNN_init(self, k):
53
54
             ,, ,, ,,
             Initiallise and fit KNN
55
56
57
            Parameters
58
             k : int
59
60
                 number of neigbors considered
61
62
             Returns
63
64
             None.
65
             66
67
             self.model = KNeighborsRegressor(n_neighbors=k)
             self.model.fit(self.pred, self.response)
68
69
         def RF_init(self, n_estimators = 100, max_depth = 3):
70
```

```
71
              initiallise and fit random forest
 72
 73
 74
               Parameters
 75
 76
               n\_estimators : int , optional
                  number of trees. The default is 100.
 77
               max_depth : int, optional
 78
                  max depth of all decision trees. The default is 3.
 79
 80
              Returns
 81
 82
              None.
 83
 84
               85
 86
              \texttt{self.model} = \texttt{RandomForestRegressor(n\_estimators} = \texttt{n\_estimators}, \texttt{max\_depth=max\_depth})
 87
               response = np.ravel(self.response)
               self.model.fit(self.pred, response)
 88
 89
 90
 ^{91}
          {\tt def} \ {\tt lasso_init} \ ( \ {\tt self} \ , \ \ {\tt alpha} \ = \ 0\,.\,1\, ):
               ,, ,, ,,
 92
 93
               initialise and fit lasso
 94
 95
              Parameters
 96
               alpha : float, optional
 97
 98
                   coefficiant for the penalty term. The default is 0.1.
 99
100
               R \ e \ t \ u \ r \ n \ s
101
102
              None .
103
               104
              self.model = linear_model.Lasso(alpha = alpha)
105
106
               self.model.fit(self.pred, self.response)
107
108
          def n_net_init(self, pred, response, n, layers = 1, epochs=10, activation='sigmoid', optimizer = 'adam'
               , v \operatorname{erbose} = 0:
109
110
               initialise and fit neural network
111
112
               Parameters
113
               pred : numpy array
114
115
                  p\ r\ e\ d\ i\ c\ t\ o\ r\ s
116
               response : numpy array
117
                  response or target values
118
               n : int
119
                   number of neurans in each layer.
               layers : int, optional
120
121
                   number of hidden layers. The default is 1.
               epochs : int, optional
122
123
                  number of forward and backward prop. The default is 10.
124
               activation : str, optional
125
                   transfer function. The default is 'sigmoid'.
126
               optimizer : str, optional
```

127	optimizer function. The default is 'adam'.
128	verbose : int, optional
129	if 0: stops the network printouts, if 1 the printouts are enabaled. The default is 0.
130	
131	Returns
132	
133	None.
134	
135	<i>иии</i>
136	# self.n_model = tf.keras.models.Seguential([
137	# tf.keras.Input(np.shape(self.pred[0])).
138	$ = \frac{1}{2} + \frac$
139	# if kerns, layers, Dense(1, activation=activation)
140	<i>4</i> 1)
141	<i>π</i> 1)
142	colf model = if kerner models Segmential()
142	set: model = tr.ketas.models.sequentiar()
143	# and input rayer
144	seir.model.add(tr.keras.input(np.snape(seir.pred[U])))
145	· · · · · · · ·
146	# add hidden layers
147	for i in range(layers):
148	self.model.add(tf.keras.layers.Dense(n, activation=activation))
149	
150	# add output layer
151	self.model.add(tf.keras.layers.Dense(1, activation=activation))
152	
153	self.model. compile (optimizer=optimizer,
154	$loss='MeanSquaredError', \#'mean_squared_logarithmic_error', \#'$
	$categorical_crossentropy$ ', # 'MeanSquaredError ',
155	# loss = 'MeanAbsoluteError',
156	metrics = ['mse'])
157	
158	self.model.fit(self.pred, self.response, epochs = epochs, verbose = 0)
159	
160	
161 def	$R \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \$
	plot = True):
162	<i>ини</i>
163	Random forest cross validation
164	
165	Parameters
166	
167	n_estimators : numpy array, optional
168	number of decision trees. The default is np.arange(100, 250, 1).
169	max_depth : numpy array. optional
170	max depth for each decision tree. The default is np.arange(2, 5, 1).
171	cv: int. optional
172	number of folds. The default is 10.
173	plot : bool. optional
174	should the cross validation scores the plotted by tuning narameter. The default is True
175	
176	Returns
177	1LULUIN0
179	
170	ics automary
100	resuits of the cross valiaation by the tuning parameters.
101	
181	

```
182
              \# prepare to store data
183
              res = dict()
184
              i = 0
              scores = np.zeros(len(n_estimators)*len(max_depth))
185
              estimators_scores = np.zeros(len(n_estimators))
186
187
188
              # for all parameters in range
189
              for k, n in enumerate(n_estimators):
190
                   depth_scores = np.zeros(len(max_depth))
191
                   for 1, d in enumerate(max_depth):
                       print(i)
192
193
                       n = int(n)
194
195
                       RF = RandomForestRegressor(n_estimators=n,max_depth=d)
196
197
                        # perform cross validation
                        \texttt{score} \ = \ \texttt{cross\_val\_score} \ (\texttt{RF}, \ \texttt{self.pred} \ , \ \texttt{self.response} \ , \ \texttt{cv} \ = \ \texttt{cv} \ , \ \texttt{scoring} = '
198
                             neg_mean_squared_error').mean()
199
                       # store data
200
201
                        scores[i] = score
202
                       depth_scores[1] = score
203
                       i \hspace{0.2cm} = \hspace{0.2cm} i + 1
                       res['n_estimators: /{}/, max_depth: /{}/'.format(n,d)] = score
204
205
                   estimators\_scores[k] = depth\_scores.mean()
206
              # plot cross validation result
207
208
              if plot == True:
209
                  plt.plot(max_depth, depth_scores)
210
                   plt.xlabel('max depth')
                   plt.ylabel('scores')
211
212
                  plt.title('CV scores RF')
                  plt.show()
213
214
                   plt.plot(n_estimators, estimators_scores)
215
216
                   plt.xlabel('n_estimators')
217
                   plt.ylabel('scores')
                   plt.title('CV scores RF')
218
219
                   plt.show()
220
              return res
221
222
223
          {\tt def KNN\_cross\_val(self, N = np.arange(100, 250, 1), cv = 10, plot = True):}
224
225
              KNN cross validation
226
227
              Parameters
228
229
              N : numpy array, optional
230
                   number of neigbors considered. The default is np. arange (100, 250, 1).
              cv : int, optional
231
232
                   number of folds. The default is 10.
               plot : bool, optional
233
234
                   should the cross validation scores the plotted by tuning parameter. The default is True.
235
236
              R eturns
237
```

```
238
               res : dictionary
                    resutls of the cross validation by the tuning parameters.
239
240
                ,, ,, ,,
241
               # prepare to store data
^{242}
               res = dict()
243
               i = 0
^{244}
245
               scores = np.zeros(len(N))
246
247
                # for all parameters in range
               for n in N:
248
249
                    print(i)
                    n = int(n)
250
251
                   KNN = KNeighborsRegressor(n_neighbors=n)
252
253
                    \# perform cross validation
                    \texttt{score} \ = \ \texttt{cross\_val\_score} \ (\texttt{KNN}, \ \texttt{self.pred} \ , \ \texttt{self.response} \ , \ \texttt{cv} \ = \ \texttt{cv} \ , \ \texttt{scoring='}
254
                          neg_mean_squared_error ').mean()
255
                    # store data
256
257
                    scores[i] = score
                    i = i+1
258
259
                    res['k: /{}/'.format(n)] = score
260
261
               \# \ plot \ cross \ validation \ result
               if plot == True:
262
263
                    plt.plot(N, scores)
264
                    plt.xlabel('k')
                    plt.ylabel('scores')
265
266
                    plt.title('CV scores KNN')
                    plt.show()
267
268
                return res
269
270
           \texttt{def} \ \texttt{lasso\_cross\_val} \ (\texttt{self} \ , \ \texttt{al\_array} = \texttt{np.arange} \ (0.01 \ , \ 10 \ , \ 0.01) \ , \ \texttt{cv} = 10 \ , \ \texttt{plot} = \texttt{True}) :
271
272
                Lasso-regression\ cross\ validation
273
274
               Parameters
275
                al_array : numpy array, optional
276
277
                   penalty \ coefficients \ considered . \ The \ default \ is \ np. arange (0.01, \ 10, \ 0.01) .
278
                cv : int, optional
279
                    number of folds. The default is 10.
                plot : bool, optional
280
281
                    should the cross validation scores the plotted by tuning parameter. The default is True.
282
283
               R e t u r n s
284
285
                res : dictionary
286
                    resutls \ of \ the \ cross \ validation \ by \ the \ tuning \ parameters .
287
               288
               # prepare to store data
289
290
               res = dict()
               i = 0
291
292
                scores = np.zeros(len(al_array))
293
```

```
294
                                   # for all parameters in range
295
                                   for alpha in al_array:
296
                                              print(i)
297
                                             lasso = linear_model.Lasso(alpha = alpha)
298
299
                                              \# \ perform \ cross \ validation
                                              score = cross_val_score(lasso, self.pred, self.response, cv = cv, scoring='
300
                                                         neg_mean_squared_error').mean()
301
302
                                              \# store data
303
                                             scores[i] = score
304
                                              i \hspace{0.2cm} = \hspace{0.2cm} i + 1
                                              res['alpha: /{}/'.format(alpha)] = score
305
306
307
                                   # plot cross validation result
308
309
                                   if plot == True:
310
                                            plt.plot(al_array, scores)
311
                                             plt.xlabel('alpha')
                                             plt.ylabel('scores')
312
313
                                              plt.title('CV scores lasso')
                                             plt.show()
314
315
                                   return res
316
317
                         \texttt{def n_net_cross_val} ( \texttt{self} \ , \ N = \texttt{np.arange} (10 \ , \ 500 \ , \ 100) \ , \texttt{layers\_list} = [1 \ , 2 \ , \ 3] \ , \ \texttt{act\_list} = [ \texttt{'sigmoid'} ] \ , \\ \texttt{def n_net_cross_val} (\texttt{self} \ , \ N = \texttt{np.arange} (10 \ , \ 500 \ , \ 100) \ , \texttt{layers\_list} = [1 \ , 2 \ , \ 3] \ , \ \texttt{act\_list} = [ \texttt{'sigmoid'} ] \ , \\ \texttt{def n_net_cross_val} (\texttt{self} \ , \ N = \texttt{np.arange} (10 \ , \ 500 \ , \ 100) \ , \texttt{layers\_list} = [1 \ , 2 \ , \ 3] \ , \ \texttt{act\_list} = [ \texttt{'sigmoid'} ] \ , \\ \texttt{def n_net_cross_val} (\texttt{self} \ , \ \texttt{n_net_loss_val} \ , \ \texttt{act\_list} = [ \texttt{'sigmoid'} ] \ , \\ \texttt{def n_net_cross_val} (\texttt{self} \ , \ \texttt{n_net_loss_val} \ ) \ \texttt{def n_net_loss_val} \ , \\ \texttt{def n_net_cross_val} (\texttt{self} \ , \ \texttt{n_net_loss_val} \ ) \ \texttt{def n_net_loss_val} \ , \ \texttt{act\_list} = [ \texttt{'sigmoid'} \ ) \ , \\ \texttt{def n_net_loss_val} \ \texttt{def n_net_loss_val} \ , \ \texttt{act\_list} \ = [ \texttt{act\_list} \ \texttt{act\_list} \ ) \ \texttt{def n_net_loss_val} \ , \\ \texttt{def n_net_loss_val} \ , \ \texttt{act\_list} \ = [ \texttt{act\_list} \ ) \ \texttt{def n_net_loss_val} \ , \\ \texttt{def n_net_loss_val} \ , \ \texttt{act\_list} \ ) \ \texttt{def n_net_loss_val} \ , \\ \texttt{def n_net_loss_val} \ , \ \texttt{act\_list} \ ) \ \texttt{def n_net_loss_val} \ , \\ \texttt{def n_net_loss_val} \ , \ 
                                    cv = 10, epochs = 10, plot = True):
                                    318
319
                                   Neural \ Network \ cross \ validation
320
321
                                   Parameters
322
323
                                   N : numpy array, optional
                                             range of number of neurans in every layer considered. The default is np.arange(10, 500, 100).
324
325
                                    layers_list : list , optional
                                             range of number of hidden layers considered. The default is [1,2, 3].
326
327
                                    act_list : list , optional
                                              activation functions considered. The default is ['sigmoid'].
328
                                   cv : int, optional
329
330
                                              number \ of \ folds \ . \ The \ default \ is \ 10 \ .
                                    epochs : int, optional
331
332
                                             number of epochs or cycles of training. The default is 10.
333
                                    plot ; bool, optional
334
                                              should the cross validation scores the plotted by tuning parameter.
335
336
                                   R \ e \ t \ u \ r \ n \ s
337
338
                                   res : dictionary
339
                                             resutls \ of \ the \ cross \ validation \ by \ the \ tuning \ parameters .
340
^{341}
                                    ,, ,, ,,
342
343
                                   # prepare to store data
                                   res = dict()
344
345
346
347
                                   kf = KFold(n_splits=cv)
348
```

```
349
                # for all parameters in range
                for act in act_list:
350
351
                     layers\_scores = np.zeros(len(layers\_list))
352
353
                     for 1, layers in enumerate(layers_list):
354
                         N_{scores} = np.zeros(len(N))
355
356
                          for m, n in enumerate(N):
357
                              i = 0
358
                              scores = np.zeros(cv)
359
360
                               # perform cross validation
                               \# split the data and loop for each split
361
362
                               for train , test in kf.split(self.pred, self.response):
363
364
                                   {\tt self.n\_net\_init} \, (\, {\tt self.pred} \, [\, {\tt train} \, ] \, , \ {\tt self.response} \, [\, {\tt train} \, ] \, , n \, = \, n \, , \ {\tt layers} \, = \, {\tt layers} \, ,
                                         activation = act, epochs = epochs)
365
366
                                   # store data
                                   scores[i] = self.model.evaluate(self.pred[test], self.response[test], verbose=0)
367
                                         [0]
                                   i +=1
368
369
370
                              \# store data
371
                               score = scores.mean()
372
                               \mathrm{N\_scores}\;[\mathrm{m}]\;=\;\mathrm{score}
                               res['layers: /{}/, activation: /{}/, neurons: /{}/'.format(layers, act, n)] = scores.
373
                                    mean()
                              tf.keras.backend.clear_session()
374
375
                          layers_scores [1] = N_scores.mean()
376
377
                     # plot cross validation result
                     if plot == True:
378
                          plt.plot(N, N_scores)
379
                          plt.xlabel('neurons')
380
381
                         plt.ylabel('scores')
382
                          plt.title('CV scores N-net')
                          plt.show()
383
384
                          plt.plot(np.array(layers_list), layers_scores)
385
386
                          plt.xlabel('layers')
                          plt.ylabel('scores')
387
                          plt.title('CV scores N-net')
388
                         plt.show()
389
390
391
               return res
392
393
           def predict_syn_grid (self, grid_list, grid_names, win, method = 'KNN', grid_ext = 'casel', geo_int = '
394
                 none',
395
                                 {\rm w\_start} \; = \; \left[\,2\,6\,7\,, \ 17\,8\,\right]\,, \; \; {\rm w\_end\_top} \; = \; \left[\,0\,\,, \ 17\,8\,\right]\,, \; \; {\rm w\_end\_base} \; = \; \left[\,0\,\,, \ 2\,7\,3\,\right]\,,
396
                                 max_TWT = -618, min_TWT = -1162, horizons_list = None,
                                 mean_arr = None, std_arr = None):
397
                398
                Use Trained ML model to predict the target values of the synthetic cross-section (grid)
399
400
401
                Parameters
```

```
grid_list : list
403
404
                 list \ of \ 2d \ arrays \ representing \ the \ cross-sections \,.
              grid_names : list
405
406
                 list of grid names, for example ['imp', 'por'].
407
             win : int
408
                 window size for mean and median rolling window and window selection.
409
              method : str, optional
410
                 machine learning method. The default is 'KNN'.
411
              grid_ext : str, optional
                 predictor extraction preset. The default is 'case1'.
412
413
             geo\_int : str , optional
                 Should the depositional time be implemented and if so how?. The default is 'none'.
414
415
              w\_start : list , optional
                 the starting position of the wedge: the pinch point. The default is [267, 178].
416
417
              w_{end_{top}} : list, optional
                 the end of the top surface of the wedge. The default is [0, 178].
418
419
              w_end_base : list , optional
420
                 the end of the base surface of the wedge. The default is [0, 273].
             max_TWT : int, optional
421
422
                 maximum value of the TWT. The default is -618.
             min_TWT : int, optional
423
424
                 minimum value of the TWT. The default is -1162.
425
              horizons\_list \ : \ list \ or \ None \ , \ optional
426
                  list of numpy arrays that describe where the horizons intersect with the cross-section. The
                      default is None.
              mean_arr : float, optional
427
428
                 the mean value used in the standardization. The default is None.
              std_arr : float, optional
429
430
                 the standard deviation used in the standardization. The default is None.
431
432
             Returns
433
434
             pred_map : numpy array
435
                result of the prediction.
436
437
438
439
             \mathbf{v}\,,\ \mathbf{h}\ =\ \mathbf{np}\,.\,\mathbf{shape}\,(\,\,\mathbf{self}\,.\,\mathbf{grid}\,)
440
             # reserve memory for result
441
             pred_map = np.zeros((v, h-win*2))
             # plt.imshow(self.grid.T)
442
443
             # plt.show()
444
445
             \# for every trace
446
             \quad \text{for col in range}(len(self.grid)):
447
                 print('col = ', col)
448
                  # c = self.grid[col]
                 # data = pd.DataFrame(c, columns = ['AI'])
449
450
451
                  452
                 log1 = load_well(file_name = 'data_2d_wedge_F3\F03_2_por_eff.xlsx') # arbitrary file name
                 data = log1.from_synthetic(grid_list, grid_names, col = col)
453
                 data.drop('Por', axis=1, inplace=True)
454
455
                 456
457
                  # predictor extraction
```

```
458
                                                            from classes.predictor_ext import predictor_ext
                                                            new_pred = predictor_ext(data)
459
460
                                                            name = 'imp'
461
                                                            \# new_pred, add_well_loc(well_loc=col)
462
                                                            463
                                                            if grid_ext == 'case1':
464
                                                                           new_pred.roll_mean(data_name = name,win = win)
465
                                                                           new_pred.roll_median(data_name = name, win = win)
466
                                                                          new_pred.win_select(data_name = name,win = win)
467
                                                              elif grid_ext == 'case2':
468
469
                                                                           new_pred.roll_mean(data_name = name, win = win)
                                                                          new_pred.roll_median(data_name = name,win = win)
470
471
                                                              else:
472
                                                                           pass
473
                                                            474
475
                                                              if geo_int == 'wedge':
476
                                                                           \texttt{new\_pred.construct\_timelines\_wedge\_df(self.grid, w\_start = w\_start, w\_end\_top=w\_end\_top, w_start = w\_start, w_start, w_start = w_start, w_star
                                                                                            w_end_base=w_end_base,
477
                                                                                                                                                                                                                  col = col, win = win)
                                                              elif geo_int == 'from horizons':
478
                                                                           \texttt{new\_pred.construct\_timelines\_from\_horizons(self.grid, horizons\_list, max\_TWT = max\_TWT, \\ \texttt{max\_TWT} = \texttt{max\_TWT}, \\ \texttt{max\_TWT} = \texttt{max\_T
479
                                                                                           \min_{\mathbf{T}} \mathbf{T} \mathbf{W} \mathbf{T} = \min_{\mathbf{T}} \mathbf{T} \mathbf{W} \mathbf{T}
                                                                           new_pred.depotime_well(well_loc = col)
480
481
482
                                                            483
484
485
                                                            new_pred.remove_outside_window(win = win)
                                                            self.new_pred = new_pred
486
487
488
                                                            pred = new_pred.data.to_numpy()
489
                                                             \# standardize predictor based on previous standardization
490
491
                                                            if type(mean_arr)==np.ndarray and type(std_arr) ==np.ndarray:
492
                                                                          {\tt pred}\ ,\ {\tt dummy1}\ ,\ {\tt dummy2}\ =\ {\tt new\_pred}\ . {\tt stad\_pred}\ ({\tt pred}\ , {\tt mean\_list}\ =\ {\tt mean\_arr}\ ,\ {\tt std\_list}\ =\ {\tt std\_arr}\ )
                                                             else:
493
494
                                                                          pass
495
496
                                                            # predict
                                                             prediction = self.model.predict(pred)
497
                                                             *****
498
                                                            if method == 'RF' or method == 'lasso':
499
500
                                                                        pred_map[col] = prediction
501
                                                             else:
502
                                                                         pred_map[col] = prediction[:,0]
503
                                                            ****
504
                                              return pred_map
505
                                def predict_grid(self, grid_list,grid_names, win, method = 'KNN', grid_ext = 'case1', geo_int = 'none'
506
                                                 ,
                                                                                                horizons_list = None, max_TWT = -618, min_TWT = -1162,
507
508
                                                                                                mean\_arr = None, std\_arr = None):
                                               .....
509
                                               Use Trained ML model to predict the target values of the cross-section (grid)
510
511
```

512	Parameters
513	
514	grid_list : list
515	list of 2d arrays representing the cross—sections.
516	grid_names : list
517	list of grid names, for example ['imp', 'por'].
518	win : int
519	window size for mean and median rolling window and window selection.
520	method : str, optional
521	machine learning method. The default is 'KNN'.
522	grid_ext : str, optional
523	predictor extraction preset. The default is 'case1'.
524	geo_int : str, optional
525	Should the depositional time be implemented and if so how?. The default is 'none'.
526	horizons_list : list or None, optional
527	list of numpy arrays that describe where the horizons intersect with the cross—section. The default is None.
528	max_TWT : int. optional
529	maximum value of the TWT. The default is -618 .
530	min_TWT : int. optional
531	minimum value of the TWT. The default is -1162 .
532	mean-arr : float , ontional
533	the mean value used in the standardization. The default is None.
534	std_arr : float. optional
535	the standard deviation used in the standardization. The default is None.
536	
537	Returns
538	
539	pred_map : numpy array
540	result of the prediction.
541	
542	<i>ини</i>
543	
544	
545	v, $h = np.shape(self.grid)$
546	# reserve memory for result
547	pred_map = np.zeros((v, h-win*2))
548	# plt.imshow(self.grid.T)
549	# plt.show()
550	
551	# for every trace
552	for col in range(len(self.grid)):
553	<pre>print('col = ', col)</pre>
554	# c = self.grid[col]
555	# data = pd.DataFrame(c, columns = ['AI'])
556	
557	############################ Load well ##################################
558	log1 = load_well(file_name = 'data_2d_wedge_F3\F03_2_por_eff.xlsx')
559	data = log1.from_synthetic(grid_list, grid_names, col = col)
560	<pre># data.drop('Por', axis=1, inplace=True)</pre>
561	#####################################
562	
563	# predictor extraction
564	from classes.predictor_ext import predictor_ext
565	new_pred = predictor_ext(data)
206	name = 'imp'
007	# new_prea.aaa_well_loc(well_loc=col)

```
568
                  ****
569
                  if grid_ext == 'case1':
570
                      new_pred.roll_mean(data_name = name, win = win)
571
                      new_pred, roll_median(data_name = name, win = win)
572
                      new_pred.win_select(data_name = name,win = win)
573
574
                  elif grid_ext == 'case2':
575
                      new_pred.roll_mean(data_name = name, win = win)
576
                      new_pred.roll_median(data_name = name,win = win)
577
                  else:
578
                      pass
579
                  ******
                  if geo_int == 'from horizons':
580
581
                      new\_pred.\ construct\_timelines\_from\_horizons\ (self.grid\ ,\ horizons\_list\ ,\ standardizing\ =\ False
                           , \max_TWT = \max_TWT, \min_TWT = \min_TWT)
582
                      new_pred.depotime_well(well_loc = col)
583
584
                  585
586
587
                  new_pred.remove_outside_window(win = win)
                  self.new_pred = new_pred
588
589
590
                  pred = new_pred.data.to_numpy()
591
                  # standardize predictor based on previous standardization
592
593
                   \label{eq:constraint} \textbf{if } \textbf{type} \,(\,\texttt{mean\_arr}\,) = = \texttt{np.ndarray} \hspace{0.1 cm} \textbf{and} \hspace{0.1 cm} \textbf{type} \,(\,\texttt{std\_arr}\,) \\ = = \texttt{np.ndarray}: 
594
                      {\tt pred}\ ,\ {\tt dummy1}\ ,\ {\tt dummy2}\ =\ {\tt new\_pred}\ . {\tt stad\_pred}\ ({\tt pred}\ ,\ {\tt mean\_list}\ =\ {\tt mean\_arr}\ ,\ {\tt std\_list}\ =\ {\tt std\_arr}\ )
                  else:
595
596
                      pass
597
598
                  # predict
599
                  prediction = self.model.predict(pred)
600
                  ****
                   \mathbf{if} \text{ method} == \text{'RF'} \mathbf{or} \text{ method} == \text{'lasso'}: 
601
602
                     pred_map[col] = prediction
603
                  else:
604
                      pred_map[col] = prediction[:,0]
605
                  *****
606
              return pred_map
```

C.8 plot_results.py

```
\# -*- coding: utf -8 -*-
1
^{2}
    Created on Mon Jan 10 11:22:11 2022
3
4
\mathbf{5}
    @author: Eier
6
   import matplotlib.pyplot as plt
7
8
   import numpy as np
9
   from classes.usefull_functions import usefull_functions
10
    class plot_results:
11
        def __init__(self):
12
13
            self.sel = 'placeholder'
14
```
15 def	'plot_generic(grid, vmin, vmax, title, xlab, ylab, extent, cmap = 'jet',
16	vcut=False, hcut = False):
19	
18	Plot one cross-section
20	Parameters
21	
22	grid : numpy array
23	2D array of the cross-section.
24	vmin : float
25	minimum value of the plotted array.
26	vmax : float
27	maximum value of the plotted array.
28	title : str
29	title of the plot.
30	xlab : str
31	x label.
32	ylab : str
33	y label.
34	extent : list
35	axis extent as traces and TWT.
36	cmap : str, optional
37	colormap. The default is 'jet'.
38	vcut : list, optional
39	vertical slice of the array (TWT). The default is False.
40	hcut : list, optional
41	horizontal slice of the array (traces). The default is False.
42	
43	R eturns
44	
45	None.
46	
47	""
48	
49	if vcut == False:
50	pass
51	else:
52	<pre>iwi = np.iiispace(extent[5], extent[2], ien(grid[1, :]))</pre>
53	extent[3] = TWT[vcut[0]:vcut[1]][0]
55	extent[2] = iwi[veut[0], veut[i]][-i]
56	grid = grid[:, vcut[0]:vcut[1]]
57	
58	if hcut == False:
59	Dass
60	else:
61	grid = grid [hcut [0]: hcut [1],:]
62	
63	
64	plt.imshow(grid.T, cmap=cmap, aspect='auto',vmin=vmin, vmax=vmax, extent=extent)
65	plt.xlabel(xlab)
66	plt.ylabel(ylab)
67	plt.title(title)
68	plt.colorbar()
69	plt.show()
70	
71 def	'grids_comp(self, grid1, grid2, vcut=False, hcut = False, cmap = 'jet',

72	titles = ['True', 'Estimate', 'MSE'], file_name = False,
73	extent = [-1, 1, -1, 1], ylab = 'TWT', vmin = 0.2, vmax = 0.4):
74	19 9 N
75	plot two 2D arrays and the absolute difference between them.
76	The numpy arrays used in the plotting are saved.
77	
78	Parameters
79	
80	orid1 : numpy array
81	array to be plotted and compared against grid?
82	arid? . numnu arrau
83	array to be plotted and compared against gridl.
84	vent : list. optional
85	vertical slice of the array (TWT). The default is False
86	heat - list antional
87	horizontal slice of the array (traces). The default is False
89	monzonica siece of the array (races). The acjuate is faise.
89	colorman The default is 'ist'
89	titles distante actional
90	list of titles for the different plate. The default is ['True', 'Fatimate', 'MCF']
91	tist of titles for the atjjerent plots. The acjuatt is [That , Estimate , MDE].
92	jite_name : str, optional
93	file path for the results to be savea to. The aefault is raise.
94	extent : itst, optional
95	aris extent as traces and IWI. The aefault is $[-1,1,-1,1]$.
96	ylao : str, optional
97	y label. The default is 'TWT'.
98	vmin : float, optional
99	minimum value of the plotted array. The default is 0.2.
100	vmax : float, optional
101	maximum value of the plotted array. The default is 0.4.
102	
103	Keturns
104	
105	None.
106	
107	
108	
109	if vcut == False:
110	pass
111	else:
112	TWT = np.linspace(extent[3], extent[2], len(grid1[1, :]))
113	extent [3] = IWI[vcut[0]:vcut[1]][0]
114	extent [2] = TWT[vcut[0]: vcut[1]][-1]
115	
116	grid1 = grid1[:, vcut[0]:vcut[1]]
117	$\operatorname{grid} 2 = \operatorname{grid} 2 [:, \operatorname{vcut} [0]: \operatorname{vcut} [1]]$
118	
119	if hcut == False:
120	pass
121	else:
122	grid1 = grid1 [hcut [0]: hcut [1],:]
123	grid 2 = grid 2 [hcut [0]: hcut [1],:]
124	plt.subplot(211)
125	
126	plt.imshow (grid1.T, cmap=cmap, aspect='auto', vmin=vmin, vmax=vmax, extent=extent)
127	plt.xlabel('Trace')
128	plt.ylabel(ylab)

129	plt.title(titles[0])
130	
131	plt.subplot(212)
132	plt.imshow(grid2.T, cmap=cmap, aspect='auto',vmin=vmin, vmax=vmax, extent=extent)
133	plt.xlabel('Trace')
134	plt.ylabel(ylab)
135	$\texttt{cax} = \texttt{plt.axes} \left(\begin{bmatrix} 0.95 \ , \ 0.1 \ , \ 0.075 \ , \ 0.8 \end{bmatrix} \right) \ \# \ https://matplotlib.org/stable/gallery/$
	$subplots_axes_and_figures/subplots_adjust_html\#sphx_glr_gallery_subplots_axes_and_figures_figures=add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_add_subplots_add_subplots_axes_add_subplots_axes_add_subplots_axes_add_subplots_add_subplots_axes_axes_add_subplots_axes_axes_add_subplots_axes_axes_add_subplots_axes_axes_add_subplots_axes_axes_axes_axes_axes_axes_axes_axe$
	subplots - adjust - py
136	plt.colorbar(cax=cax)
137	if file_name != False:
138	np.save(file_name+' grid1', grid1)
139	np.save(file_name+' grid2', grid2)
140	<pre>plt.savefig(file_name+'.png', bbox_inches='tight')</pre>
141	plt.show()
142	plt.subplot(111)
143	uf = usefull_functions()
144	<pre>sim = uf.my_map2(grid1, grid2, uf.diff)</pre>
145	plt.imshow(sim.T, cmap='nipy_spectral', aspect='auto', vmin = 0, vmax = 0.15, extent=extent)
146	plt.xlabel('Trace')
147	plt.ylabel(ylab)
148	plt.title(titles[2])
149	cax = plt.axes([0.95, 0.1, 0.075, 0.8])
150	plt.colorbar(cax=cax)
151	if file_name != False:
152	np.save(file_name+' difference', sim)
153	plt.savefig(file_name+' difference plot.png', bbox_inches='tight')
154	plt.show()

C.9 usefull_functions.py

```
1 \quad \  \  \# \  \  -*- \  \  c \  o \  \  d \  i \  \  g \  : \  \  u \  t f \  \  -8 \  \  -*-
     2
3 Created on Wed Jan 19 15:53:33 2022
4
5 @author: Eier
     6
7 import pickle
8 import numpy as np
9
    import matplotlib.pyplot as plt
10 import scipy.signal
11
12 class usefull_functions:
13
14
         def __init__(self):
              pass
15
16
         \texttt{def} \ \texttt{save\_cv} \ ( \ \texttt{self} \ , \ \ \texttt{path} \ = \ \ \texttt{'CV.pkl'} \ , \ \ \texttt{method} \ = \ \ \texttt{'KNN'} \ , \ \ \texttt{dictionary} \ = \ \ \texttt{'} \ ) :
17
18
               \# save the cv results
19
               a_file = open(path, "wb")
20
               pickle.dump(dictionary, a_file)
^{21}
               a_file.close()
^{22}
^{23}
               \# \ https://www.tutorialsteacher.com/articles/sort-dict-by-value-in-python
24
25
               marklist=sorted((value, key) for (key,value) in dictionary.items())
               sortdict=dict([(k,v) for v,k in marklist])
26
```

```
27
            self.cv_res = sortdict
^{28}
^{29}
             \# get the best results
             if method == 'Neural Net':
30
                best = list(sortdict)[0]
^{31}
32
             else:
33
                best = list(sortdict)[-1]
34
35
            return best, sortdict[best]
36
37
38
        {\tt def nearest(self, number, arr):}
39
40
            Gets index of number nearest the "number"
41
42
            Parameters
43
            number : TYPE
^{44}
45
                DESCRIPTION.
46
            arr : TYPE
\mathbf{47}
               DESCRIPTION.
^{48}
49
            R \ e \ t \ u \ r \ n \ s
50
51
            TYPE
             DESCRIPTION.
52
53
             54
55
            search = abs(arr-number)
56
            m = search.min()
57
            return np, where (search == m) [0]
58
         def diff(self, v1, v2): \\
59
60
            return abs(v1-v2)
61
62
        def my_map(self, grid, func):
63
            ,, ,, ,,
64
            I find the existing map function to be limited, this is an alternitive
65
            that applies a function to all elements in a grid/matrix.
66
67
            n\,,k\ =\ np\,.\,shape\,(\,g\,r\,i\,d\,)
            l = list(grid.flatten())
68
69
            m = list(map(func, l))
            a = np.array(m)
70
71
             {\tt return} \ {\tt a.reshape(n, k)}
72
73
        def my_map2(self, grid1, grid2, func, cross = True):
74
             ,, ,,
             I find the existing map function to be limited, this is an alternitive
75
76
            that applies a function to all elements in a grid/matrix.
             ,, ,, ,,
77
78
             \# if cross == True:
                  mean1 = np.mean(grid1)
79
             #
80
                 std1 = np.std(grid1)
             #
81
             #
                mean2 = np.mean(grid2)
82
             #
                   std2 = np.std(grid2)
83
```

```
      84
      n,k = np.shape(grid1)

      85
      l1 = list(grid1.flatten())

      86
      l2 = list(grid2.flatten())

      87
      m = list(map(func, 11, 12))

      88
      a = np.array(m)

      89
      return a.reshape(n, k)
```

C.10 section_horizon_coord.py

```
1 \qquad \# \ -*- \ c \ o \ d \ i \ n \ g \ : \ u \ t f \ -8 \ -*-
 ^{2}
     .....
 3
    Created on Sat Feb 26 20:45:55 2022
 4
 \mathbf{5}
    @author: Eier
 6
 7
8 \ \# \ finds the locations where horizons intersect the cross-section
9
10
11 import seguio
12 import pandas as pd
13 import numpy as np
14 \quad \#fault \quad seis \ . \ segy
15 #wedge seis.segy'
16 \quad \# \ file\_seis \ = \ 'data \backslash case \ Oseberg \backslash case \ oseberg \ LFM \ imp.segy \ '
17 # hor_file = 'data \setminus horizons \setminus Drake 100 ms below'
^{18}
    # hor_file = 'data\horizons\Drake LFM'
19 # h \, or_f ile = 'data \setminus h \, or izons \setminus Brent LFM'
   \# hor_file = 'data\horizons\Shetland LFM'
20
21 # hor_file = 'data \setminus horizons \setminus Shetland 50 ms above'
^{22}
23 # cross section
24 file_imp = 'data\case F3\Seis Inv depth Random line [2D Converted].segy'
25
26 \qquad f \; = \; \texttt{segyio.open}(\texttt{file_imp} \;, \; \texttt{ignore_geometry=True})
27
    \# \ ' \ d \ a \ t \ a \ \setminus \ c \ a \ s \ e \quad F3 \ \setminus \ F3 - Horizon \ -FS8 \quad (Z) \ ',
28
29 # horizons
31
32 # for each horizons
33 for hor_file in hor:
34
         \# get TWT of section
35
36
         sec = segvio.tools.metadata(f)
        TWT = -sec.samples
37
         top_twt = TWT.max()
38
39
         base_twt = TWT.min()
         l = len(f.header)
40
41
42
         s = len(f.trace[1])
43
^{44}
         # inter = (top_twt-base_twt)/161
45
         inter = (top_twt-base_twt)/s
46
^{47}
48
         resx = np.zeros((1, s))
```

```
49
         \operatorname{resy} = \operatorname{np.zeros}((1, s))
50
51
52
          for trace in range(1):
              scale = f.header[trace][segyio.TraceField.SourceGroupScalar]
53
54
              \# get the coordinates of the cross-section
55
              if scale < 0:
56
57
                  x = f.header[trace][segyio.TraceField.SourceX]/abs(scale)
58
                   y = f.header[trace][segvio.TraceField.SourceY]/abs(scale)
59
60
              else:
                 x = f.header[trace][segyio.TraceField.SourceX]*abs(scale)
61
62
                  y = f.header[trace][segvio.TraceField.SourceY]*abs(scale)
63
64
              resx[trace] = x
65
              resy[trace] = y
66
67
              samples = f.trace[trace]
68
69
70
71
          72
73
         TWT_array = np.zeros(len(resx))
74
75
          # load horizon
76
         \label{eq:hor_file} \text{hor} = \text{pd.read_csv} \left( \text{hor_file} \ , \ \text{header} = \text{None} \ , \ \text{sep} = \ ' \ ' \right)
         z = np.zeros(len(hor))
77
78
         for coo in range(len(resx)):
79
 80
              print(coo)
81
              \quad \text{for } i \ \text{in } \mathbf{range}(len(hor)):
 82
                  # horizon point
                  point_a = np. array([hor[0][i], hor[1][i]])
83
84
85
                   \# cross-section point
86
                  point_b = np.array([resx[coo, 0], resy[coo, 0]])
 87
                   # distance between points
88
 89
                   dist = np.sqrt((point_a[0] - point_b[0])*(point_a[0] - point_b[0])+
                                   (point_a[1] - point_b[1]) * (point_a[1] - point_b[1]))
90
91
                  z[i] = dist
92
93
94
              \# \ get \ smallest \ distance
95
              in_min = np.argmin(z)
96
97
             TWT = hor.iloc[in_min][2]
^{98}
             TWT\_array[coo] = -TWT
99
100
         np.save(hor_file+'TWT',TWT_array)
101 f.close()
102
103 # np.load(hor_file+'TWT'+'.npz')
```

C.11 make_new_wells.py

```
1 \quad \  \  \# \  \  -*- \  \  c \  o \  \  d \  i \  \  g \  : \  \  u \  t f \  \  -8 \  \  -*-
 2
 3
     Created on Sun Apr 3 20:42:06 2022
 4
 \mathbf{5}
     @author: Eier
 6
      ,, ,, ,,
 7
     \# the logs of a well may not match
 8
9
    \# this script matches the logs
10
11
    import pandas as pd
^{12}
     import numpy as np
13 import matplotlib.pyplot as plt
14
     well_files = ['data\case F3\F02_1.xlsx', 'data\case F3\F03_2.xlsx']
15
16
17 new_well_files = ['data\case F3\F02_1_new.txt', 'data\case F3\F03_2_new.txt']
^{18}
19 \quad \text{ for } k\,,\, \text{file } in \ \text{ enumerate}\,(\,\,w\,\text{ell-files}\,):
          df = pd.read_excel(file)
20
           df = df.loc[:, ~df.columns.str.contains('^Unnamed')]
^{21}
22
^{23}
          df_por = pd.DataFrame()
           \mathrm{d}\,\mathrm{f}_{\,-}\mathrm{p}\,\mathrm{o}\,\mathrm{r}\,\left[\begin{array}{c}\mathrm{'MD'}\end{array}\right]\ =\ \mathrm{d}\,\mathrm{f}\,\left[\begin{array}{c}\mathrm{'MD'}\end{array}\right]
^{24}
25
           df_{-}por['Por.Eff.'] = df['Por.Eff.']
26
           df_{por} = df_{por} . dropna()
^{27}
28
           df_imp = pd.DataFrame()
^{29}
           df_imp['MD'] = df['MD.1']
30
           d\,f\_i\,m\,p\,\left[ \ 'P{-}imp\,.\ '\,\right] \ = \ d\,f\,\left[ \ 'P{-}imp\,.\ '\,\right]
           df_imp = df_imp.dropna()
31
32
           por_MD_{-lim} = [df_por['MD'].min(), df_por['MD'].max()]
33
^{34}
           df_{-}imp = df_{-}imp [df_{-}imp ['MD'] > por_{-}MD_{-}lim [0]]
35
36
           df_imp = df_imp [df_imp ['MD'] < por_MD_lim [1]]
37
38
39
           df_imp = df_imp.reset_index()
           df_por = df_por.reset_index()
40
^{41}
42
           df_well = pd_DataFrame()
^{43}
           {\tt def} \ {\tt nearest} \left( {\tt number} \, , \ {\tt arr} \, \right):
44
45
                 Gets index of number nearest the "number"
46
47
^{48}
                Parameters
^{49}
50
                number : TYPE
51
                    DESCRIPTION.
52
                 arr : TYPE
                   DESCRIPTION.
53
54
55
                Returns
```

```
56
57
            TYPE
58
                DESCRIPTION.
59
             60
61
             search = abs(arr-number)
62
             m = search.min()
             return np.where(search == m) [0]
63
64
65
         m d \_list = []
         imp_list = []
66
67
         por_list = []
68
69
        for n, i in enumerate(df_imp['MD']):
70
71
             arr = df_por['MD'].to_numpy()
72
73
74
            ind = nearest(i, arr)[0]
75
76
             md \; = \; df_{-}imp \; . \; i \, l \, o \, c \; [ \; n \; ] \; [ \; 'MD ' \; ]
77
             md_list.append(md)
78
             imp = df_imp.iloc[n]['P_imp.']
79
             imp\_list.append(imp)
80
             por = df_por.iloc[ind]['Por.Eff.']
81
             por_list.append(por)
^{82}
         df_well['MD'] = md_list
83
         df_well['imp'] = imp_list
84
         df_well['por'] = por_list
85
86
87
         plt.scatter(df_well['imp'], df_well['por'])
88
89
         df_well.to_csv(new_well_files[k], index = False)
```

C.12 upscale.py

```
1 \# -*- coding: utf -8 -*-
    2
3
    Created on Thu Apr 14 13:18:12 2022
4
\mathbf{5}
    @author: Eier
6
    """
7
8
    \# upscales the well logs based on an existing already upscaled well log
9
10 import pandas as pd
11 import numpy as np
12
    import matplotlib.pyplot as plt
13
14
   def nearest(number, arr):
15
        Gets index of number nearest the "number"
16
17
       Parameters
18
19
        number : float
20
```

```
21
               the value to find in arr.
22
          arr : numpy array
^{23}
                array of values.
24
          R \ e \ t \ u \ r \ n \ s
^{25}
26
27
           i n t
              the index where arr is closest to number.
28
^{29}
           30
           search = abs(arr-number)
31
32
          m = search.min()
          return np.where(search == m) [0]
33
^{34}
35 \quad \# \ get \ upscaled \ well \ log
     upscale = 'data\case F3\AI resampled.xlsx'
36
37
38
    up_df = pd.read_excel(upscale)
39 up_df = up_df.loc[:, ~up_df.columns.str.contains(', Unnamed')]
40
41 # well logs to be upscaled
     well_files = ['data\case F3\F02_1_new', 'data\case F3\F03_2_new']
42
43
44 \# for each well
45
      \label{eq:fork} \textbf{for} \hspace{0.1 in} k \hspace{0.1 in}, \hspace{0.1 in} \textbf{file} \hspace{0.1 in} \textbf{in} \hspace{0.1 in} \textbf{enumerate} \hspace{0.1 in} (\hspace{0.1 in} w \hspace{0.1 in} \texttt{ell_files}):
          df = pd.read_csv(file+'.txt')
46
           df = df.loc[:, ~df.columns.str.contains('^Unnamed')]
\mathbf{47}
48
           df_por = pd.DataFrame()
49
50
           df_{-}por['MD'] = df['MD']
           df_{por}['por'] = df['por']
51
52
           df_por = df_por.dropna()
53
54
           df_imp = pd.DataFrame()
          \mathrm{d}\,f_{-}i\,\mathrm{m}\,\mathrm{p}\,\left[\begin{array}{c}\mathrm{'MD'}\end{array}\right] \ = \ \mathrm{d}\,f\left[\begin{array}{c}\mathrm{'MD'}\end{array}\right]
55
56
          df_{-}imp['imp'] = df['imp']
57
           df_imp = df_imp.dropna()
58
59
           \texttt{plt.scatter}(\texttt{df}[\texttt{'imp'}],\texttt{df}[\texttt{'por'}])
           plt.show()
60
61
           por_MD_lim = [df_por['MD'].min(), df_por['MD'].max()]
62
63
           df_{imp} = df_{imp} [df_{imp} ['MD'] > por_MD_{lim} [0]]
64
65
           df_{imp} = df_{imp} [df_{imp} ['MD'] < por_MD_{lim} [1]]
66
67
68
           df_imp = df_imp.reset_index()
           df_por = df_por.reset_index()
69
70
           df_well = pd.DataFrame()
71
72
           md_{-list} = []
73
74
           imp_list = []
           por_list = []
75
76
           \# for every point in the upscaled well-log MD
77
```

```
78
           \quad \text{for } n\,, \ i \ \text{in enumerate}\,(\,u\,p_{\,\text{-}}d\,f\,[\ 'MD\,'\,]\,)\,:
79
 80
                arr_por = df_por['MD'].to_numpy()
               \operatorname{arr}_{\operatorname{imp}} = \operatorname{df}_{\operatorname{imp}} ['MD'].to_numpy()
81
^{82}
                \#\ find\ the\ closest\ point\ in\ the\ real\ well-logs\ and\ save
83
                ind_por = nearest(i, arr_por)[0]
 84
               ind_imp = nearest(i, arr_imp)[0]
85
86
87
               md = up_df.iloc[n]['MD']
88
               md_list.append(md)
89
               imp = df_imp.iloc[ind_imp]['imp']
90
^{91}
               imp_list.append(imp)
92
               por = df_por.iloc[ind_por]['por']
93
94
                por_list.append(por)
95
96
           \# store the new upscaled well logs in a dataframe
97
           df_well['MD'] = md_list
98
           df_well['imp'] = imp_list
          df_well['por'] = por_list
99
100
101
          plt.scatter(df_well['imp'], df_well['por'])
102
          plt.show()
           # df_well.to_csv(file+'_upsacale.txt', index = False)
103
```

C.13 well_paths_horizon.py

```
1 \quad \# \ -*- \ c \ o \ d \ i \ n \ g \ : \ u \ t \ f \ -8 \ -*-
^{2}
    Created on Fri Mar 11 16:44:24 2022
3
4
\mathbf{5}
    @author: Eier
6
\overline{7}
    \# implements the horizon locations to the well.
    \# the well path is given with coordinates (interpolation is requiered)
8
   \# the horizon point set is given with coordinates
9
10
11
   import pandas as pd
12 import numpy as np
13 import matplotlib.pyplot as plt
14
   def TWT_from_MD(MD):
15
16
       z = np.load('TDR\_fit TDR result.npy')
17
        p = np.poly1d(z)
^{18}
19
       return p(MD)
20
21
22 file = 'data\case F3\F03_2 well path'
23 # file = 'data\case Oseberg\w30_9_J_13_well_path'
    hor_file1 = 'data \setminus case F3 \setminus F3 - Horizon - FS8 (Z)'
^{24}
25
    26 hor_file3 = 'data \setminus case F3 \setminus F3 - Horizon - Truncation (Z)'
27
28 hor_file_list = [hor_file1, hor_file2, hor_file3]
```

2930 $df = pd.read_csv(file, skiprows=17, sep = ', ')$ 31 df = df.loc[:, ~df.columns.str.contains('^Unnamed')] 32 33 df = df.dropna()35 n = 1036 new_index = pd. RangeIndex(len(df)*(n+1)) 37 new_df = pd.DataFrame(np.nan, index=new_index, columns=df.columns) ids = np.arange(len(df))*(n+1)38 39 $new_df.loc[ids] = df.values$ $40 \quad df = new_df$ $42 \qquad df = df.interpolate()$ 43 $df = df.reset_index()$ ______ 45z = np. polyfit (df['MD'], df['Z'], 12)np.save(file[:18]+'MD to Z '+file[18:], z) 464748 49 $hor_location_5S = pd.DataFrame()$ 5051# for each horizon 52 for hor_file in hor_file_list: print (hor_file) 535455# 56 $hor = pd.read_csv(hor_file, header = None, sep = ', ')$ 57hor[2] = -hor[2]5859upperX = df ['X']. max() + 1060 upperY = df['Y'].max()+1061 62 lowerX = df['X'].min()-1063 lowerY = df['Y'].min()-106465 66 ${\rm hor} \; = \; {\rm hor} \, . \, {\rm drop} \, (\, {\rm hor} \, [\, (\, {\rm hor} \, [\, 0 \,] \; < \; {\rm lowerX} \,) \;] \, . \; {\rm index} \,)$ 67 hor = hor.drop(hor[(hor[0] > upperX)].index)68 hor = hor.drop(hor[(hor[1] < lowerY)].index)69 70 ${\rm hor} \; = \; {\rm hor} \, . \, d{\rm rop} \, (\, {\rm hor} \, [\, (\, {\rm hor} \, [\, 1\,] \; > \; {\rm upper} Y \,) \,] \, . \, {\rm index} \,)$ $hor = hor.reset_index()$ 71 72# 73 $# df ['TWT'] = TWT_from_MD(df ['MD'])$

 $74 \\ 75$

```
76
             # reserve memory
 77
             z = np.zeros(len(hor)*len(df))
 78
             {\tt twt} \; = \; {\tt np.zeros} \, (\, {\tt len} \, (\, {\tt hor} \, ) * {\tt len} \, (\, {\tt df} \, ) \, )
             n = 0
 79
 80
             \# \ follow \ the \ well \ path \ interpolated \ points
 81
 82
             for coo in range(len(df)):
 83
                   print(coo)
 84
                   for i in range(len(hor)):
 85
                         # horizon point
                         point_a = np.array([hor[0][i], hor[1][i], hor[2][i]])
 86
 87
                         ∉ well point
 88
 89
                         \texttt{point_b} = \texttt{np.array} \left( \left[ \ df \left[ \ 'X' \ \right] \left[ \ coo \right] \right, \ df \left[ \ 'Y' \ \right] \left[ \ coo \right] \right, \ df \left[ \ 'Z' \ \right] \left[ \ coo \right] \right] \right)
 90
                         # distance between points
 ^{91}
 92
                         {\tt dist} \; = \; {\tt np.sqrt} \left( \left( \; {\tt point\_a}\left[ 0 \right] - {\tt point\_b}\left[ \; 0 \; \right] \right) * \left( \; {\tt point\_a}\left[ 0 \right] - {\tt point\_b}\left[ \; 0 \; \right] \right) + \\
                                                 (point_a[1] - point_b[1]) *(point_a[1] - point_b[1]) +
 93
 94
                                                  (point_a[2] - point_b[2]) *(point_a[2] - point_b[2]))
 95
                         z[n] = dist
 96
                         twt [n] = hor [2][i]
                         n+=1
 97
 ^{98}
 99
             \# find the two closest points
100
             \operatorname{in}_{-}\operatorname{min} = \operatorname{np}_{-}\operatorname{argmin}(z)
101
             \# record the horizon location in the well path
102
            \mathrm{TWT\_loc} \; = \; \mathrm{twt} \left[ \; \mathrm{in\_min} \; \right]
103
             hor_location_5S [hor_file [14:]] = [TWT_loc]
104
105
106 # compile results
     hor_location_5S.to_csv(file+' horizon loc'+'.txt', index = False, encoding = 'utf-8')
107
108
109
      # plt.plot(df['X'], df['Y'])
110 # plt.show()
111 # plt.plot(df['X'], df['Z'])
112 # plt.show()
113 # plt.plot(df['Y'], df['Z'])
114 # plt.show()
```